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1 **The missing complexity in seismically imaged normal faults: What are the**
2 **implications for geometry and production response?**

3

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9

10 Abbreviated title: Complexity in seismically imaged faults

11 Keywords: seismic resolution; normal faults; forward modelling; fluid flow simulation

12

13 **Abstract**

14 The impact of geometric uncertainty on across-fault flow behaviour at the scale of individual
15 intra-reservoir faults is investigated in this study. A high resolution digital elevation model
16 (DEM) of a faulted outcrop is used to construct an outcrop-scale geocellular grid capturing
17 high-resolution fault geometries (5 m scale). Seismic forward modelling of this grid allows
18 generation of a 3D synthetic seismic cube, which reveals the corresponding seismically
19 resolvable fault geometries (12.5 m scale). Construction of a second geocellular model,
20 based upon the seismically resolvable fault geometries, allows comparison with the original
21 outcrop geometries. Running fluid flow simulations across both models enables us to assess
22 quantitatively the impact of outcrop resolution versus seismic resolution fault geometries
23 upon across-fault flow. The results suggest that seismically resolvable fault geometries
24 significantly underestimate the area of across-fault juxtaposition relative to realistic fault
25 geometries. In turn this leads to overestimates in the sealing ability of faults, and inaccurate
26 calculation of fault plane properties such as transmissibility multipliers (TMs).

27

28 **Introduction**

29

30 The use of outcrop analogues for understanding geological uncertainty in hydrocarbon
31 reservoirs has been common practice for many years. With the advent and widespread use
32 of geological modelling software, significant work has been conducted that aims to integrate
33 analogue data within subsurface models (Bryant *et al.* 2000; McCaffrey *et al.* 2005; Paton *et al.*
34 *et al.* 2007; Jones *et al.* 2009; Pringle *et al.* 2010). Forward modelling the seismic response of
35 geological outcrops can be applied as a tool for understanding the constraints that the finite
36 resolution of seismic data places on our interpretation of subsurface geology. Previously, it

37 has primarily been used for understanding facies architectural geometries (Hodgetts &
38 Howell 2000; Janson *et al.* 2007; Bakke *et al.* 2008; Armitage & Stright 2010; Falivene *et al.*
39 2010; Tomasso *et al.* 2010) and to enable the integration of geological and reservoir
40 engineering disciplines in characterizing the flow response across specific outcrops (Howell
41 *et al.* 2008; Jackson *et al.* 2009; Rotevatn *et al.* 2009a, b; Rotevatn & Fossen 2011; Adams
42 *et al.* 2011).

43

44 The complexity of normal fault geometries is well documented and is attributed to a number
45 of factors including fault growth and linkage resulting in the formation and destruction of
46 relay ramps, complex slip surfaces, fault drag and the role of mechanical stratigraphy; and
47 these can occur at a range of scales (Childs *et al.* 1997, 2009; Willemse 1997; Gupta *et al.*
48 1998; Gupta & Scholz 2000; McLeod *et al.* 2000; Paton & Underhill 2004; Paton 2006; Ferrill
49 & Morris 2008; Welch *et al.* 2009). Consequently, seismically resolvable across-fault
50 reservoir juxtapositions are likely to differ significantly from those that are present in the
51 subsurface at the reservoir scale. Although these factors are inherent when structural
52 uncertainty is considered (Johansen *et al.* 1994; Townsend *et al.* 1998; Alaei & Petersen
53 2007), a quantitative comparison of outcrop- and seismically-resolvable fault geometry has
54 so far been lacking, as have the implications of the fault geometry on reservoir simulation.

55

56 In this study, for the first time, we consider the discrepancy between seismically resolvable
57 normal faults with outcrop geometry in 3-dimensions using forward seismic modelling
58 techniques (Fig. 1). We then compare the simulated production response across both of the
59 fault geometry resolutions and consider the implications of the reduction in resolution for
60 intra-reservoir scale faults in production settings (Fig. 2).

61

62 **Methodology**

63 The methodology we employ requires a comparison of the simulated production in a faulted
64 reservoir at outcrop- and seismic-resolutions (Fig. 2). Prior to the simulation we derive the
65 seismic forward model (Fig. 3). We outline both workflows below.

66

67 ***Construction of the geocellular model***

68 *Input DEM and its limitations.* To characterise fault geometry at a sub-metre reservoir scale
69 a high resolution digital elevation model (DEM) from the Afar Rift system has been used
70 (Fig. 4). The Afar depression in northern Ethiopia began to form at approximately 30 Ma
71 (Barberi & Varet 1977) at the triple junction between the Gulf of Aden, Red Sea and East
72 African Rifts. The depression hosts a range of tectonic regimes including the Dabbahu
73 magmatic segment (Hayward & Ebinger 1996; Rowland *et al.* 2007) where the DEM is

74 located. We choose this area because of the availability of a high resolution data set but also
75 because the topographic surface represents a surface devoid of either significant erosion or
76 deposition, thereby representing accurate hangingwall and footwall cut-offs.

77

78 The DEM is derived from an airborne Lidar survey with a spatial resolution of approximately
79 0.5m, which is at least an order of magnitude greater resolution than high quality reflection
80 seismic data (Hofmann, 2013). This level of resolution reveals outcrop-scale detail, which
81 would be obscured by Fresnel zone effects in seismic data, allowing fault structure and
82 displacement to be accurately captured. Numerous 'reservoir scale' fault sets with resolvable
83 displacements of up to 40m are present in the area. The individual segments comprising
84 each fault set are laterally connected via relay zone linkages displaying various stages of
85 evolution and display a range of structures from soft-linked open relays through to fully
86 breached relays with almost continuous displacements. As would be expected, fault
87 architecture complexity is greatest in the vicinity of relay zones where displacement is
88 accommodated across multiple slip surfaces.

89

90 We construct the geocellular model at two resolutions (Fig. 2). The first is generated directly
91 from the DEM (the outcrop-resolution model) whereas the second is a seismic forward
92 modelled volume derived from the DEM to replicate a reservoir scenario (the seismic-
93 resolution model). For both resolutions we consider both partially and fully breached relay
94 ramp geometries. We recognise that our models are derived from the extrapolation of a 2D
95 surface and represent a 2.5D rather than a full 3D volume. Although this is a simplification,
96 this leads to our results underestimating the degree of complexity, a point that we discuss
97 subsequently.

98

99 *Seismic forward modelling.* Derivation of the seismic model involves a multi-stage workflow
100 (Fig. 3). The DEM, which has dimensions of approximately 400 x 400 m, is translated to a
101 depth typically analogous to a hydrocarbon reservoir (3500m) and forms the basis of the
102 model (Fig. 3b). The horizontal cell dimensions of 5 m are specified to provide manageable
103 simulation runs although the loss of resolution associated with this grid cell dimension is
104 minimised by careful location of cell nodes using the higher resolution DEM as a guide (Fig.
105 3c). Vertical grid dimensions are set at 1.5m. For both geometric models we model four
106 stratigraphic scenarios (Fig. 3d):

107

108 a) We model two reservoir interval thicknesses of 10m and 30m underlain and
109 overlain by impermeable shales (Figs. 3d(i) and 3d(ii)). These thicknesses represent
110 scenarios where the reservoir is thinner and thicker than the mean cumulative fault

111 throw respectively, and are referred to as high and low thickness to throw ratios
112 (Th:tw).

113 b) For the two scenarios above we populate the models with two separate sets of
114 petrophysical properties (Porosity, Permeability, VClay), firstly representing a
115 homogenous clean sandstone, and secondly a vertically heterogeneous stratigraphy
116 based on proprietary North Sea well data through a Brent group reservoir (Figs.
117 3d(iii) and 3d(iv) respectively).

118

119 Having established our 4 stratigraphic scenarios for both geometric models we populate the
120 geocellular grids with appropriate petrophysical properties (Table 1). These properties
121 include realistic northern North Sea mineralogical volumetric fractions and factors such as
122 VSand and VShale, as well as pore pressure, which is defined as being approximately 22
123 MPa above the hydrostatic gradient. Homogenous fluid saturations with no transition zone
124 have been modelled for simplicity.

125

126 The populated geocellular grids are exported to seismic forward modelling software
127 (SeisRox, Norsar) where the mineralogical compositions and porosity are used to calculate
128 the solid density assuming a Reuss mixing model (Fig. 3e; Reuss 1929). Gassmann's theory
129 (Gassmann 1951) is then applied along with the fluid properties (Table 1) and saturation
130 distribution to determine the elastic properties of the model, with reflectivity subsequently
131 calculated using the Zoeppritz equations (Zoeppritz 1919). A 3D seismic survey geometry is
132 defined (Fig. 3f) and a coarser resolution overburden model is constructed to account for
133 wave propagation through the subsurface for a given input wavelet (Fig. 3g). The geological,
134 elastic and reflectivity properties are combined with the background model and survey
135 design, and a simulated pre-stack local imaging (SimPLITM) algorithm (Gjøystdal *et al.* 2007)
136 is applied to generate a synthetic pre-stack depth-migrated 3D seismic cube (Fig. 3g).

137

138 *Synthetic volume interpretation and modelling.* Reflections within the synthetic seismic
139 volumes, which correspond to key horizons, are interpreted in geomodelling software with a
140 range of surface attributes such as coherency, edge detection and dip azimuth applied to aid
141 fault interpretation (Fig. 3h; Townsend *et al.* 1998, Freeman *et al.* 2010). Faults are picked
142 on every trace (approximately 10m spacing) to maximise lateral resolution and to maintain a
143 consistent interpretation methodology. The seismically resolvable fault and horizon
144 geometries are used to construct geocellular grids at the same dimensions and these are
145 populated with the same properties as the detailed grids from which they are derived (Fig.
146 3i).

147

148 *Assigning fault rock properties.* Within the geocellular models these properties are used to
149 calculate the fault rock properties used during reservoir simulation. It is assumed that fault
150 clay content (as defined by the shale gouge ratio (SGR) algorithm; Yielding *et al.* 1997) is
151 the primary control on fault rock permeability reduction relative to the host stratigraphy; other
152 mechanisms such as clay smearing and cataclasis are not considered. Low-, mid- and high-
153 seal case fault transmissibility multipliers (Knai & Knipe 1998; Manzocchi *et al.* 1999) are
154 calculated by employing three separate clay contents to permeability transforms based on
155 those of Manzocchi *et al.* (1999), Jolley *et al.* (2007) and Sperrevik *et al.* (2002) respectively.
156 These represent high-, mid-, and low-fault rock permeability respectively. Fault threshold
157 pressures of 5.9 bar have been assigned based on mean SGR values for the suite of
158 models, and the relationship defined by Bretan *et al.* (2003). To avoid introducing
159 complicating variables this value has been kept constant for all faults across all models.

160

161 **Flow simulations**

162 Following generation of both outcrop-resolution and seismic-resolution grids, the effect of the
163 discrepancies between the two geometries upon across-fault flow can be quantified using
164 flow simulations (Fig. 2). Simulation is performed using the Eclipse™ black oil simulator
165 (Schlumberger), with a 12 year waterflood development strategy consisting of a single
166 injection well in the hangingwall and a single production well in the footwall. Maximum
167 production rates have been set as 50 sm³/day for oil and 250 sm³/day for produced water
168 (i.e. an 83% water cut), with injection rates set to match oil production rates (Table 1). These
169 rates are broadly consistent with both the production data from the proprietary dataset used
170 to populate the stratigraphy, and similar simulation-based studies (Rotevatn *et al.* 2009a, b;
171 Rotevatn & Fossen 2011). To minimise compositional effects the bottom-hole pressure has
172 been set to prevent the bubble point pressure from being reached during pressure depletion
173 of the reservoir. Aquifer support consists of a Carter-Tracy aquifer (Batycky *et al.* 2007) with
174 drive from the down-dip hangingwall, as would be expected for a tilted fault block trap
175 geometry.

176

177 **Results**

178 In total, 8 different geocellular models are generated: 2 x resolution (outcrop resolution
179 versus seismic resolution); 2 x geometry (partially breached versus fully breached); 2 x
180 reservoir thickness (high and low Th:tw); and 2 x reservoir heterogeneity (homogenous
181 versus heterogeneous). For each of these models 3 different TM scenarios (high, mid and

182 low case) are simulated. Although we do not show all of the models here, we summarize the
183 main differences in geometry and production results amongst them.

184

185 ***Fault geometry***

186 The simplest comparison is the geometric difference for a partially breached relay ramp
187 between the outcrop-resolution and the seismic-resolution case (Fig. 5). Not surprisingly, the
188 fault geometries in the former are significantly more complex than the latter. Faults in the
189 seismic-resolution model generally consist of a single fault plane, which accommodates all of
190 the fault displacement with sub-seismic faulting being imaged as hangingwall deformation
191 and folding, as is the case in the example presented.

192

193 This complex fault architecture, which is below seismic resolution, reveals that displacement
194 is distributed across multiple slip surfaces, with this partitioning and complexity, including
195 fault lenses and faulted relay zones, being a direct result of fault growth processes (Childs *et al.*
196 *2009*). These are also likely to be poorly imaged due to diffraction effects (Townsend *et al.*
197 *1998*).

198

199 A representative selection of the other scenarios, including a breached relay ramp and
200 variations in throw:thickness ratio are shown in Figure 6. Although the difference between
201 the outcrop- and seismic-resolution models is most pronounced for the partially breached
202 relay ramp (Fig. 5 and Fig. 6a), it is important to note that it is not just the geometry that
203 plays a role in the final model, but also the stratigraphy. As an example, in the partially
204 breached geometry at seismic-resolution the presence of a thinner reservoir interval (Fig. 6a)
205 provides sufficient amplitude impedance that a significant amount of the smaller scale
206 faulting is imaged around the relay ramp. In contrast, for the thicker reservoir interval (Fig.
207 6b) although the input geometry is the same the thicker interval results in a less defined
208 impedance contrast, which reduces the detail in the imaging of the fault zone.

209

210 For the breached relay ramp example the differences are less pronounced (Figs. 6c and 6d).
211 In all scenarios the fault is relatively consistently defined and the main difference is the
212 degree to which local fault plane asperities and hangingwall/footwall deformation are
213 defined.

214

215 ***Effective juxtaposition***

216 Although qualitative comparisons are insightful (e.g. Figs. 5 and 6), we can also quantify the
217 differences between our scenarios. The effective juxtaposition area is defined as the area of
218 across-fault self-juxtaposition of the reservoir interval that provides a direct or indirect flow

219 pathway between the hangingwall and footwall. For both partially breached and fully
220 breached geometries (Figs. 6 and 7) the effective juxtaposition area is significantly lower for
221 the seismic-resolution fault geometries than the outcrop-resolution, reflecting the limited
222 resolution of the seismic data.

223

224 In order to quantify the influence of geometry and throw versus reservoir interval thickness
225 we calculate the absolute effective areas for outcrop-resolution and seismic-resolution
226 models (Fig. 7; fault dimensions in both scenarios have been equalized to allow for
227 comparisons). Juxtaposition area across parts of faults contained entirely within either the
228 main footwall or hangingwall blocks (e.g. fault tips and splays) do not contribute although
229 these minor faults may still effect the overall sweep pattern of the reservoir.

230

231 The magnitude of this effect is significantly greater where the vertical thickness of the
232 reservoir interval is less than the mean cumulative fault throw (low Th:tw). As a
233 consequence, low Th:tw configurations are often modelled with the reservoir interval being
234 completely offset, hence resulting in apparently widespread juxtaposition sealing. In contrast
235 the architectural complexity of high-resolution fault geometries, as defined by our outcrop
236 examples, leads to maintenance of across-fault juxtaposition, even for low Th:tw situations
237 (Fig. 6).

238

239 The difference in juxtaposition area is amplified where there is a low Th:tw, since a lower
240 throw is required to completely offset the reservoir and result in a juxtaposition seal. The
241 absolute values of effective juxtaposition area are higher for the partially breached
242 geometries than the fully breached geometries. Again, this is a result of fault growth
243 processes with profile readjustment of the hard-linked faults leading to increased throw
244 across the relay and hence lower juxtaposition areas being maintained. In addition, as throw
245 localizes onto the through-going structure small-scale faults and splays are abandoned in
246 the footwall or hangingwall and hence do not contribute to the effective juxtaposition area.

247

248 ***Simulation models***

249 We now consider how the observed variation in effective juxtaposition in the multiple
250 scenarios influences simulated production rates and fluid saturations.

251

252 *Production rates.* The effects on simulated production of the disparities in juxtaposition area
253 can be significant, with final cumulative produced volumes varying by over a factor of 4 (Fig.
254 7). The production curves also illustrate the differences between outcrop and seismically

255 resolvable geometries for high and low Th:tw ratios and low-, mid- and high-case fault rock
256 permeability.

257

258 Where a high Th:tw is modelled the effective juxtaposition areas are of the same order of
259 magnitude for both outcrop (Fig. 7a) and seismically-resolvable (Fig. 7b) geometries, leading
260 to virtually no difference in the simulated production results regardless of the different fault
261 TMs. In contrast, where a low Th:tw is modelled, the effective juxtaposition area is over an
262 order of magnitude lower for the seismically-resolvable geometry (Fig. 7d) than for the
263 outcrop-derived geometry (Fig. 7c), leading to significant variations in the simulation results.

264

265 The architectural complexity of the outcrop-resolution geometries leads to in excess of an
266 order of magnitude greater effective juxtaposition area than the seismically resolvable
267 geometries, and hence to multiple potential flow pathways being preserved. Although the
268 different TMs do lead to variations in the onset of production decline, over the course of the
269 simulations the cumulative produced volumes are similar. This differs from the seismically
270 resolvable geometries, where production rates and cumulative volumes vary significantly
271 over the course of the simulations.

272

273 The high-case fault TMs (low permeability) lead to restricted across-fault flow and hence low
274 production rates compared to the mid- and low-case TMs.

275

276 *Fluid saturations.* The impact of varying the juxtaposition area and the fault TMs is also
277 manifested by the fluid saturation distribution (Fig. 8). For the outcrop-derived geometries
278 there is increased focussing of flow up the relay zone with decreasing fault rock permeability
279 (high-case TMs), since the relay zone offers the path of least resistance. This is true for both
280 high and low Th:tw, although more apparent for low Th:tw. Despite this, for the outcrop-
281 derived geometries the saturation distributions are broadly consistent irrespective of the fault
282 TMs used (Fig. 8). Conversely the saturations for the geometries resolvable in the seismic
283 data vary vastly at any one simulation timestep, depending on the different fault geometries
284 (and hence juxtaposition area) and the different fault TMs. Where a high Th:tw is modelled,
285 varying the fault TMs has very little impact, whereas a low Th:tw leads to significant variation
286 in the simulated fluid distribution. In this situation the high- and mid-case TMs reduce across-
287 fault flow and hence impede the replacement of oil with water in the hangingwall. The low-
288 case TMs, however, have little impact on flow retardation, with production simulation results
289 being very similar to the outcrop-derived geometry.

290

291 ***Influence of varying net:gross***

292 The initial models employed a stratigraphy where the reservoir interval had a constant net to
293 gross ratio of 1 (Fig. 3). Vertical connectivity was not as restricted as would be the case for
294 an interbedded sequence of permeable and impermeable layers (e.g. Fig. 3d). In such
295 vertically stratified sequences faults can significantly enhance vertical permeability by
296 juxtaposing otherwise separate layers (Manzocchi *et al.* 2010). To test the impact of fault
297 geometric uncertainty in these situations, a series of models for both outcrop- and seismic-
298 resolution geometries have been constructed with the net:gross ratio ranging between 0.14
299 and 0.46 (Fig. 9 shows representative outcrop-resolution models). The effective juxtaposition
300 area increases with net:gross, although it remains consistently higher for the outcrop-
301 resolution geometry (Figs. 9a and 9c).

302

303 Intuitively it would be expected that the mean SGR values on these juxtaposition windows
304 would decrease with increasing net:gross since overall there is less shale within the
305 sequence, however this is not the case. Instead a more complex, less predictable pattern of
306 mean SGR values emerges, especially for the outcrop-derived geometry. At the lowest
307 values of net:gross the majority of juxtaposition windows occur where the throw is less than
308 the thickness of the individual layers, for example towards fault tips (Fig. 9b). A minimal
309 volume of shale has therefore passed the fault and hence low SGR values result. In
310 contrast, where moderate net:gross ratios have been modelled (Fig. 9c), a greater area of
311 juxtaposition occurs, however a larger proportion of shale has passed these windows and
312 results in a higher SGR value.

313

314 The role of fault TMs and fault geometry on production is also considered (Fig. 10). Where
315 low-case (high permeability) fault TMs are specified (Fig. 10a) the disparity in juxtaposition
316 area between the two geometries has less impact on the simulated production, since the
317 low-case fault TMs do not excessively restrict across-fault flow. Therefore, for any given
318 net:gross ratio the difference between the outcrop-resolution and seismic-resolution
319 geometries is less than for the cases with lower permeability fault rocks (Fig. 10c).

320 In contrast, where high-case TMs are employed (Fig. 10c) the cumulative production volume
321 is consistently lower for the seismically resolvable geometry than for the outcrop-derived
322 geometry, irrespective of the net:gross of the stratigraphy. This indicates that the low
323 permeability of the fault rocks, combined with the lower juxtaposition areas of the seismically
324 resolvable geometry, is severely restricting across-fault flow. This emphasizes that the
325 predicted impact of faults upon fluid flow within reservoirs based upon their seismically
326 resolvable geometries may vary significantly compared to their impact when realistic
327 geometries (and hence juxtaposition areas) are accounted for.

328

329 **Vertical permeability**

330 Although a number of our models utilize a well-derived, vertically layered permeability
331 distribution, within each individual layer the permeability values are isotropic. It is common
332 however for vertical to horizontal permeability ratios ($K_v:K_h$) to be significantly lower than 1,
333 due to compaction and preferential alignment of grains during burial. This leads to the
334 impediment of layer-perpendicular fluid flow which restricts hydraulic connectivity of vertically
335 separated layers. Previous work (Manzocchi *et al.* 2010) has shown the importance of fault
336 structure in enhancing vertical connectivity in low $K_v:K_h$ sequences. The relative impact of
337 varying the $K_v:K_h$ on the simulated production response of outcrop and seismically
338 resolvable fault geometries has been assessed by running simulations across 6 orders of
339 magnitude of $K_v:K_h$ (Manzocchi *et al.* 2010) (Fig. 11). Mid-case fault TMs have been
340 assigned for all scenarios. For both geometries a lower $K_v:K_h$ results in a lower cumulative
341 production volume, with the absolute produced volumes being lower for the seismically
342 resolvable geometry compared to the outcrop-derived geometry. The results for the
343 seismically resolvable geometry also display significantly more variation than those of the
344 outcrop-derived geometry. As already seen, outcrop fault geometries are significantly more
345 complex than those resolved within seismic data. This complexity enhances vertical
346 connectivity by allowing across-fault juxtaposition of otherwise vertically separated areas,
347 and hence leads to less disparity between high and low ratio $K_v:K_h$ stratigraphies. As a
348 result the limited across-fault juxtaposition area of the seismically resolvable geometries
349 restricts the vertical connectivity and leads to greater variability between the different $K_v:K_h$
350 ratio stratigraphies. This suggests that determining the correct $K_v:K_h$ may be less important
351 than simulations based upon seismically resolvable fault geometries would imply.

352

353 **Implications**

354 Faults are almost universally represented within geocellular models, and by extension, fluid
355 flow simulators as simple, single slip surfaces. The reason for this is both an issue of data
356 resolution and of the limitations in incorporating faults within geocellular grids. However, fault
357 growth processes necessitate that fault architecture is significantly more complex than the
358 geometries resolvable in, and modelled from, seismic data. As a result, fault and simulation
359 models that are constructed based upon seismically resolvable fault geometries are unlikely
360 to behave in the same way with regards to across-fault fluid flow as would the complex fault
361 geometries present in the subsurface.

362

363 A number of different approaches may aid and improve the accuracy of simulations where
364 faults are present. A variety of techniques exist for predicting fault architecture based upon
365 the burial history and geomechanical properties of the stratigraphy, however these are

366 generally restricted to two dimensions (e.g. Welch *et al.* 2012). Difficulties arise in
367 incorporating this complexity into large reservoir models, where horizontal grid-cell
368 dimensions may typically be on the order of 200m. Locally refining the grid to a level of detail
369 which allows the complexity to be captured often leads to prohibitively long simulation run
370 times (Manzocchi *et al.* 2008).

371

372 Incorporating the vertical heterogeneity in fault structure is even less straightforward given
373 the way geocellular grids are constructed in the majority of reservoir modelling software
374 packages. Indeed, as outlined previously, our models correspond to a high resolution 2.5D
375 model rather than a full 3D volume. Were it possible to capture and subsequently model the
376 full 3D geometry of faults it is likely that the additional heterogeneity encountered would lead
377 to even greater levels of across-fault juxtaposition than our 2.5D approximations.

378

379 An alternative approach to including fault geometries and properties deterministically is to
380 incorporate complexity via a conditioned semi-stochastic or probabilistic methodology
381 (Odling *et al.* 2005; Rivenæs *et al.* 2005; Childs *et al.* 2007; Manzocchi *et al.* 2008; Yielding
382 2012). Although this approach has a number of potential pitfalls, especially where a laterally
383 heterogeneous stratigraphy is present, it may provide more accurate predictive simulations
384 of fluid flow. Perhaps the simplest approach to account for geometric complexity is to
385 stochastically include sub-seismic relay zones (Manzocchi *et al.* 2008) which provide across-
386 fault flow pathways.

387

388 Our results have indicated that across-fault juxtaposition area is likely to be severely
389 underestimated when based on seismically resolvable fault geometries, potentially leading to
390 faults being modelled as overly retardant to flow. Nevertheless certain scenarios, such as
391 shale-rich, low net:gross reservoirs, may indeed experience juxtaposition-restricted across-
392 fault flow. Under these conditions the relative importance of the fault rock properties on
393 influencing across-fault transmissibility increases, with significant variability observed where
394 different clay content to permeability transforms are applied. These permeability transforms
395 are dependent on a number of variables including the specific burial history, hence applying
396 a locally calibrated clay content to permeability transform is critical where limited across-fault
397 juxtaposition area exists.

398

399 ***Relative importance of fault zone structure versus fault rock properties***

400 Our simulation results suggest that it is the juxtaposition area that is the most critical factor in
401 controlling across-fault fluid flow, with fault rock properties being of subordinate importance.
402 For high-resolution fault geometries, with large juxtaposition areas, there is minimal

403 difference in simulated results irrespective of the fault TMs which are applied. Conversely
404 the seismically resolvable geometries, with low juxtaposition areas, display significant
405 variation between different fault TM scenarios. This leads to the most important implication,
406 that seismically resolvable fault geometries are often modelled as being too sealing, since
407 they underestimate the juxtaposition area available to accommodate across-fault flow. This
408 also leads to erroneous emphasis being placed on the influence of fault rock properties on
409 fluid flow. Indeed, since the calculation of SGR-based fault TMs is dependent on fault throw,
410 it is likely that the fault TMs applied to seismically resolvable fault geometries may be
411 inappropriate.

412

413 **Conclusions**

414 For the first time we use a high resolution DEM to generate a 3D synthetic seismic cube in
415 order to compare geometry, petrophysical properties and flow simulation on normal faults at
416 high resolution and at seismic resolution. Our findings show:

417

- 418 • Fault geometries identifiable in seismic data are significantly simplified relative to
419 those observed at outcrop and this reduction is most noticeable in partially breached
420 relay ramps.
- 421 • The simplified geometry leads to a severe underestimate in the area of across-fault
422 self-juxtaposition of reservoir intervals for seismically resolvable faults, with the
423 magnitude of this disparity being amplified where the reservoir thickness is less than
424 the mean fault throw.
- 425 • Large juxtaposition areas, regardless of whether they are within the outcrop or
426 seismic model, lead to limited differences in the across-fault flux of hydrocarbon
427 irrespective of the fault transmissibility multipliers which are applied.
- 428 • With a relatively permeable fault rock only a small juxtaposition 'window' is required
429 to dominate across-fault fluid flow. This leads to a similar production response to
430 situations with significantly larger juxtaposition areas. Identifying potential 'windows'
431 is therefore critical when attempting to predict across-fault flow behaviour.

432

433 We conclude that across-fault fluid flow is, therefore, in part controlled by a combination of
434 both juxtaposition area and fault permeability. Fault geometries modelled from seismic data
435 will underestimate the juxtaposition area available for across-fault flow, often leading to faults
436 being modelled as overly sealing even when appropriate fault permeabilities are included.
437 This emphasizes the importance of careful mapping of faults geometries when assessing

438 reservoir performance. Ideally multiple realizations, rather than a single realization, of fault
439 geometry would be included in reservoir uncertainty analysis.

440

441

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448

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609 Table 1 Physical properties used for generation of elastic and reflectivity cubes during the
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611

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614 Fig. 1. (a) Reservoir scale faults from Utah, USA. The complex fault geometry results in
615 partitioning of displacement across multiple fault planes, leading to the individual units being
616 self-juxtaposed. (b) Typical sub-surface seismic response of the fault structure shown in (a).

617 The image shown in (a) is superimposed for reference. Note the lack of resolvable detail.
618 The preclusion of detailed imaging of fault structure generally leads to faults being modelled
619 as simple two-dimensional planes. Uncertainty in the position of horizon-fault intersections
620 caused by amplitude deterioration adjacent to faults is tackled by projecting reflectors
621 towards the faults from a set distance.

622

623 Fig. 2. Generalized workflow used for comparing simulation results for outcrop-resolution
624 and seismically forward resolution fault geometries. (a) High resolution LIDAR DEM is used
625 to construct a detailed fault model and geocellular grid at a depth of 3500m. This grid is
626 subsequently populated with appropriate petrophysical properties. (b) The populated
627 geocellular grid is exported to forward modelling software where the elastic and reflectivity
628 properties are calculated. These properties are used in conjunction with a background model
629 and seismic survey design to generate a 3D synthetic pre-stack depth-migrated seismic
630 cube. (c) The forward modelled seismic cube is interpreted and the seismically resolvable
631 fault geometries used to construct a second geocellular grid. This grid is populated with the
632 same petrophysical properties as the original, outcrop-derived models. (d) Fluid flow
633 simulation results for both the outcrop-derived and the seismically resolvable geometries
634 allow the differences in across-fault flow which are due to the discrepancies in fault
635 architecture to be identified.

636

637 Fig. 3. Specific workflow for generating the seismic forward model from the geological
638 model. a) Input surface from the DEM. b) Geocellular grid generated from the DEM. c) The
639 geocellular grid is re-sampled into a regular grid with uniform cell dimensions prior to export
640 to forward modelling software. d) Varying petrophysical properties are used to populate the
641 geometries in (c). The reservoir interval is either thicker (i, iii) or thinner (ii, iv) than the mean
642 fault throws. The stratigraphies are either homogeneous (i, ii) or derived from North Sea well
643 data (iii, iv). e) Geocellular grid is imported into forward modelling software and populated
644 with appropriate petrophysical properties. f) A 3D survey is designed and the dip and
645 azimuth of potentially illuminated reflections calculated. This is combined with an input
646 wavelet and the elastic and reflectivity properties of the target area and of the background
647 model to generate the synthetic seismic cube. g) The synthetic pre-stack depth-migrated
648 (PSDM) seismic cube. h) A standard seismic interpretation workflow is used to generate
649 seismic horizons and fault interpretations. i) A geocellular model is constructed from the
650 seismic interpretation with the same dimensions as the original, detailed model. It is
651 populated with identical petrophysical properties.

652

653 Fig. 4. Location map for the digital elevation data used to generate high-resolution fault
654 architectures. The data are located within the Afar rift system, Ethiopia. A number of the rift
655 elements are shown for reference (Rowland *et al.* 2007; Barberi & Varet 1977).

656

657 Fig. 5. Example of a) outcrop-resolution and b) seismic-resolution models generated for a
658 partially breached relay zone.

659

660 Fig. 6. Oblique view of a selection of the input (outcrop-resolution), synthetic, and output
661 (seismic-resolution) models for 'Top Reservoir' horizon. (a) Thickness < Throw,
662 homogeneous stratigraphy, partially breached relay. (b) Thickness > Throw, heterogeneous
663 stratigraphy, partially breached relay. (c) Thickness < Throw, homogeneous stratigraphy,
664 fully breached relay. (d) Thickness > Throw, heterogeneous stratigraphy, fully breached
665 relay.

666

667 Fig. 7. Four different scenarios from Figure 6 to show the influence of resolution and
668 stratigraphy on both effective juxtaposition and production for a partially breached relay
669 ramp. (a) High Th:tw, outcrop fault geometry. (b) High Th:tw, seismically resolvable
670 geometry. (c) Low Th:tw, outcrop fault geometry. (d) Low Th:tw, seismically resolvable
671 geometry. The simulation results highlight the importance of the ratio of stratigraphic
672 thickness to fault throw (Th:tw) in terms of the effective juxtaposition area (shown) for a
673 partially breached relay zone geometry. OPC = Oil Production Cumulative, OPR = Oil
674 Production Rate, Red = High seal TM, Yellow = Mid Seal TM and Green = Low Seal TM.

675

676 Fig. 8. Images of fluid saturation part way through the simulation runs for nine different
677 scenarios. Red is low saturation and blue is high saturation. There are limited differences in
678 fluid distribution between the outcrop and seismically resolvable fault geometries and the
679 different fault TMs where there is a high Th:tw, and hence a large juxtaposition area. In
680 contrast the low Th:tw cases show significant differences in fluid saturation distribution for
681 the different fault geometries and different fault TMs.

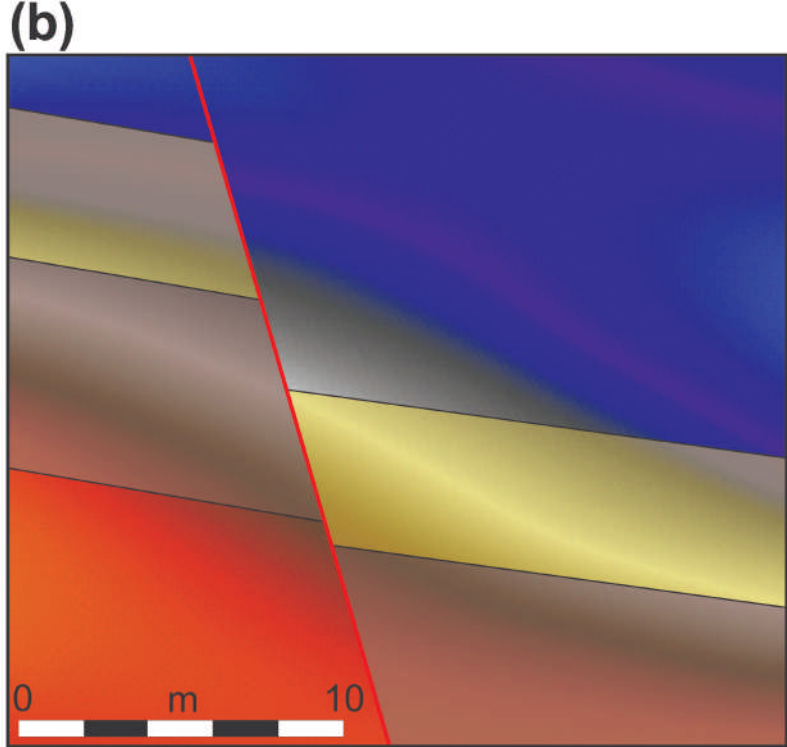
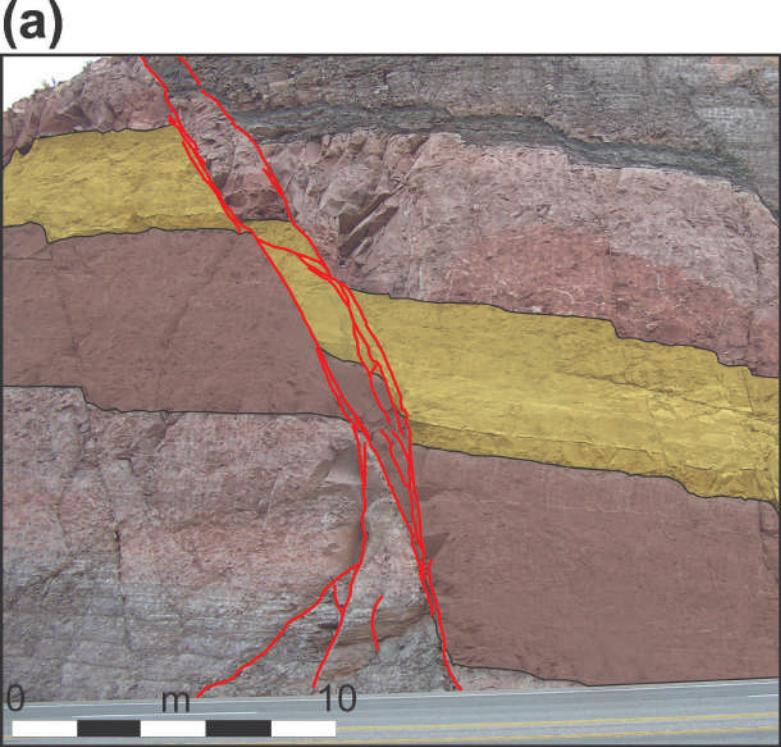
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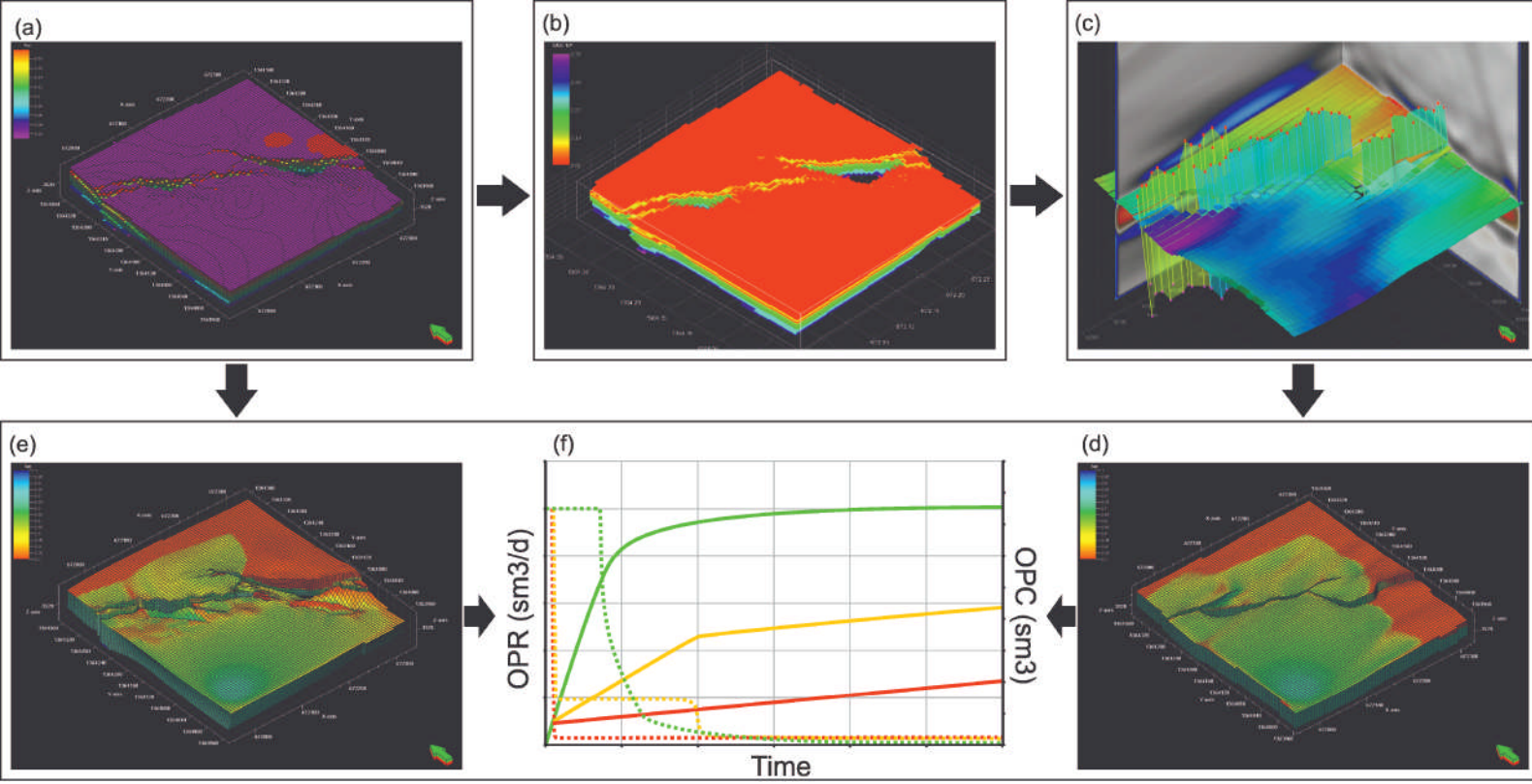
683 Fig. 9. Oblique view of partially breached outcrop geometry showing the resulting models
684 populated with (a and b) N:G = 0.14 and (c and d) N:G = 0.46. (b) and (d) show
685 corresponding SGR values with faults shown as a transparency with SGR values
686 superimposed where the reservoir interval is self-juxtaposed. The base reservoir horizon is
687 also shown. In (b) Low N:G (0.14) results in the reservoir only being self-juxtaposed in areas
688 of very low displacement, i.e. at the fault tips. Since these areas have passed little shale
689 during deformation, their corresponding SGR values are low. In contrast, in (d) a higher N:G

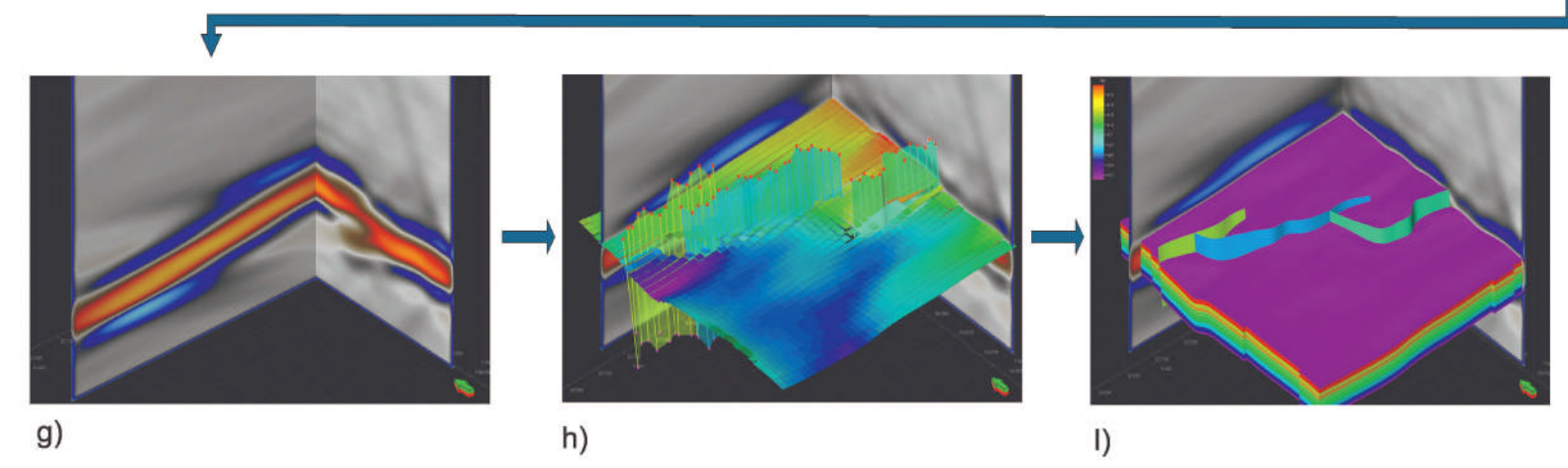
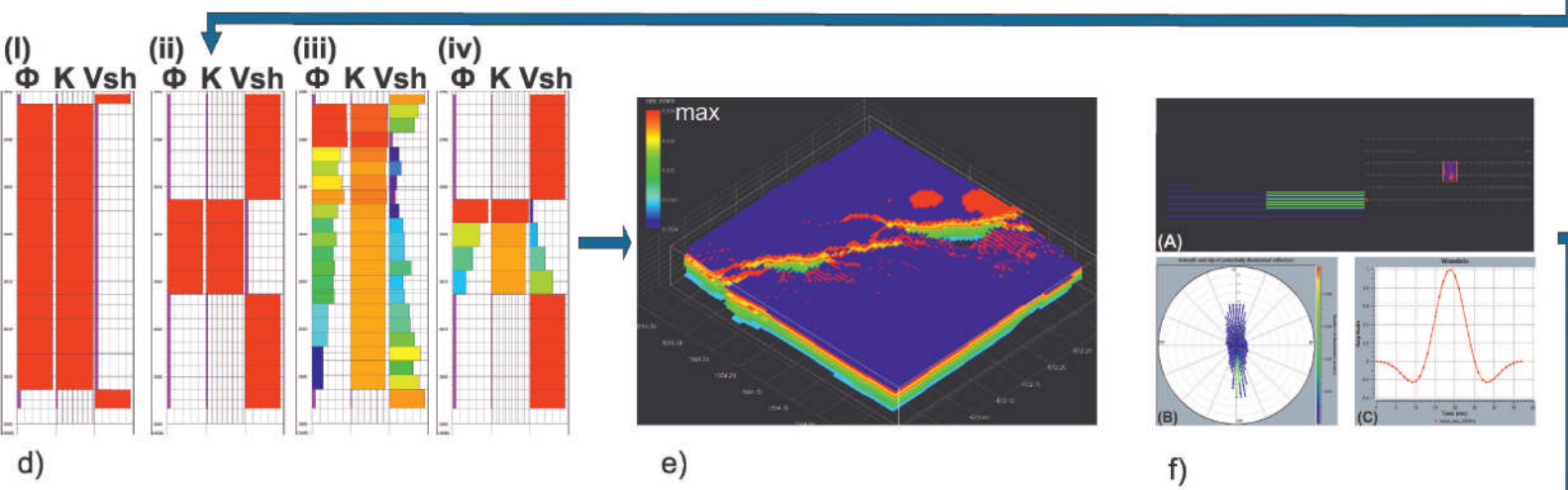
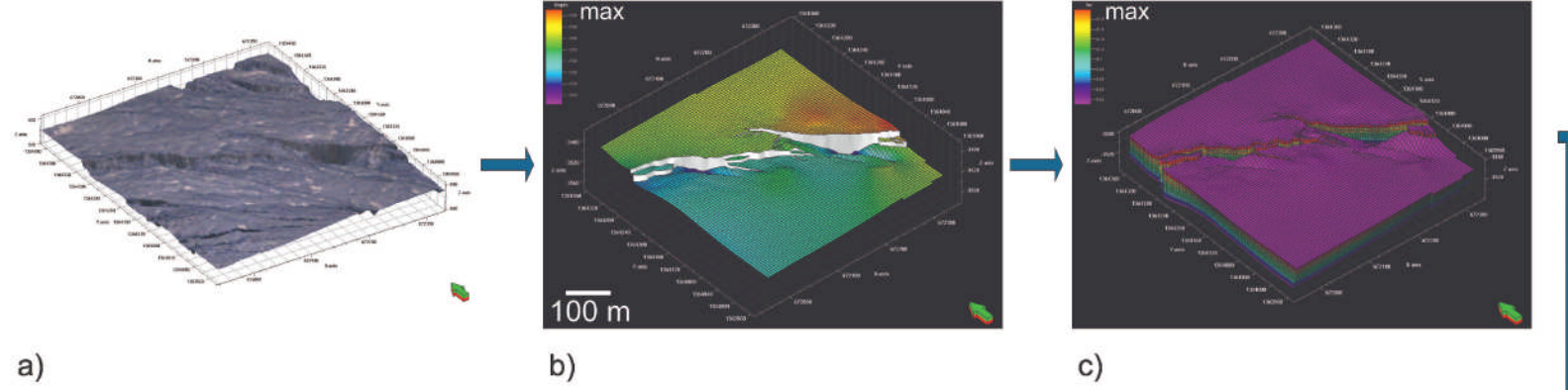
690 (0.46) leads to multiple sections of the reservoir interval being self-juxtaposed. Many of
691 these intervals have passed shale during deformation and hence have higher SGR values.
692

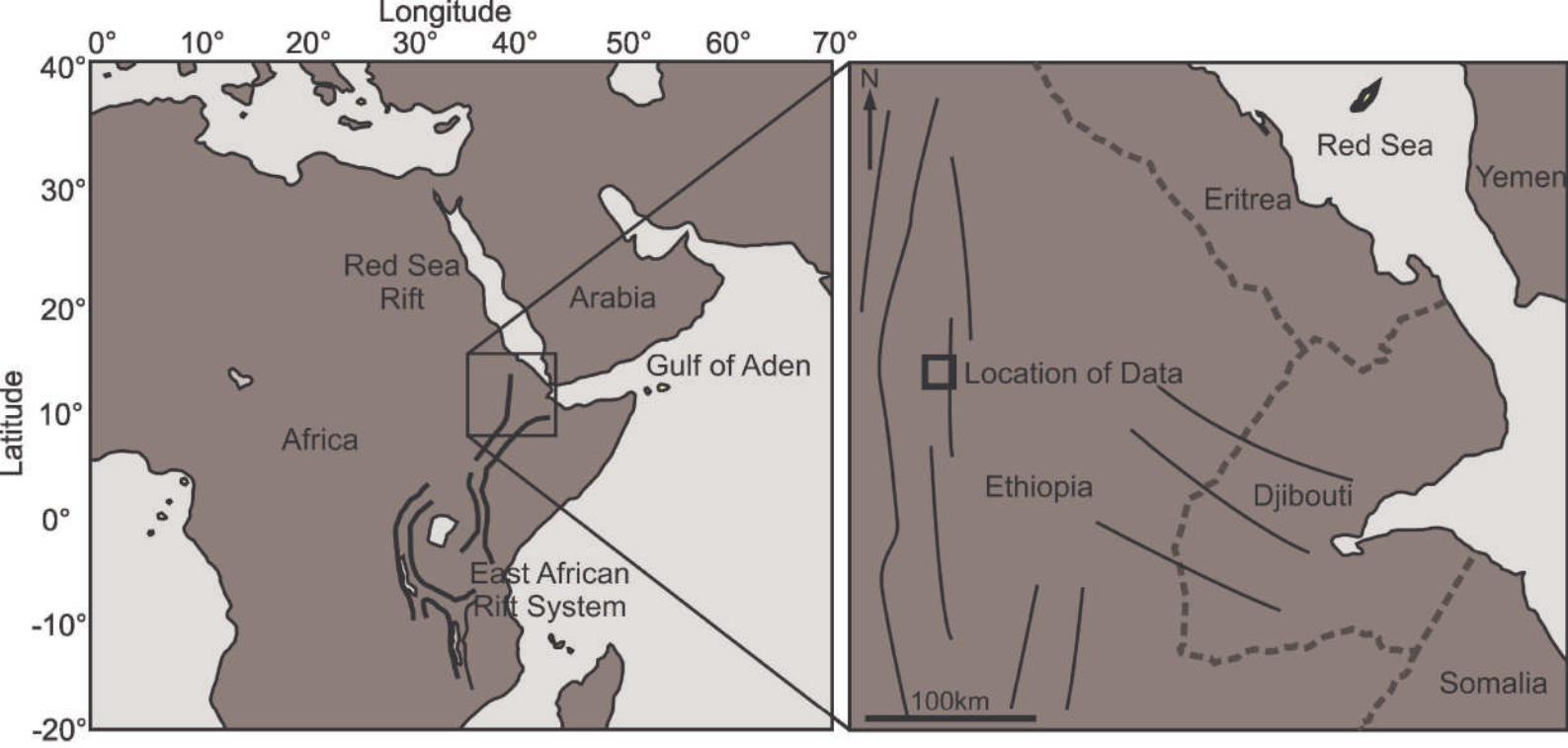
693 Fig. 10. Cumulative produced volume from seismically resolvable geometries
694 as a percentage of that of the outcrop geometry for varied N:G ratios. (a) low case TMs, (b)
695 mid case, (c) high case. Higher fault rock permeability (a) leads to less disparity between
696 seismically resolvable and outcrop-derived fault geometries than less permeable fault rocks
697 (c).

698
699 Fig. 11. Plots illustrating the impact of vertical to horizontal permeability ratio ($K_v:K_h$) on
700 cumulative hydrocarbon production for (a) outcrop-derived fault geometry and (b) forward
701 modelled, seismically resolvable fault geometry. The percentage difference between the
702 highest and lowest $K_v:K_h$ ratios is shown by the solid black lines. In both cases lower $K_v:K_h$
703 results in lower cumulative hydrocarbon production over the course of the simulation runs.
704 The difference between the highest and lowest produced volumes however is significantly
705 greater for the seismically resolvable fault geometries (b, ca. 40%) than the outcrop-derived
706 fault geometries (a, ca. 20%). Note that the absolute produced volumes are also significantly
707 lower for the seismically resolvable geometry (b).
708

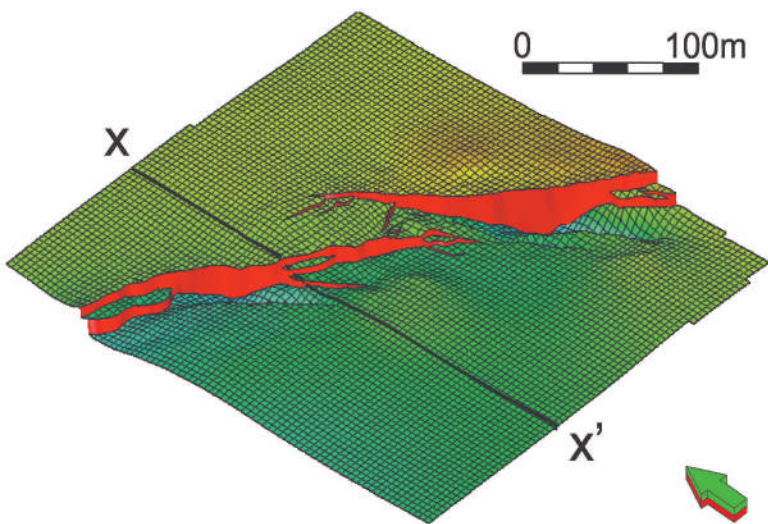




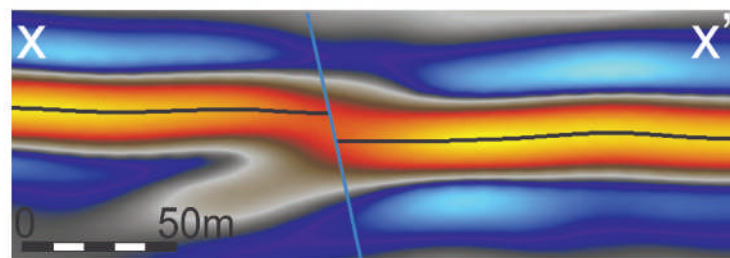
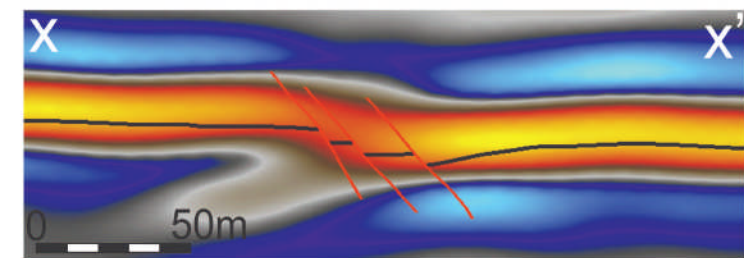
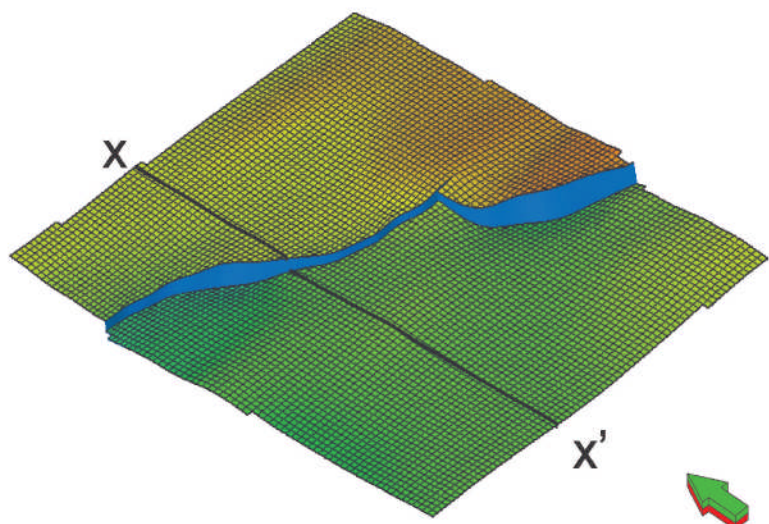


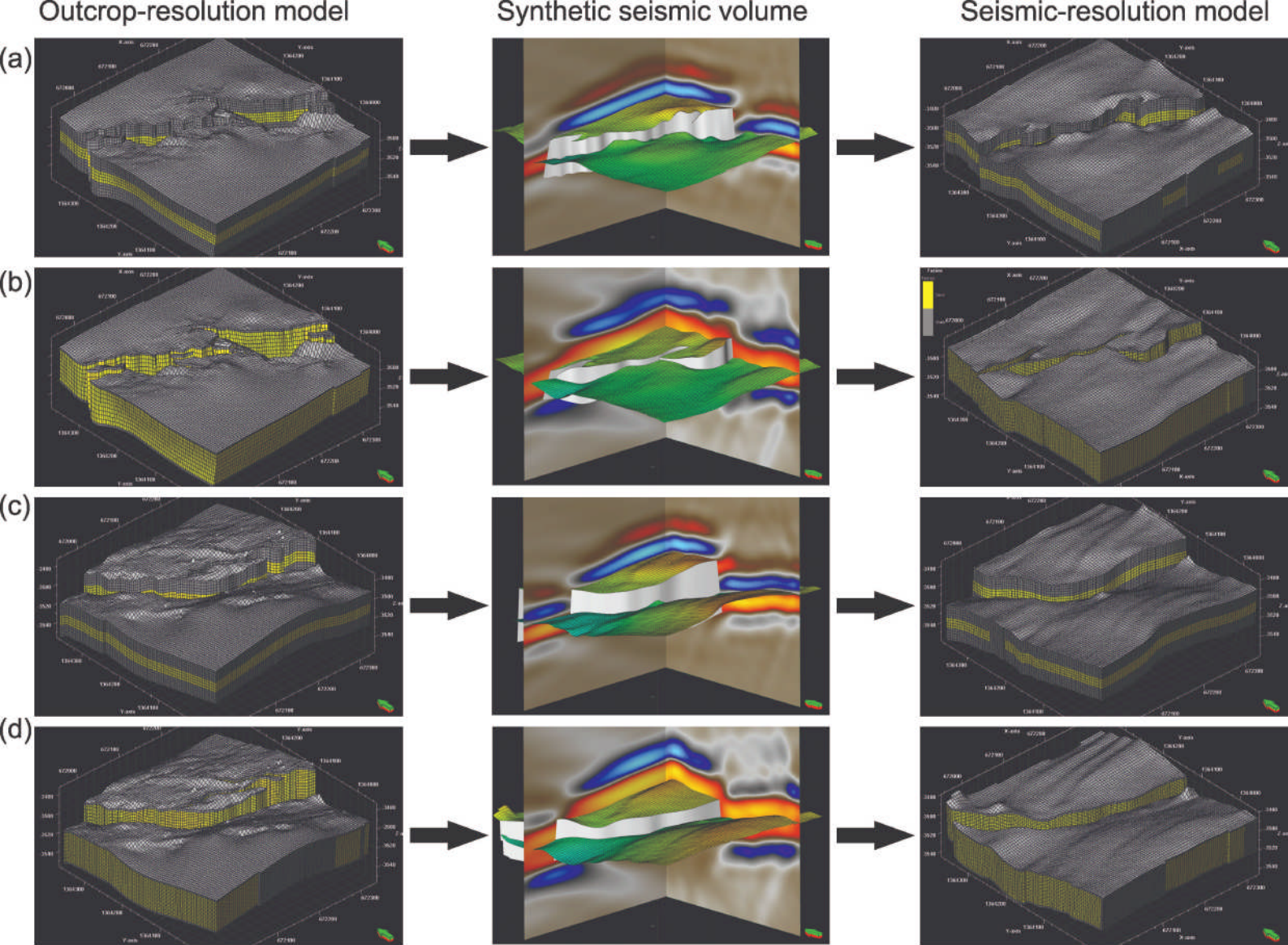


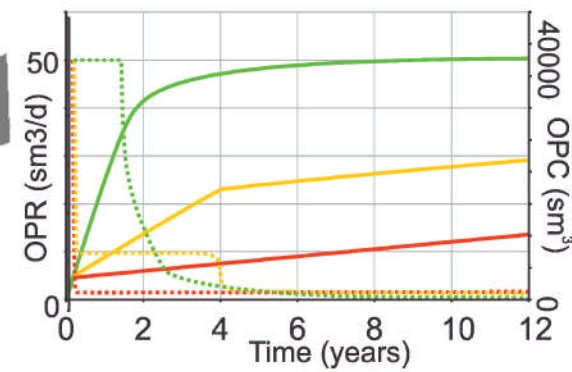
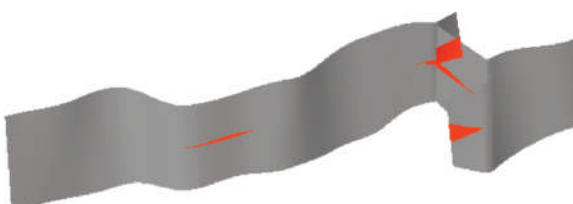
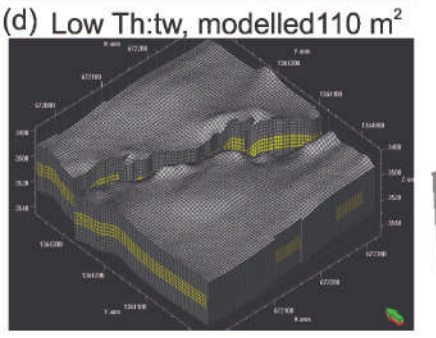
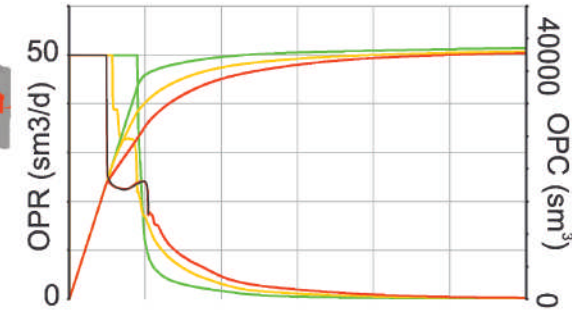
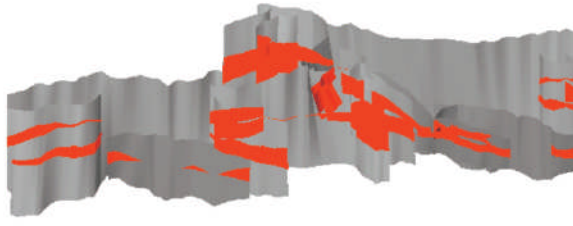
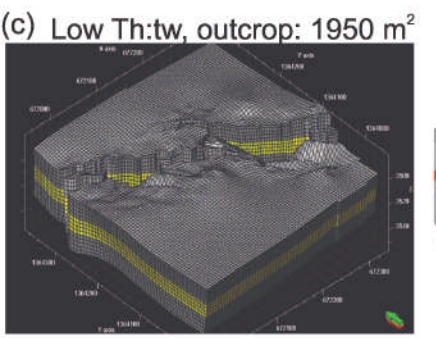
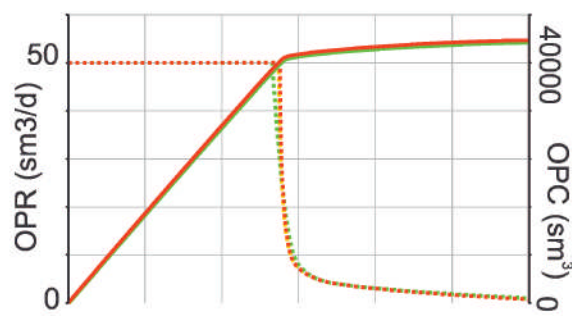
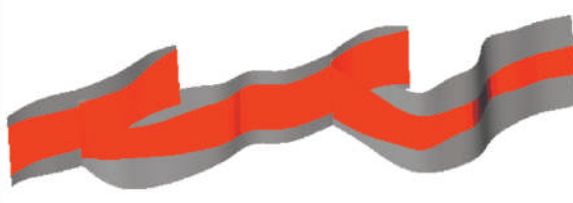
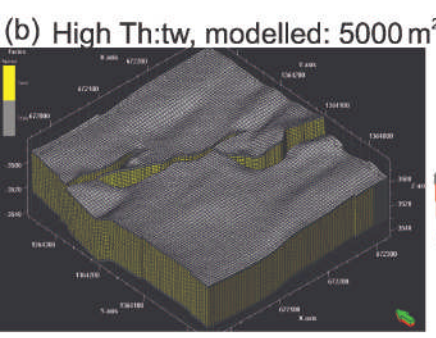
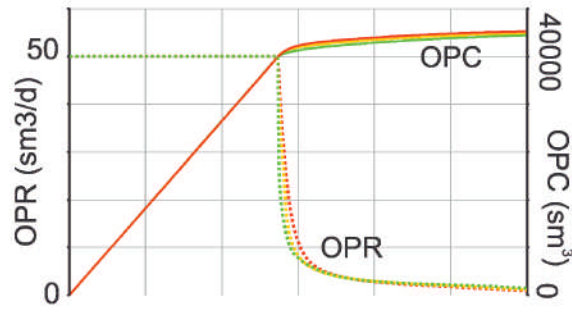
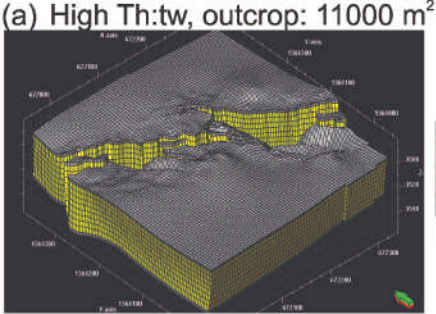
(a)



(b)





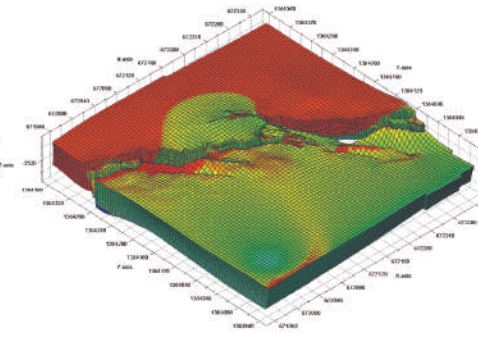
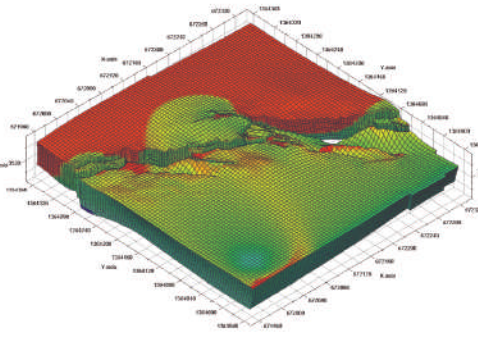
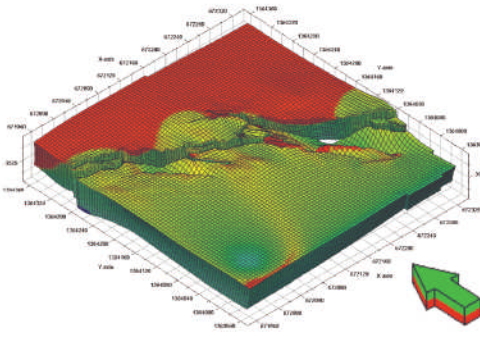


Low-case TMs
(high K fault rocks)

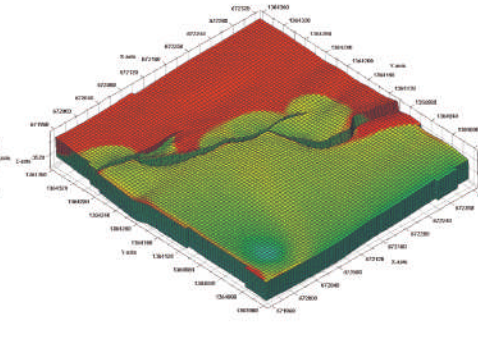
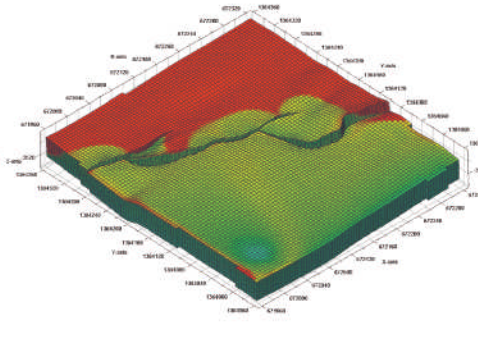
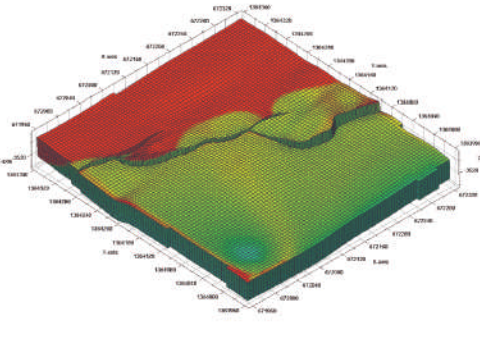
Mid-case TMs
(mid K fault rocks)

High case TMs
(low K fault rocks)

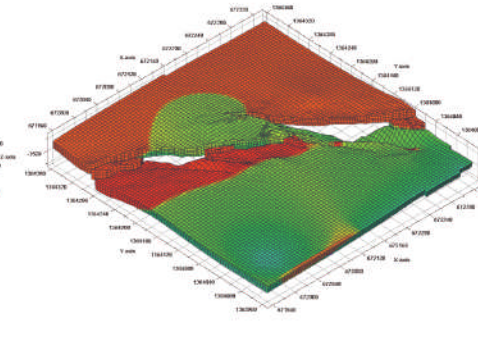
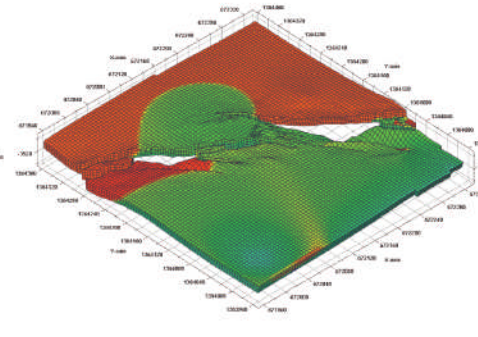
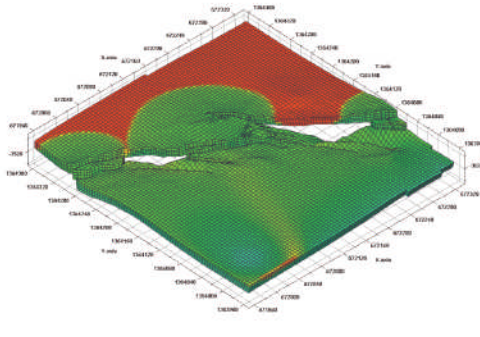
High Th:tw,
Outcrop



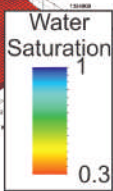
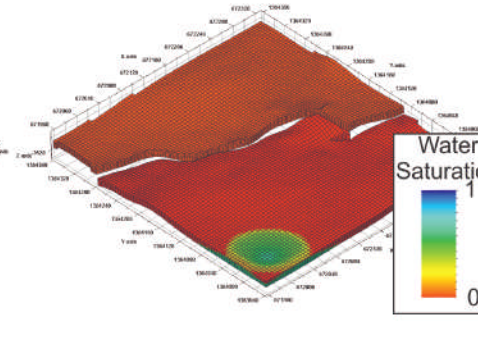
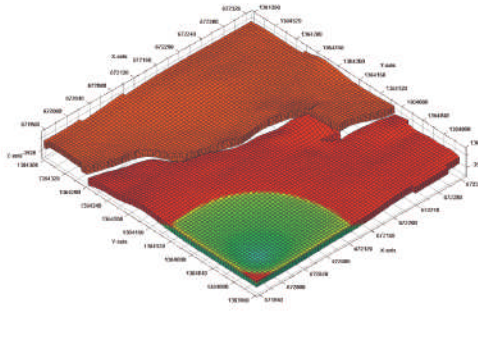
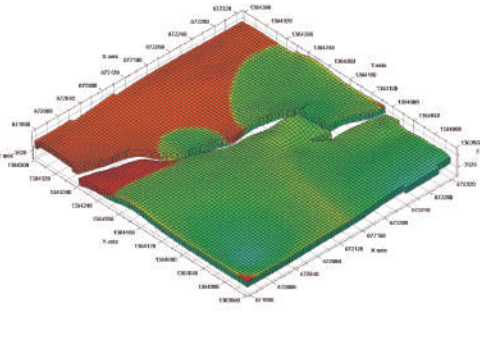
High Th:tw,
Seismic



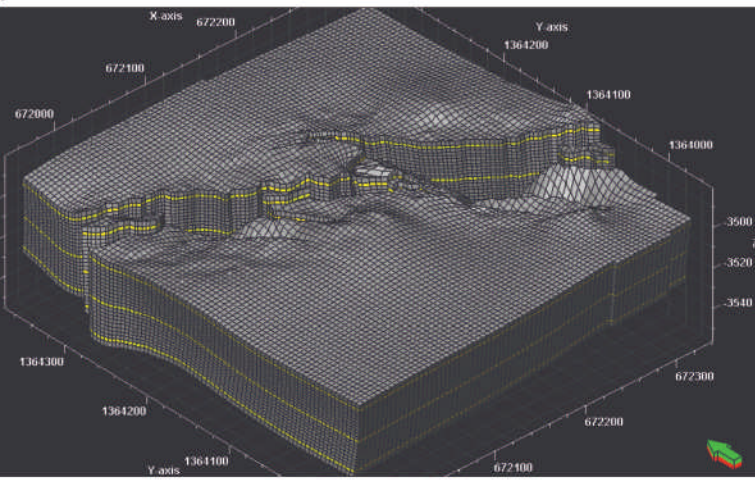
Low Th:tw,
Outcrop



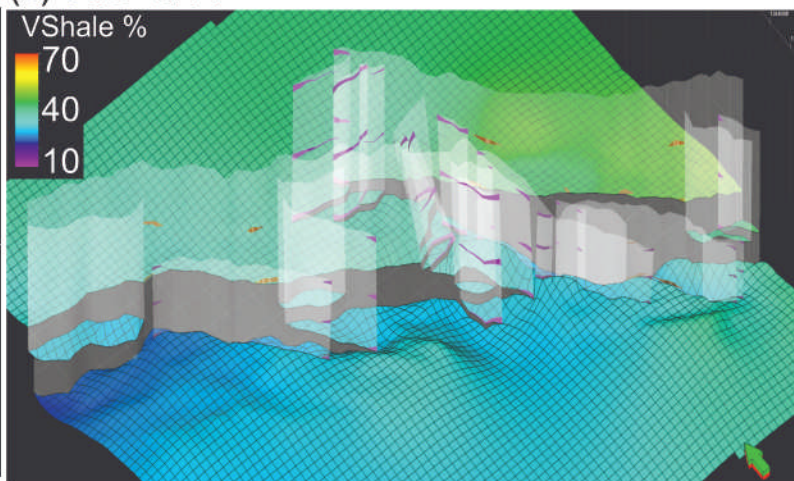
Low Th:tw,
Seismic



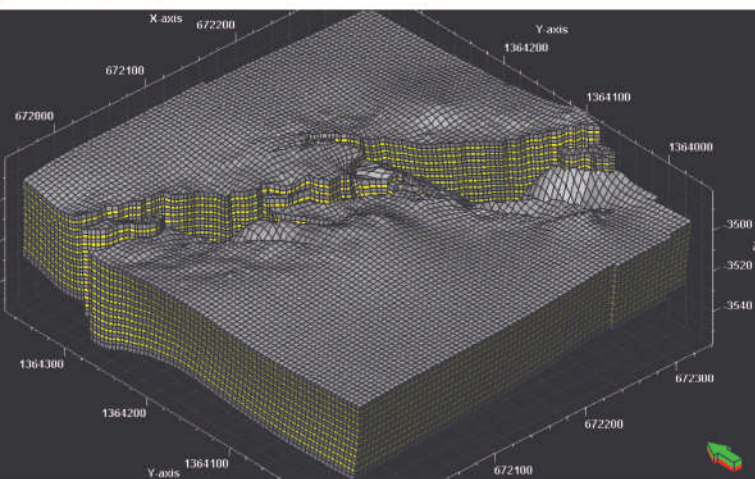
(a) N:G=0.14



(b) N:G=0.14



(c) N:G=0.46



(d) N:G=0.46

