

## Figure captions

**Figure 1 (left panel):** Averaged tap-tone asynchronies for tone sequences containing negative shifts (tone presented 90 ms earlier than expected: filled circle) and positive shifts (tone presented 90 ms later than expected: unfilled circle). On the x-axis,  $T_0$  denotes the stimulus where the shift occurred. Four regular tone sequences before ( $T-4$  to  $T-1$ ) and after ( $T+1$  to  $T+4$ ) the shift are shown. **Figure 1 (right panel):** The identical data were transformed to show normalized asynchronies following a shift ( $T_0$ ), to compare the error correction performance between negative and positive shift conditions. On the y-axis, '0' indicates the baseline negative mean asynchrony (average of  $T-4$  to  $T-1$ ), and '1' on the y-axis shows the maximum deviance from the baseline owing to the shift. Positive shifts were corrected faster with a degree of over-correction (unfilled circle), compared with negative shifts (filled circle), [ $p < .05$ ]. Error bars represent standard error of mean.

**Figure 2:** Grand averaged stimulus-locked ERPs to all 4 conditions from FCz for illustration purpose only. ERPs were time-locked to  $T-2$  (at 0 ms). These macro-epochs contain preceding tones ( $T-2$  &  $T-1$ ), a tone subject to a  $\pm 90$  ms time-shift ( $T_0$ ), and 4 subsequent tones ( $T+1$  to  $T+4$ ). Condition labels indicate the shift direction of  $T_0$  (-ve shift: 90 ms earlier than expected or +ve shift: 90 ms later than expected).

**Figure 3 (upper panel):** Grand averaged ERPs from FCz showing stimulus-locked epochs to the shift position  $T_0$  (at 0 ms on the x-axis) for listening and tapping conditions of both shift directions. A significant 2-way interaction between Condition (listening vs. tapping) and ShiftDirection (negative vs. positive) was identified in 2 time windows (shaded boxes: N1 around 100 ms [ $F(1,14) = 19.77$ ,  $p < .001$ ] and N2 around 300 ms [ $F(1,14) = 15.06$ ,  $p < .001$ ]). **Figure 3 (lower panel):** Topographic maps for each

condition for each time window, and their corresponding significance maps were shown (at 119 ms and 316 ms). Note that warmer colors represent positivity.

**Figure 4:** Grand averaged ERPs from FCz showing stimulus-locked epochs, time-locked to  $T-1$  or  $T0$  (0 ms on the x-axis) for tapping negative and positive conditions. ERPs were relative to the baseline period from -50 to 0 ms. A significant 2-way interaction Position ( $T-1$  vs.  $T0$ ) and ShiftDirection (negative vs. positive) was identified in 2 time windows (shaded boxes: N1 around 100 ms [ $F(1,14) = 31.55, p < .001$ ] and N2 around 300 ms [ $F(1,14) = 25.13, p < .001$ ]).

**Figure 5 (upper panel):** Grand averaged ERPs from FCz, showing response-locked epochs, time-locked to the tap-onset for  $T-1$  or  $T0$  stimulus (at 0 ms on the x-axis) for tapping negative and positive conditions. ERPs were relative to the baseline period from -50 to 0 ms. No significant 2-way interaction was identified between Position ( $T-1$  vs.  $T0$ ) and ShiftDirection (negative vs. positive). The shaded box (356-408 ms) indicates the significant window of ShiftDirection main effect (tapping negative condition > tapping positive condition). It was most significant at 374 ms [ $F(1,14) = 6.22, p < .05$ ]. **Figure 5 (lower panel):** Topographic maps showing activity at 374 ms. It compares tapping negative and tapping positive conditions at  $T0$  only. Note that warmer colors represent positivity.

**Figure 6 (left panel):** The peak amplitude and latency of CNV-like negativity for each participant. In the tapping negative condition, there was a significant positive correlation between the CNV-like negativity peak latency and the normalized error correction performance at  $T+1$  (i.e., the earlier the peak, the better the error correction performance with the negative shifts) [ $r(15) = .569, p = .027$ ]. **Figure 6 (right panel):** In the tapping positive condition, there was a trend level of negative correlation between

the CNV-like negativity peak latency and the normalized error correction performance at  $T+1$  (i.e., the later the peak, the better the error correction performance with the positive shifts) [ $r(15) = -.439, p = .10$ ].

**Figure 1**

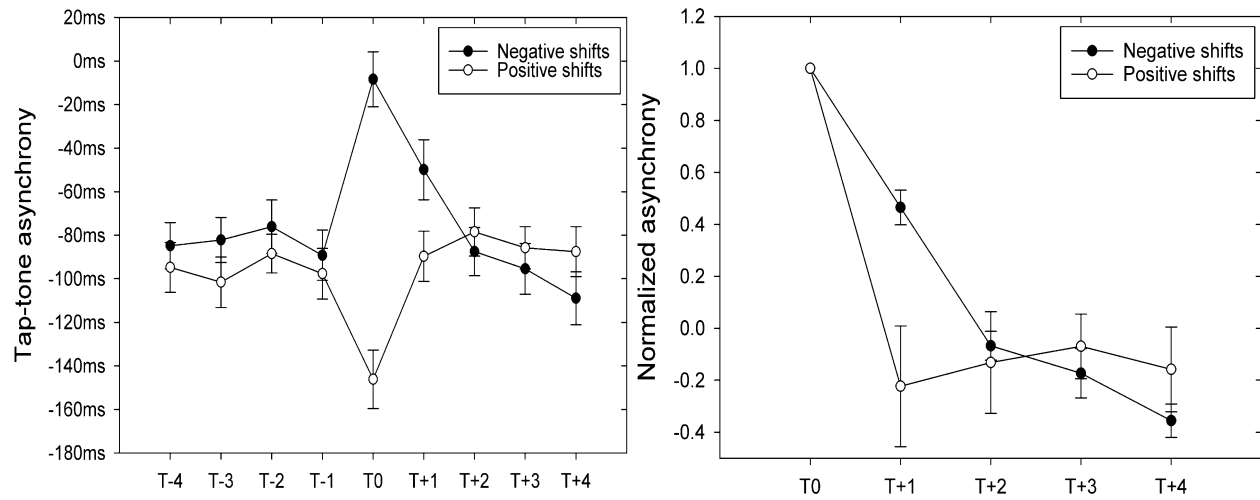
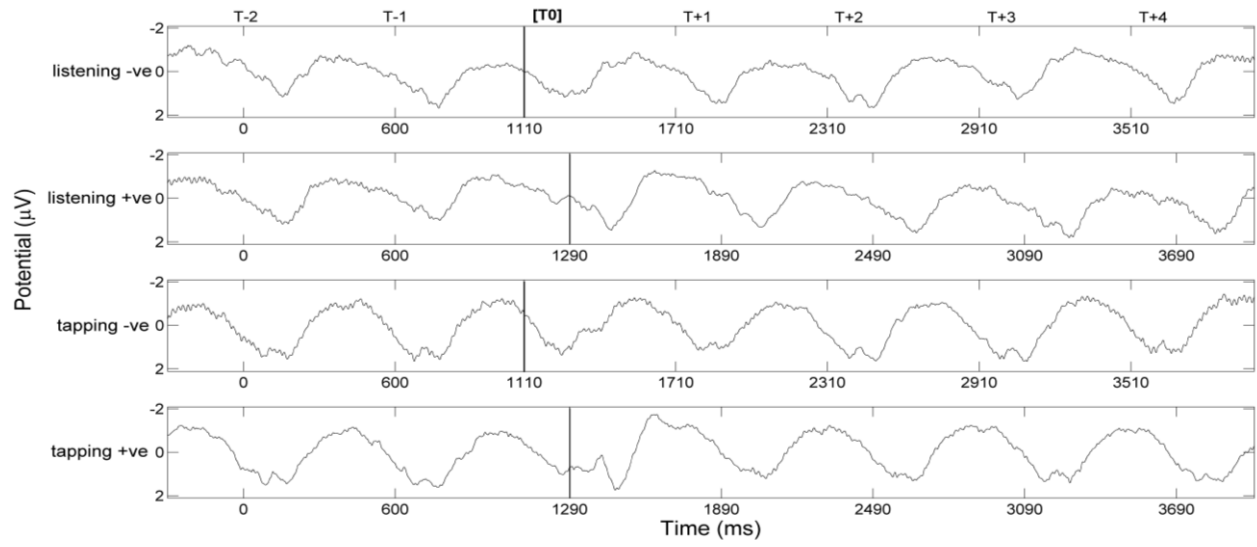
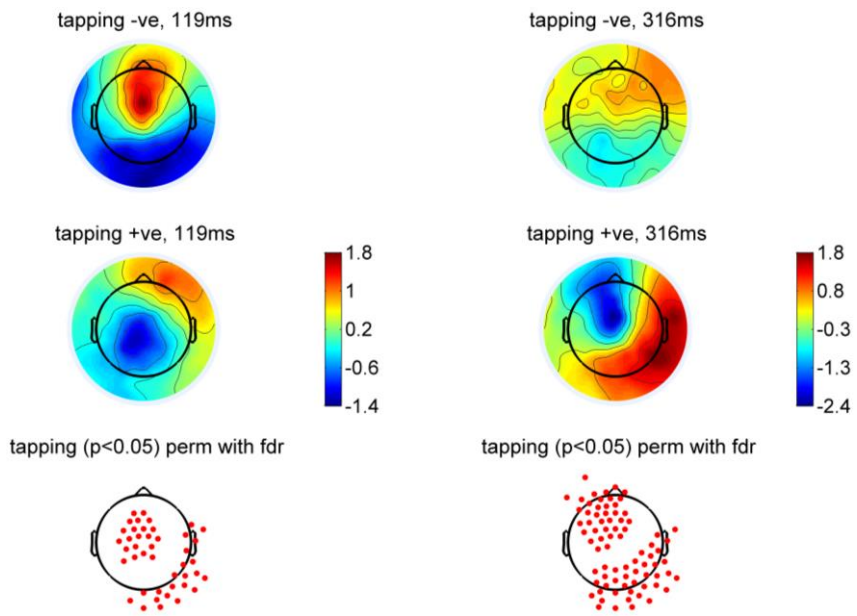
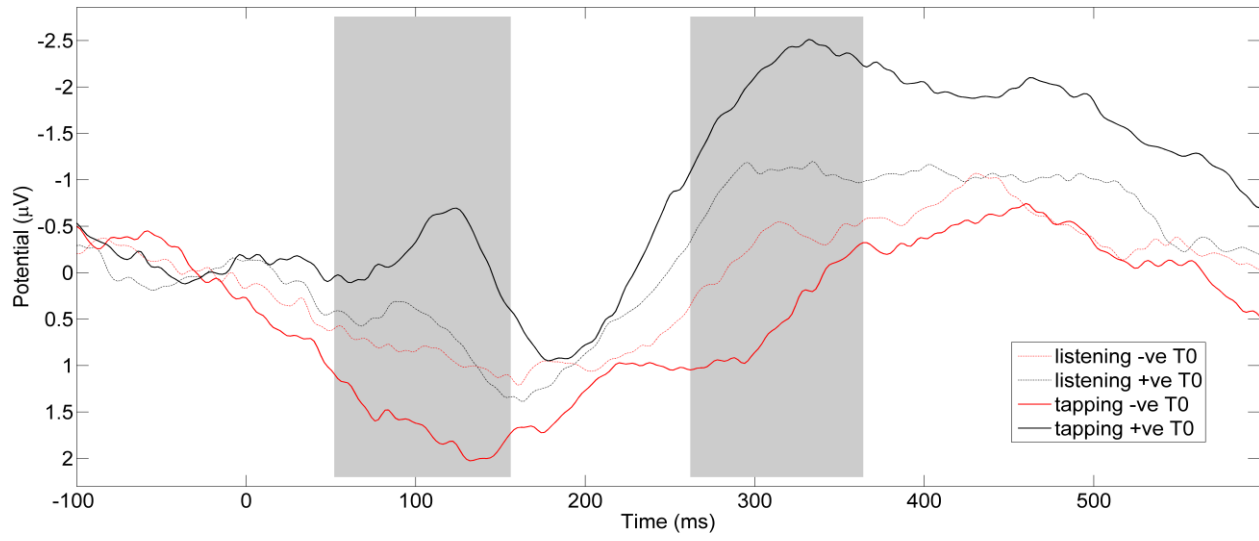


Figure 2



**Figure 3**



**Figure 4**

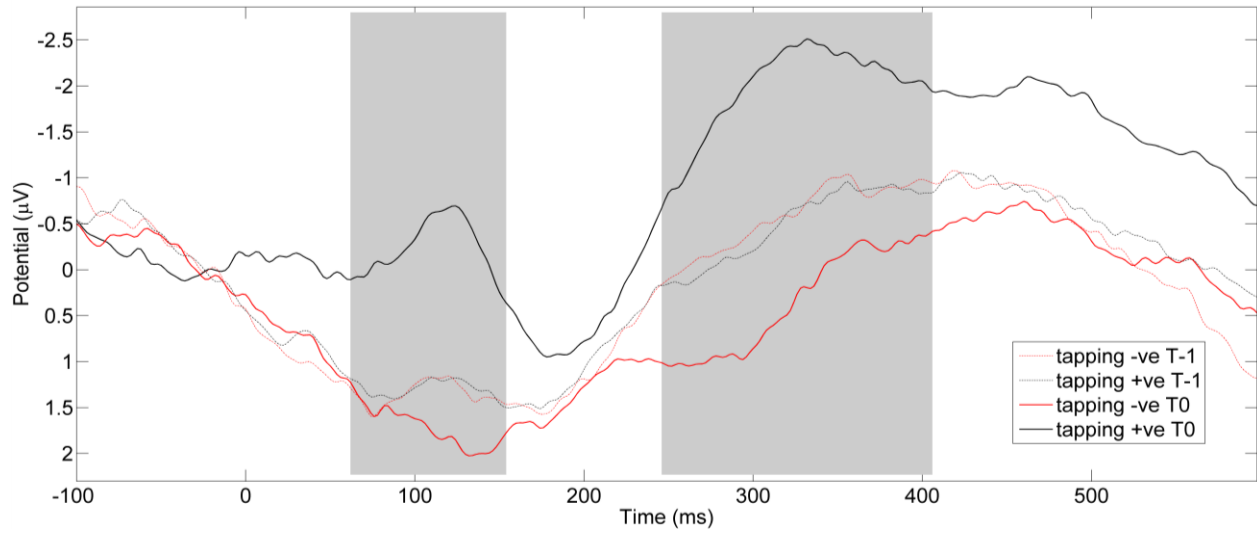


Figure 5

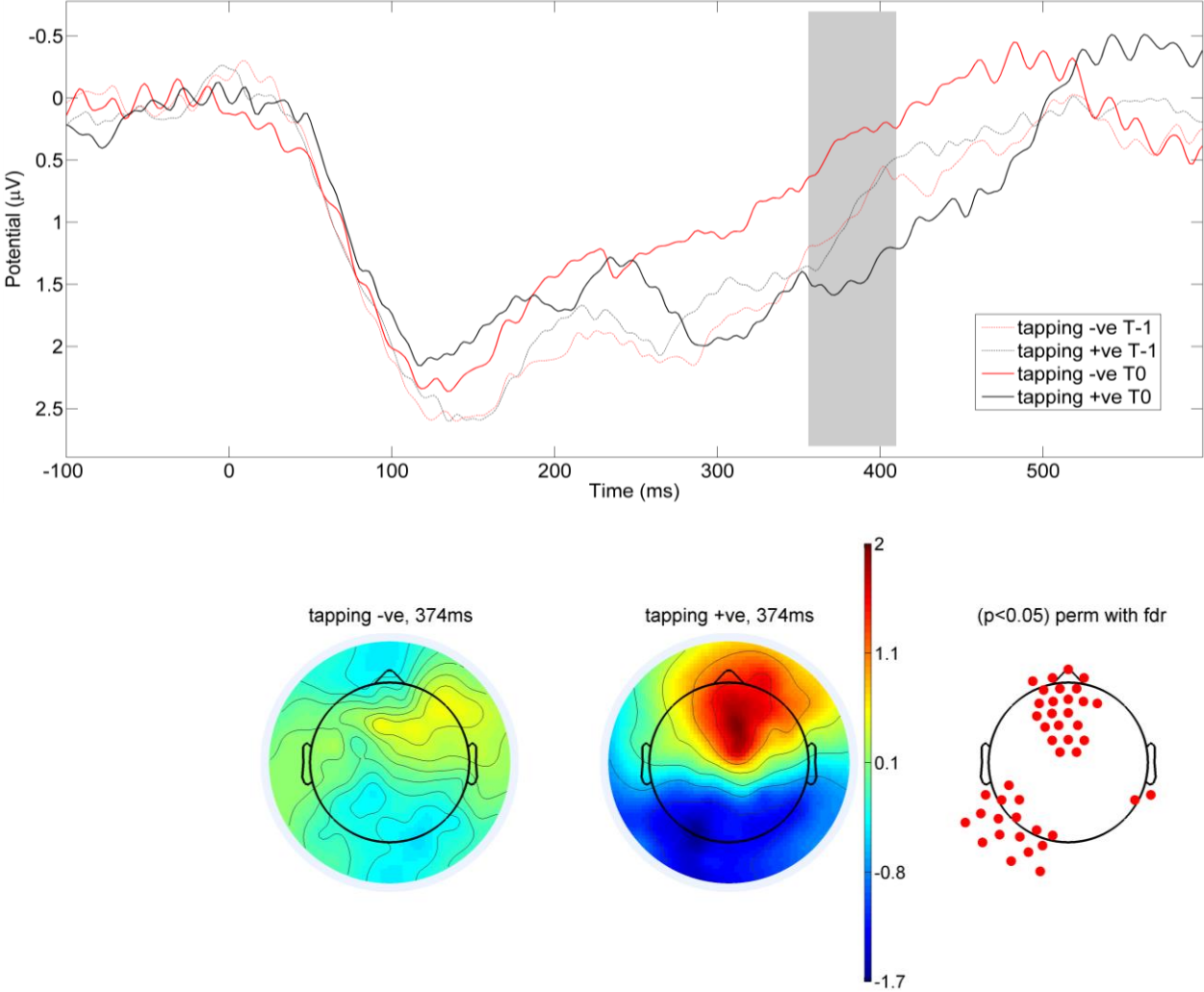




Figure 6

