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# Transient beta modulates decision thresholds during human action-stopping

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#### ABSTRACT

Action-stopping in humans involves bursts of beta oscillations in prefrontal-basal ganglia regions. To determine the functional role of these beta bursts we took advantage of the Race Model framework describing actionstopping. We incorporated beta bursts in three race model variants, each implementing a different functional contribution of beta to action-stopping. In these variants, we hypothesized that a transient increase in beta could (1) modulate decision thresholds, (2) change stop accumulation rates, or (3) promote the interaction between the Stop and the Go process. We then tested the model predictions using EEG recordings in humans performing a Stop-signal task. We found that the model variant in which beta increased decision thresholds for a brief period of time best explained the empirical data. The model parameters fitted to the empirical data indicated that beta bursts involve a stronger decision threshold modulation for the Go process than for the Stop process. This suggests that prefrontal beta influences stopping by temporarily holding the response from execution. Our study further suggests that human action-stopping could be multi-staged with the beta acting as a pause, increasing the response threshold for the Stop process to modulate behavior successfully. Overall, our approach of introducing transient oscillations into the race model and testing against human electrophysiological data provides a novel account of the puzzle of prefrontal beta in executive control.

#### 1. Introduction

Prefrontal beta oscillations occur during action-stopping in both human and non-human primates (Errington et al., 2020; Hannah et al., 2020; Jana et al., 2020; Swann et al., 2009; Wagner et al., 2018). The Stop-signal task is widely used to assess action-stopping behavior in humans. The task mostly involves Go trials, in which subjects quickly respond to a Go cue. However, occasionally, on Stop trials, a Stop-signal is presented after the Go cue, instructing the subject to withhold responding. There are increases in prefrontal beta in these Stop trials, and these increases happen before the action is stopped, i.e. before the stop-signal reaction time (SSRT). It has been hypothesized that these beta oscillations (which occur as bursts at the single-trial level) could be a marker of a fast hyper-direct prefrontal STN pathway that gets recruited to stop motor-processes (Aron, 2011; Chen et al., 2020). Furthermore, the timing of beta bursts correlates with the time the action is cancelled (Hannah et al., 2020; Jana et al., 2020). Currently, the neural mechanisms by which prefrontal beta influences action-stopping are not clear. One possibility is that a beta burst reflects an active communication channel between prefrontal regions and the basal ganglia (c.f. (Fries, 2005)), e.g. as a form of top-down control biasing the current behavioral strategy towards stopping via STN to inhibit motor processes (Schmidt et al., 2019). However, as there are other possibilities as well, it still remains unclear how beta relates to action-stopping.

In the well-developed race model framework, a Go and a Stop process race against each other and whichever process reaches the decision threshold first determines the behavioral outcome (Go or Stop) (Logan and Cowan, 1984; Logan et al., 2014; Verbruggen and Logan, 2009). Here we developed and studied three different race model variants of how beta could modulate the Go and Stop processes by affecting decision thresholds, accumulation rates, and the interaction between Go and Stop processes, respectively. For each model variant, we derived predictions for the relationship between beta and behavioral data, and then tested these predictions in two data sets of EEG recordings in humans performing a stop-signal task. We found that the human data is best described by a race model in which beta bursts transiently affect the decision threshold, providing a new functional role of prefrontal beta in human action-stopping.

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#### 2. Methods

#### 2.1. Dataset/participants

We analyzed data from existing datasets. One was a reanalysis, (Dataset-1, N = 13, Jana et al., 2020; Mean Age =  $20 \pm 0.5$  years, eight females, all right-handed), and the other was unpublished (Dataset-2: N = 26, Mean Age =  $21 \pm 0.5$  years, 16 females, all right-handed except one participant who was left-handed). All participants provided written informed consent according to a UCSD Institutional Review Board protocol and were compensated at \$20 /h. One participant was removed from analysis in Dataset-1 due to misalignment of EEG markers and behavior. Three participants were removed in Dataset-2, two participants had noisy EEG data and one had estimated Stop-signal reaction time of <100 ms. Thus, the final sample size was N = 12 in Dataset-1 and N = 23 in Dataset-2.

#### 2.2. Stop-signal task

Both datasets were acquired with the behavioral task run using MAT-LAB 2014b (Mathworks, USA) and Psychtoolbox (Brainard, 1997). The task was a visual stop-signal task where a trial began with a white square at the center of the screen for  $500 \pm 50$  ms. Following this a right or left white arrow appeared at the center. Participants pressed a button on a keypad with either their right index finger, when a left arrow appeared, or their right pinky (Dataset-1) or middle (Dataset-2) finger when a right arrow appeared. They were instructed to do this as fast and as accurately as possible (Go trials). The stimuli were present on the screen for 1 s. A warning 'Too Slow' was presented if the participants did not make a response within this time and the trial was aborted. On a minority of trials (25%), the arrow turned red after a Stop Signal Delay (SSD), and participants tried to stop the response (Stop trials). The SSD was adjusted using two independent staircases (for right and left directions), where the SSD increased and decreased by 50 ms following a Successful Stop and Failed Stop, respectively. Each trial was followed by an inter trial interval and the entire duration of each trial including the inter trial interval was 2.5 s. There were in total 1920 trials (1440 Go trials and 480 Stop trials) and 400 trials (300 Go trials and 100 Stop trials) per participant in Dataset-1 and Dataset-2 respectively.

#### 2.3. Data analysis & computational modeling

All analyses and simulations were performed using MATLAB R2016b.

#### 2.3.1. Electroencephalography (EEG)

EEG data were recorded using 64 channel scalp EEG in the standard 10/20 configuration using an Easycap system (Easycap and Brain-Vision actiCHamp amplifier, Brain Products Gmbh, Gilching, Germany) for Dataset-1 and the ActiveTwo system (Biosemi Instrumentation, The Netherlands) for Dataset-2. The EEG signals were digitized at 1024 Hz and pre-processed using EEGLAB13 (Delorme and Makeig, 2004) and custom-made MATLAB scripts. The data were downsampled to 512 Hz and band-pass filtered between 2 and 100 Hz. A 60, 120 and 180 Hz FIR notch filter were applied to remove line noise and its harmonics. EEG data were then re-referenced to the average. The continuous data were visually inspected to remove bad channels and noisy stretches.

To look at prefrontal (or right frontal) beta, we used the ICA method and Time-Frequency analysis to obtain a putative right frontal spatial filter (done exactly as in Jana et al., 2020). After rejecting non-brain related independent components (ICs), identified from the frequency spectrum (increased power at high frequencies), scalp maps (activity outside the brain) and the residual variance of the dipole (greater than 15%), we selected a putative right frontal IC from the scalp maps (if not present then we used frontal topography). The channel data were then projected onto the corresponding right frontal IC. The right frontal IC was validated by evaluating the time-frequency plots for successful stop trials and confirming a beta power increase (13–30 Hz) between Stopsignal and Stop-signal reaction time (SSRT) in Successful Stop trials. To do so, we first epoched the data from -1500 to 1500 ms for all trials type: Successful, Failed Stops and Correct Go trials (in relation to Stop-signal in Stop trials; and in relation to Go-cue in Correct Go trials). We then used Morlet wavelets for computing the time-frequency plots (4–30 Hz) in Successful Stop trials, with 3 cycles at low frequencies and linearly increasing by 0.5 for higher frequencies (the number of cycles at the highest frequency was 11.25). The beta frequency having the maximal power within Stop-signal and SSRT in these trials was also estimated for each participant as their peak beta frequency.

#### 2.3.2. Beta burst extraction

The beta burst extraction was also done as in Jana et al. (2020), which was adapted from Little et al. (2019). The epoched data were filtered at the peak beta frequency for each participant using a Gaussian window with full-width half maximum of 5 Hz. From the resulting complex analytic time-series, we obtained the power estimate by computing the absolute of the Hilbert transform of this time-series. In each participant, to define the burst threshold, the beta amplitude within a period of -1000 to -500 ms (i.e. prior to Stop-signal in the Stop trials, and prior to mean SSD in the Correct Go trials) was pooled across all trials. The threshold was set as the median + 1.5 SD of the beta amplitude distribution. Once the burst was detected, the burst width threshold was set as the median + 1 SD. Burst % was computed by binary-coding the timepoints where the beta amplitude crossed the burst width-threshold. For each detected burst, the time of the peak beta amplitude was marked as the burst time. We also computed the times at which a beta burst ended, i.e. the beta amplitude fell beyond the burst width threshold and marked it as the burst offset time.

#### 2.3.3. Analyzing behavior in relation to beta bursts in Stop trials

To analyze behavior in the Stop-signal task we obtained Go and Failed Stop reaction times. SSRTs were estimated using the integration method (Verbruggen et al., 2019). Using the extracted timing of the beta bursts (see above), we estimated the probability of responding to the Stop cue, P(Respond), as a function of the time relative to the burst. To obtain reliable estimates this was done across participants, as a fixedeffects analysis, considering the behavior of the population as one. We pooled all Stop trials which had at least one burst between -100 ms and the corresponding participant's SSRT (in relation to the Stop cue). From the pooled data, we then included Stop trials from those SSDs for which we had at least 50 trials. We did so as this was a good tradeoff between having enough trials to estimate P(Respond) reliably and to eliminate the really short and long SSDs where firstly there were not many trials and secondly where the effect of beta burst time as predicted by the modeling analyses was the least (see Figs. 1d-f). Very few trials had more than one burst occurring in the selected time-window (Dataset-1:  $4.1 \pm 0.6\%$  and Dataset-2:  $4.2 \pm 0.7\%$ ). These trials were split into several trials equivalent to the number of bursts that occurred in them. For instance, if a trial had two beta bursts occurring in our selected timewindow, with burst peak times at t1 and t2, we would split it into two trials having the same SSRT but one trial with burst time t1 and the other with t2. P(Respond) was then estimated at different time points relative to the time of the Stop-signal with a moving 50 ms-wide window centered ranging from -50 to 250 ms in steps of 1 ms. P(Respond) was then simply taken as the fraction of failed stop trials in that 50 ms window. To determine whether a given P(Respond) significantly differed from chance level we used a permutation test (with 1000 permutations), in which the labels of Successful and Failed Stop trials were shuffled to yield surrogate P(Respond) distributions. Time points in which the empirical P(Respond) was smaller than  $(1-0.05/n)^*100\%$  of the surrogate values were considered significant at a p-value threshold of 0.05 with a Bonferroni correction for n = 5 multiple comparisons (given that there



**Fig. 1. Race model dynamics with transient bursts.** Schematic of the model setup and the accumulation dynamics of the Go and Stop processes for the three race model variants: (a) Interaction Model, (b) Speed-Stop Model and (c) Threshold model. Here  $\mu$  and  $\sigma$  represent the average accumulation rate and the standard deviation of the noise associated with that process respectively.  $\beta$  corresponds to the influence of the beta burst in that model variant. The solid green and red lines represent the Go-process and Stop-process accumulation dynamics, respectively. The dotted green and red lines represent the dynamics of the Go and Stop-process without the presence of a beta burst for comparison. The dotted black line shows the threshold, which in case of the Threshold model increases whenever the burst is present. A beta burst (solid blue line) is parametrized by the time it occurs (Burst Time), its duration ( $\beta_{dur}$ ) and its amplitude (A). d–f) Corresponding predictions of each of the three model variants on how a beta burst after the stop cue affects the probability of the Go process to win the race (i.e. P(Respond)). For each model variant (arranged as in panel a, b and c), we show the probability to respond (P(Respond)) for varying time intervals between Stop cue and the center of the beta burst (x-axis). Longer beta burst durations ( $\beta_{dur} = 100$ , 150 and 200 ms) prolonged and strengthened the effect on P(Respond). We chose model parameters here to yield RTs and SSRTs in a range that is typical for this task (see Methods), and illustrate in the plots below the effect of different SSDs (for  $\beta_{dur} = 100$ ). The dotted black and cyan lines represent the time of the Stop cue and model SSRT respectively.

are 5 non-overlapping windows in our time period of interest, i.e. 0 and 250 ms).

#### 2.3.4. Analyzing behavior in relation to beta bursts in Go trials

The relationship between beta bursts and Go RTs was examined by estimating the probability distribution of burst offset times for different Go RTs. As above, the estimation of P(Respond) required a large number of trials, so data was again pooled across participants. Here all correct Go trials with at least one beta burst occurring in the time window between -100 ms relative to the Go cue and that trial's Go RT were included. This time-window is different from that in the Stop trials as we wanted to look at the effect of beta on the RTs. As before, the Go trials with more than one burst in this time window were split into multiple trials as well. Each split trial was assigned the same Go RT and one of the burst times. We decided to look at RTs which fell in the range of 300–500 ms (for Dataset-1) and 300–700 ms (for Dataset-2) as they constituted the majority of the RT distribution across individuals. For each 50 ms-wide Go RT bin we looked at the probability (or fraction)

of the burst offset times occurring at each time-point between -50 and 500 ms in relation to the Go cue (-50 to 700 ms in case of Dataset-2). This produced a probability distribution map of Go RTs and burst offset times. We also quantified this data in a different way by looking at the distribution of the difference between all Go RTs (not just the range selected for the probability map) and the burst offsets. We compared this to a null distribution, in which we assumed that the burst offset times were equiprobable at all times between -100 ms and Go RT+100 ms.

#### 2.3.5. The three race model variants

We considered three race model variants describing the influence of beta on behavior. Each variant followed the standard race model differential equations governing the accumulation dynamics for both the Go and Stop decision-variables (Boucher et al., 2007):

$$\begin{split} dX_G &= \frac{dt}{\tau} \left[ \mu_G - k \cdot X_G - \beta^{Interact}(t) \cdot X_S \right] + \sqrt{\frac{dt}{\tau}} \xi_G \\ dX_S &= \frac{dt}{\tau} \left[ \left( \mu_S + \beta^{Speed}(t) \right) - k \cdot X_S \right] + \sqrt{\frac{dt}{\tau}} \xi_S \\ Thresh_{G/S} &= \begin{cases} Thresh_{Base} + \beta_G^{Thresh}(t) \\ Thresh_{Base} + \beta_S^{Thresh}(t) \end{cases} \end{split}$$

In our simulations dt/ $\tau$  was set as 0.001. The leakage term k for both processes was set to 0.  $\mu_{\rm G}$  and  $\mu_{\rm S}$  parameters are the average accumulation rate for the Go and Stop-process respectively,  $\xi_{\rm G}$  and  $\xi_{\rm S}$  are random variables representing the stochastic accumulation dynamics for the Go and Stop-process respectively, drawn from a normal distribution N(0,  $\sigma_{\rm G/S}$ ). Here  $\sigma_{\rm G}$  and  $\sigma_{\rm S}$  represent the standard deviation of the normally distributed noise term for the Go and Stop-process respectively. The baseline decision thresholds for both the Go and Stop processes were set to 1 (Thresh<sub>Base</sub>). For the three different versions of the model (Interaction, Speed-Stop and Threshold models), we added a time-varying  $\beta$ term ( $\beta^{\rm Interact}$ ,  $\beta^{\rm Speed}$ ,  $\beta^{\rm Thresh}$ ) to introduce the influence of a beta burst in the corresponding model scenario. The beta burst was modeled as a step function with pulse duration as the width of the burst ( $\beta_{\rm dur}$ ), where the center of the pulse corresponded to the simulated burst time (also see Fig. 1).

$$\beta(t) = \begin{cases} A, BurstTime \pm \beta_{dur}/2 \\ 0, elsewhere \end{cases}$$

Here A is the amplitude/strength of beta burst. In each model variant, the respective beta term was varied whilst the other two beta parameters were set to zero. Usually, the outcome of the race was given by process reaching the threshold first. However, in the Threshold model, there were trials, in which the reset of threshold to the baseline value (i.e. when the beta burst ended) lead to both the Go and Stop processes being above the threshold. In such cases the process which had the larger activation was considered as the winner of the race. The model Go reaction times (Go RTs) and Stop-signal reaction times (or model SSRT) were estimated as the time the Go and Stop-process took to reach the threshold, respectively.

#### 2.3.6. Model parameters

For the initial examination of the three race model variants, we used parameter settings that produced typical behavior data seen in Stopsignal tasks. By choosing the Go and Stop-process parameters to be  $\mu_{\rm G} = 2.5$ ,  $\sigma_{\rm G} = 0.006$  and  $\mu_{\rm S} = 5$ ,  $\sigma_{\rm S} = 0.006$  respectively, we obtained simulated Go RTs of ~400 ms and SSRTs of ~200 ms. In each trial of the model, the SSD was randomly selected from a range of 100–300 ms with 50 ms resolution. We then determined P(Respond) as a function of when a beta burst occurred similar to the method described above for the empirical data. However, in the models we could systematically vary the time of the beta bursts and examined a range from -100 to 250 ms relative to the Stop-signal in 1 ms steps. We then computed P(Respond) for a particular burst time as the number of failed stop trials divided by the total number of stop trials for that particular SSD. We also varied the duration of the beta burst by setting the  $\beta_{dur}$  parameter to 100, 150 and 200 ms in different simulations.

After the general initial examination of the three model variants (Fig. 1), the Threshold model was also fitted to individual participant data (Fig. 2). For each iteration of the fitting procedure 30,000 trials (15,000 Go trials and 15,000 Stop trials) were simulated. Since the incidence of beta bursts is generally low during stopping, ~20% (Errington et al., 2020; Hannah et al., 2020; Jana et al., 2020; Wessel, 2020), we simulated a beta burst in only 20% of all trials (total 6000 trials, 3000 Go and 3000 Stop trials). In each trial with a burst, the time of the beta burst was drawn as a random time point in between the Go cue and the slowest RT of the corresponding participant with a resolution of 100 possible time points. The fitting then proceeded in two stages, starting with the parameters of the Go process ( $\mu_{\rm G}$ ,  $\sigma_{\rm G}$  and  $A_{\rm G}$ ). The squared difference between experimental and simulated correct Go RT CDFs was used as the optimization function. In the second stage, we then fixed the parameters of the Go process to the best fit, and then fitted the stop parameters ( $\mu_S$ ,  $\sigma_S$  and  $A_S$ ), using the squared difference between experimental and simulated inhibition functions as the optimization function. For the experimental inhibition functions, we first fitted a cumulative Weibull function, which best captures the shape of inhibition function (Hanes et al., 1998), and then used that as the cost function for our parameter optimization. In each of the two stages of the fitting procedure initially a coarse grid search was performed, in which we provided a range of parameters for  $\mu$  (1.2 to 6),  $\sigma$  (0.001 to 0.05) and A (0 to 1) and determined the top 20 best fits. Note that we also tested a model scenario in which beta can decrease decision thresholds, i.e. A < 0, but this did not yield good fits to the experimental data and was thus not further considered. The top 20 fits were then used as initial conditions for the Nelder-Mead Simplex algorithm (fminsearch function in MATLAB) with maximum function evaluation of 600 iterations. We compared the findings to a null model scenario where there was no threshold modulation, i.e. simulating trials by setting the amplitude of the threshold parameter for both the go and stop-process as zero ( $A_{G/S} = 0$ ). For comparison of model data with the experimental data, we similarly pooled all model data across participants, essentially performing a fixed-effect analysis on the model data. This approach was taken since it was not possible to fit the model on an average participant, i.e. by pooling behavior across all participants, mainly because of the differences in both response times and the inhibition functions given the wide differences in SSDs across participants. Thus, as a compromise, our approach was to fit the model for individual participants, but then pool the model data for comparison with the pooled experimental data. For the model data all trials with a beta burst (i.e. 20% of the total trials) were included. We then computed both the P(Response) as a function of the burst time and the joint probability distributions to compare with the experimental data.

#### 3. Results

#### 3.1. Three models of beta in stopping

We considered three different models for how a beta burst at a specific time (burst time) could modulate the race between the Go and the Stop process. Firstly, in the Interaction model (Boucher et al., 2007) the Stop-process inhibited the Go-process during a beta burst for a duration  $\beta_{\text{Dur}}$  (Fig. 1a). This would slow the rate of accumulation in the Go-process, making it more likely for the Stop-process to win the race. Secondly, in the Speed-Stop model the occurrence of a beta burst increased the rate of accumulation in the Stop-process (Fig. 1b), making it more likely for it to reach decision threshold first. Finally, in the Threshold model a beta burst would increase the decision threshold of both the Go and Stop processes (Fig. 1c). Since the rate of accumulation is generally quicker in the Stop-process than in the Go-process, the threshold



**Fig. 2. Beta bursts modulate decision thresholds.** (a) Probability of response as a function of time between Stop cue and beta burst in experimental data for Dataset-1 (see Methods). Horizontal lines indicate time points with significant differences between the observed and shuffled data (black line shows p < 0.05; blue line with Bonferroni correction). (b) The joint probability distribution between the timing of beta burst offsets (in relation to the Go cue) and Go RTs. The diagonal dotted magenta line indicates when the Go RT is equal to the burst offset time. (c) The normalized distribution of the difference between Go RTs and burst offset times, compared to a null-distribution (solid blue line). (d–f) Same as (a–c) but for the Threshold model. In (d) the solid blue line represents the outcome of the model without any threshold modulation for comparison. The grey triangle and error bar represents the mean and standard deviation of the SSRT from experimental data; the model SSRT lies within the standard deviation of the experimental data. (g–i) Fitted mean accumulation rate  $\mu$  (g), standard deviation of the noise term  $\sigma$  (h), and threshold modulation A (i) parameters for go and stop-process.

increase would buy more time for the Stop-process to reach the threshold first and win the race.

While all three models implemented the hypothesis that beta decreases the probability of responding, we examined whether the predicted time course and extent of the modulation differed across models. Here, and in the analysis of the experimental data below, we looked at the probability of responding P(Respond) as a function of the time interval between the beta burst and the Stop-signal. For example, a P(Respond) of 0.6 at 0.3 s would mean that 60% of the trials with a beta burst centered at 0.3 s after stop cue were failed stop trials. We simulated each model by choosing parameters for the Go-process ( $\mu_{\rm G} = 2.5$ ,  $\sigma_{\rm G} = 0.006$ ) and the Stop-process ( $\mu_{\rm S} = 5$ ,  $\sigma_{\rm S} = 0.006$ ) that yielded mean go RTs of ~400 ms and SSRTs of ~200 ms, which are in the range of

typical values for this task. We found that the pattern of modulation had a U-shaped profile in each of the three models, with larger amplitudes for longer burst durations (Figs. 1d–f). Furthermore, the modulation was strongest for intermediate SSDs (200 ms) compared to longer or shorter ones. However, the fine time course and the relation to the SSRT, differed across the three models. For the Interaction model and the Speed-Stop model the trough of the U-profile was seen well before the model SSRT. In contrast, in the Threshold model the modulation pattern was very different, with a sharper modulation in a narrower time window just before the model SSRT. Next, we then compared these model predictions with experimental data to see whether beta affects behavior in a similar way, and whether beta modulation can be best described by one of these model variants.

#### Table 1

Summary of Burst properties in the Stop and Go trials for both datasets.

Burst Properties	Dataset-1 ( <i>N</i> = 12)			Dataset-2 ( <i>N</i> = 23)		
	Go Trials (w.r.t. Go cue)	Successful Stop Trials (w.r.t. Stop cue)	Failed Stop Trials (w.r.t. Stop cue)	Go trials (w.r.t. Go cue)	Successful Stop Trials (w.r.t. Stop cue)	Failed Stop Trials (w.r.t. Stop cue)
Burst Peak Time (ms) Burst Offset Time (ms) Burst Width (ms) Burst Amplitude	$166 \pm 4$ $269 \pm 6$ $205 \pm 7$ $0.59 \pm 0.05^{\#}$	$\begin{array}{l} 83 \pm 6 \ ^{n.s.} \\ 196 \pm 11 \ ^{n.s.} \\ 220 \pm 12 \ ^{n.s.} \\ 0.61 \pm 0.05^{n.s.} \end{array}$	$76 \pm 9 \\ 183 \pm 13 \\ 207 \pm 8 \\ 0.61 \pm 0.05$	$200 \pm 11$ $309 \pm 10$ $219 \pm 9$ $0.50 \pm 0.06$	87 ± 8* 207 ± 9* 236 ± 8 <sup>n.s.</sup> 0.51 ± 0.06 <sup>n.s.</sup>	$67 \pm 8$ $180 \pm 12$ $215 \pm 8$ $0.50 \pm 0.05$

Note: These are average values for bursts seen within the temporal window considered for analysis, i.e. 100 ms prior to Go cue to the trial's RT in Go trials and 100ms prior to Stop cue to SSRT in Stop trials.

\* represents significant (p < 0.05) difference from t-tests between the Successful Stop and Failed Stop burst properties. We could only compare burst width and amplitude when comparing Stop trials and Go trials and not the burst times, given the different temporal windows from which beta bursts were extracted. Only burst amplitude in Dataset-1 had a small but significant difference (marked by #) between Successful Stop and Go trials. There were no significant differences between burst width and amplitude for Failed Stop and Go trials.

#### 3.2. Beta bursts affect going and stopping by modulating decision thresholds

To test the model predictions, we employed two data sets of humans performing stop-signal tasks with simultaneously recorded EEG (see Methods). The behavioral data showed a pattern that is typical for stop-signal tasks with Go RTs being longer than Failed Stop RTs (Dataset-1 (N = 12): 406 ± 6 ms vs 373 ± 6 ms, t<sub>1,11</sub> = 14.7, p < 0.001; Dataset-2 (N = 23): 468 ± 16 ms vs 411 ± 14 ms, t<sub>1,22</sub> = 15.8, p < 0.001). The P(Respond) was also nearly 50% (Dataset-1: 49.6 ± 0.2%; Dataset-2: 51.7 ± 0.7%) suggesting that the staircase procedure worked well. The SSRT computed via the integration method was 219 ± 7 ms and 222 ± 6 ms for Dataset-1 and Dataset-2 respectively. We extracted beta bursts in both the Go and Stop trials (see Methods for more details) with average burst properties (timing, width and amplitude) shown in Table 1.

We first examined in the experimental data whether stopping changes as a function of the time interval between the beta burst and the Stop-signal. To do so, we selected the subset of Stop trials in which there was at least one beta burst in the time between 100 ms before the stop cue and the SSRT (see Methods). Thereby, each trial provided a time point (given by the interval between the stop cue and the time of peak of the beta burst) and the outcome (respond or not). Pooling these trials over participants allowed us then to estimate the probability of responding, P(Respond), at each time point, as we did in our model investigations (Figs. 1d-f). In the experimental data, we found that P(Respond) was unchanged for beta bursts briefly after the stop cue, but then decreased closer towards the SSRT (Fig. 2a). To determine whether this modulation in P(Respond) is a significant deviation from chance, we compared it to a null-distribution estimated from shuffling the labels of successful and failed stop trials. We found a rather narrow time window with a significant modulation ~40-60 ms before the SSRT (Fig. 2a) in Dataset-1. While the narrow time window of the modulation seemed to match the Threshold model, the timing of the peak modulation was also in the range suggested by the Interaction model (Fig. 1d). Furthermore, fitting the Threshold model parameters to the behavioral data in Dataset-1 (using  $\beta_{dur}$  of 100 ms) also generated a wider modulation window (Fig. 2d), similar to the other models (Figs. 1a-c). Therefore, we concluded that examining the beta modulation of P(Respond) is by itself not sufficient to distinguish between the three models (also see Supplementary Fig. S2a for the P(Respond) for other burst durations).

As an alternative way to test the different models, we made use of the fact that a unique aspect of the Threshold model is that it also predicts an effect of beta in Go trials. The other two models (Interaction and Speed-Stop) predict that there would be no influence of beta in Go trials because the Stop-process is not activated (or only very weak). Therefore, to distinguish the models further, we then examined a possible beta modulation of Go trials.

We first established the relationship between beta and Go RTs in the Threshold model. As the beta duration varied, we focused here on the offset of beta, rather than using the center of a beta burst as above. The decision to use burst offset times was highly motivated from the threshold model. We considered that the time of the burst offset represents the time at which the threshold modulation would reset back to baseline levels. Since in the model, presence of a beta burst leads to a threshold increase, the interpretation is that this time then represents the removal of this modulation. Thus, we wanted to investigate how the response times are modulated in and around the burst offset because that represents the time at which the threshold increasing effect of beta ends. We found that in the Threshold model the beta-RT relation was governed by an intricate pattern (Fig. 2e). For short reaction times (~300 ms) there was a rather uniform distribution of beta in the relevant time window from 0 to 300 ms relative to the Go cue. In contrast, for longer RTs, the distribution of the beta time points became more skewed, with more beta offset time points occurring around the RT. This was visible as a diagonal stripe with high beta offset probabilities (Fig. 2e) (Note: The pattern of results remained the same on selecting burst peak time or changing analysis parameters, see Supplementary Information, Fig. S5).

This modulation pattern matched the intuition behind the Threshold model. For short RTs, the Go process is steep, and therefore a threshold modulation would not have a large effect at any time (thus the uniform distribution in Fig. 2e). However, for longer RTs, the Go process is less steep, and it would thus be more likely that the threshold modulation prolongs the RT. Furthermore, beta would not affect the RT if it occurred briefly after the Go cue because then the threshold modulation would have already ended by the time the Go process is close to the threshold. Instead, the beta offset would affect the RT if it occurred briefly before the RT, as a sudden drop in the threshold would then lead to a threshold crossing. We concluded that this intricate pattern of beta modulation in the Threshold model provided more specific predictions than the straightforward modulation of P(Respond).

Next, we tested the predictions of the Threshold model by looking at the correct Go trials pooled across all participants. As above we included only those trials in which there was at least one beta burst in the time between the go cue and the response, and for each trial we estimated the time of the offset of the beta burst (see Methods). This allowed us to visualize the relation between Go RT and beta burst offset for the experimental data in the same way as we did for the Threshold model (Figs. 2b,e). Interestingly, for different Go RTs, there was a different distribution of the probability of beta burst offsets. For shorter RTs, beta burst offsets were approximately uniformly distributed over time. For longer RTs, the distribution became more skewed, with more beta offsets towards the corresponding RTs, yielding a diagonal stripe in the probability distribution (Fig. 2b). Even though this stripe was somewhat broader than in the Threshold model (see Discussion and also Supplementary Information Fig. S4), overall there was a striking resemblance to the quite specific predictions of how beta should affect Go RTs in the Threshold model.



Fig. 3. Threshold modulation is most effective when it is close to the SSRT. The distribution of the difference between the single-trial SSRT and the beta burst in the experimental data (a) and the Threshold model (b). \* shows significant difference (p < 0.05) between the observed and null data at 50 ms using a Permutation test.

One interpretation of this pattern of beta modulation is that responses are harder to execute as long as a beta burst is present, and once it ends, or is close to ending, the response emerges. To have a closer look at this relation, we represented the same data as the distribution of the time interval between the Go RT and beta offset in each trial. In line with our interpretation above, we found that the distribution peaked at small positive values, meaning that in most trials, responses occurred briefly after the offset of the beta burst. We compared this distribution to a null distribution, which was based on the assumption that beta burst offsets were uniformly distributed (i.e. beta does not affect RTs). We found that our data was significantly different from the null distribution, with more burst-offset-times close to the RTs (Fig. 2c, Kolmogorov-Smirnov test, KSstat = 0.15; p < 0.001). Furthermore, we confirmed that the Threshold model exhibited a similar distribution (Fig. 2f), with a sharper peak reflecting the narrow diagonal stripe described above. To confirm the validity of our findings on the P(Respond) and on Go trials, we ran the same analyses on an independent dataset (Study 2, N = 23) and observed the same effects (Supplementary Information, Fig. S1). Overall, the analyses relating the offset of beta bursts with Go RTs provide evidence that beta bursts modulate decision thresholds.

Finally, we examined the parameters that were obtained for the Threshold model fitted to the experimental data (Figs. 2d-f; see Methods). Both mean accumulation rates and standard deviation of the Stop process were significantly larger than those of the Go process (Figs. 2g, h). Furthermore, the beta modulation of the threshold was on average higher for the Go process than for the Stop process (Fig. 2i), in line with the intuition that the increased threshold buys more time for the Stop process to overtake the Go process. However, inspection of the fitted values for the modulation of the Stop process (A<sub>S</sub>) indicated differences across participants. For the majority of participants there was no modulation of the Stop threshold at all (in line with the intuition) or lower than the Go process, while for some participants the Stop threshold modulation was of similar magnitude as the Go process threshold modulation. However, given that the Stop process slopes were consistently steeper than the Go process slopes, even a similar modulation of Go and Stop thresholds would effectively increase the probability of the Stop process to win the race. While in our default simulations beta bursts were only present in 20% of the trials (similar to the experimental data), we further confirmed these findings in a model variant in which beta bursts were present in all trials (see Supplementary Information, Fig. S3).

Given that beta occurred only on a subset of trials, we also examined potential functions of beta by comparing trials with and without beta bursts. For Go trials, we compared the mean response time between trials with and without beta bursts in the temporal window considered for our analysis (i.e. 100 ms prior to Go cue till the trial's re-

sponse time). We found that in both datasets there was a significant difference between the Go response times, so that trials without beta bursts had shorter response times compared to the trials with beta bursts (Dataset - 1: withoutBursts =  $390 \pm 6$  ms vs withBursts =  $404 \pm 6$  ms,  $t_{1,11} = 9.01, p < 0.001$ ; Dataset - 2: withoutBursts =  $455 \pm 15$  ms vs with-Bursts = 487  $\pm$  18ms, t<sub>1,22</sub> = 7.24, p < 0.001). For Stop trials, we compared the response rate between Stop trials with and without beta bursts in our time window of interest (100 ms prior to Stop cue till the corresponding SSRT). While in Dataset-1 there was no significant difference (withoutBursts =  $50.0 \pm 0.4\%$  vs withBursts =  $49.8 \pm 1.6\%$ ,  $t_{1.11} = 0.07$ , p = 0.943), in Dataset -2 there was a significant decrease in the response rate in the stop trials with bursts (withoutBursts =  $48.9 \pm 1.1\%$  vs with-Bursts =  $43.5 \pm 1.6\%$ , t<sub>1.22</sub> = 2.44, *p* = 0.023). These observations further fit well to our overall interpretation that beta bursts increase response thresholds, as trials without beta bursts had faster response times and, to some degree, higher response rates in stop trials than trials with beta bursts. This does not mean that beta bursts are required for successful stopping, they just seem to make stopping easier.

# 3.3. Threshold modulation explains relationship between burst-time and stopping time

Building on the evidence that beta bursts modulate decision thresholds, we next tested whether the Threshold model also accounts for further, single-trial properties of stopping. In recent work, we demonstrated that beta bursts are linked to single-trial SSRTs measured via EMG (Hannah et al., 2020). We examined this relation in successful stop trials, in which a beta burst occurred between the stop cue and the corresponding single-trial SSRT. Pooling data across participants, we determined the distribution of the time intervals between beta burst and single-trial SSRT, and found a peak in the histogram when the beta burst preceded correct stopping by 50 ms (Fig. 3a). This was in comparison to a null distribution, in which we assumed that a beta burst would occur randomly (uniformly distributed) anytime between the Stop cue and the trial's SSRT. Applying the same analysis in the Threshold model, we saw that the distribution of time intervals between beta burst and single-trial SSRT was very similar. As in the experimental data there was a peak at 50 ms in the model. The peak was even sharper in the model, probably due to the simplified, noise-free composition of the model (also see Supplementary Information, Fig. S4). The relation between beta and stopping occurred in the model even though the threshold modulation primarily affected the Go process. However, in successful stop trials a beta burst occurred with an increased probability ~50 ms before stopping because in this time window the increase of the Go threshold affects the outcome of the race most. We conclude that the Threshold model

accounts for several aspects of behavioral and electrophysiological data in both Go and Stop trials.

#### 4. Discussion

To characterize how beta bursts might be involved in actionstopping, we studied three different race model variants; the Interaction model, the Speed-Stop model and the Threshold model. We derived predictions for each model variant on how beta affects behavior in the Stop-signal task. Then we tested these predictions using experimental data and found that the Threshold model best explained the effects of beta bursts in both stopping and going.

While all three models made similar predictions for how the probability of responding is modulated by beta bursts, only the Threshold model could account for the effects seen in Go trials. In Go trials the offset of beta bursts was more likely to occur close to the Go RTs, especially for longer RTs. This similarity between the Threshold model and the experimental data is evidence for a functional role of beta in modulating decision thresholds. Furthermore, the parameters obtained from fitting the Threshold model to participant behavior showed that beta increased Go thresholds more than Stop thresholds, indicating that the effect of beta on stopping can also be indirect by affecting going. Finally, the model correctly predicted the relationship between burst time and action cancellation time, measured as single-trial SSRTs (Hannah et al., 2020), suggesting that for successful stopping the threshold modulation has to occur close and prior to it.

A main finding from our study was that the relationship between the offset of beta bursts and Go RTs showed that beta reflects a short-lived threshold increase, transiently holding the response from execution and thereby helping the Stop-process to win the race. However, as this relation was apparent during Go trials, and not just as a response to the stop cue, it suggests that frontal beta could also be recruited as a proactive mechanism. There is some support for this view from our previous study, in which we found that the beta burst probability increased even in Go trials around the time period when a Stop-signal might have occurred (Jana et al., 2020). Furthermore, for sensorimotor beta there is evidence that it can be proactively recruited (Muralidharan et al., 2019; Soh et al., 2021). Future studies could investigate whether beta increases decision thresholds more generally, or whether this function is adopted by the frontal beta machinery specifically as a preparation to stop if necessary.

Our study also adds more evidence to models involving multiple stages of stopping, such as the pause-then-cancel model (Schmidt and Berke, 2017; Tatz et al., 2021). In the Threshold model beta effectively pauses both decision processes, buying time for the stop process to catch up. This is similar to what we had previously suggested as a potential role for fast stop responses in rat STN neurons (Mallet et al., 2016; Schmidt et al., 2013), which indicates a possible functional connection between sensory responses in basal ganglia neurons and frontal beta. However, in both rodent (Leventhal et al., 2012) and human studies (Jana et al., 2020) there seems to be a longer time gap between the stop cue and the beta burst (120 ms in humans) compared to the fast STN responses (~15 ms in rats; Schmidt et al., 2013). Therefore, the putative "pause" signal carried by the beta burst here, would instead be in close proximity to the single-trial SSRT measured in the EMG around 160 ms. While this could just reflect species differences, it could also be an indication for multiple "pause" systems operating on different, fast and slow, timescales. Importantly, in the Threshold model, the betamediated pause signal was not triggered by the Stop signal, but instead just occurred randomly. Nevertheless, we observed that the beta-driven threshold increase occurred close to the SSRT. This was a result of the beta bursts being short-lived, so that the threshold increase only matters if the stop-process is able to catch up with the Go process during the burst. This is exactly the case for beta bursts occurring close to the SSRT because at that time, changes in the threshold matter for the outcome of the race between Go and Stop. While this demonstrates that beta bursts at random time points can lead to temporally specific effects on stopping, it does not preclude that the probability of beta bursts could also be modulated e.g. by sensory events. If our interpretation is correct, a late pause process that occurs close to the SSRT would then overlap in time with any cancelation processes. Therefore, it might be difficult to dissociate them in a standard Stop-signal paradigm.

Even though race models may be considered primarily as phenomenological models addressing behavior, several studies have shown that race models also connect mechanistically to neurophysiology (Hanes and Schall, 1996; Schmidt et al., 2013). In addition, neurophysiological correlates of parameters in rise-to-threshold models have been proposed. For instance, Cavanagh et al. (2011) used drift diffusion models to show that EEG theta oscillations are linked to decision thresholds in a conflict paradigm. Furthermore, the behavioral effects of pharmacological manipulations of striatal dopamine levels could be accounted for by adjusting threshold and accumulation rates (Leventhal et al., 2014). Similarly, in this work we investigated whether some of the functional roles of beta oscillations could be captured in the race model to explain action-stopping. This further supports the wide-applicability of the race model framework to not only account for behavioral data, but to also capture some aspects of the underlying neural processes. However, how beta in the end affects the activity of individual neurons remains a major open question.

Our findings have implications for functions of frontal beta beyond action-stopping. For instance, prefrontal beta has been associated with the executive control of thoughts and memories (Castiglione et al., 2019; Lundqvist et al., 2018; Lundqvist et al., 2016). During thought control, there is increased prefrontal beta in trials, in which participants are successfully preventing the thought from coming to mind (Castiglione et al., 2019). If cognitive inhibition of thought employs mechanisms overlapping with action-stopping, then beta bursts could also reflect a transient threshold increase that helps preventing the thought from reaching consciousness. Furthermore, prefrontal beta has also been shown to play a role in working memory, especially in protecting the current contents of working memory (Lundqvist et al., 2018). A similar mechanism could be at play here where a threshold increase could stop other task-irrelevant stimuli from entering working memory, in line with the classic "statusquo" hypothesis (Engel and Fries, 2010).

#### 5. Conclusions

In summary, we proposed several models introducing the influence of beta (bursts) into the race framework. We demonstrated that experimental data fitted best to the predictions made by the model that had beta bursts increasing decision thresholds, aiding the stop-process to win the race. This increase in threshold was stronger for the Go-process compared to the Stop-process. Finally, for successful stopping the threshold increase had to occur close and prior to the time of response cancellation. Our results provide a clear function role of frontal beta in decision making and the underlying neural mechanisms.

#### **Declaration of Competing Interest**

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

#### Data availability

All data and scripts are available on the Open Science Framework website (https://osf.io/3ersy/).

#### Credit authorship contribution statement

**Vignesh Muralidharan:** Conceptualization, Methodology, Investigation, Formal analysis, Visualization, Writing – original draft, Writing – review & editing. Adam R. Aron: Conceptualization, Methodology, Writing – original draft, Writing – review & editing, Supervision, Funding acquisition. Robert Schmidt: Conceptualization, Methodology, Investigation, Formal analysis, Writing – original draft, Writing – review & editing, Supervision, Funding acquisition.

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#### Supplementary materials

Supplementary material associated with this article can be found, in the online version, at doi:10.1016/j.neuroimage.2022.119145.

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