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Optical, X-ray, and γ -ray observations of the candidate transitional millisecond pulsar 4FGL J0427.8-6704

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ABSTRACT

We present an optical, X-ray, and γ -ray study of 1SXPS J042749.2-670434, an eclipsing X-ray binary that has an associated γ -ray counterpart, 4FGL J0427.8-6704. This association has led to the source being classified as a transitional millisecond pulsar (tMSP) in an accreting state. We analyse 10.5 yr of Fermi LAT data and detect a γ -ray eclipse at the same phase as optical and X-ray eclipses at the $>5\sigma$ level, a significant improvement on the 2.8σ level of the previous detection. The confirmation of this eclipse solidifies the association between the X-ray source and the γ -ray source, strengthening the tMSP classification. However, analysis of several optical data sets and an X-ray observation do not reveal a change in the source's median brightness over long time-scales or a bi-modality on short time-scales. Instead, the light curve is dominated by flickering, which has a correlation time of 2.6 min alongside a potential quasi-periodic oscillation at ~ 21 min. The mass of the primary and secondary stars is constrained to be $M_1 = 1.43_{-0.19}^{+0.33} M_\odot$ and $M_2 = 0.3_{-0.12}^{+0.17} M_\odot$ through modelling of the optical light curve. While this is still consistent with a white dwarf primary, we favour the tMSP in a low accretion state classification due to the significance of the γ -ray eclipse detection.

Key words: accretion, accretion discs – binaries: eclipsing – stars: neutron – novae, cataclysmic variables – gamma-rays: stars – X-rays: binaries.

1 INTRODUCTION

'Redbacks' are binary star systems that have a neutron star (NS) primary and a low-mass, near-main sequence companion. The neutron stars in these systems are detectable at radio and γ -ray wavelengths as millisecond pulsars (MSPs). In recent years, 3 'redback' systems have become increasingly important in understanding the evolution of MSPs in binary systems: PSR J1023+0038 (Archibald et al. 2009; Stappers et al. 2013), IGR J18245-2452 (Papitto et al. 2013), and PSR J1227-4853 (Bassa et al. 2014). These three systems have been observed to transition between a radio loud state, where the pulsar is detectable at radio wavelengths and there is no evidence for active accretion from the secondary, and a low-mass X-ray binary (LMXB) state, where emission from the radio pulsar is quenched and material flows from the secondary through the inner Lagrange point towards the NS primary, where it builds an accretion disc.

There are four further systems that have been proposed to belong to the same group as above based on their optical and X-ray behaviours: XMM J174457-2850.3 (Degenaar et al. 2014), 3FGL J1544.6-1125 (Britt et al. 2017), 3FGL J0427.9-6704 (Strader et al. 2016, hereafter referred to as S16), and CXOU J110926.4-650224 (Coti Zelati et al. 2019). These seven systems make up the transitional millisecond pulsar (tMSP) class of interacting binaries.

This paper focuses on one of the candidate tMSP systems, 1SXPS J042749.2-670434, which is a binary system with an 8.8-h orbital period. The X-ray source has been associated with the bright γ -ray source 3FGL J0427.9-6704. Since the publication of the original γ -ray association by S16, the Fermi LAT 8-yr Source Catalog has been released (4FGL; The Fermi-LAT collaboration 2019), and the γ -ray source has been renamed 4FGL J0427.8-6704. This association has been made due to the presence of deep X-ray and optical eclipses in the light curve of 1SXPS J042749.2-670434 source, which potentially coincide with an eclipse of the γ -ray source (S16), with the γ -ray eclipse detected only at the 2.8σ level. Hereafter

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1SXPS J042749.2-670434 and 4FGL J0427.8-6704 are assumed to be the same source and are collectively referred to as J0427. Due to the lack of an accurate mass measurement, questions remain over whether the primary star in J0427 is a white dwarf [making the system a cataclysmic variable (CV)] or a neutron star/black hole (making the system a LMXB).

Based on the presence of γ -ray emission from the binary, and by estimating the primary mass using optical spectroscopy and photometry of the secondary star, S16 have suggested that the primary star is likely an MSP, and that the system is a tMSP in the accreting state. However, at the time of publication, there have been no dedicated radio observations of J0427 reported in the literature, while a positive radio detection of the source would strengthen the classification of the system as a tMSP. Mudding the waters further is the conclusion by S16 that the mass constraints on the primary are not strong, and that a white dwarf primary could still be possible, potentially making this system a member of the CV family of interacting binaries, which have white dwarf primaries. If this were true, the main issue would then be explaining the γ -ray emission from the source, as no known CV has a GeV γ -ray counterpart.

Here, we present high time-resolution optical photometry of J0427 taken in u_s , g_s , and i_s filters simultaneously, X-ray data taken using *XMM-Newton*, optical data taken using *TESS* over 11 months, and 10.5 yr of *Fermi* data in an attempt to strengthen the detection of a γ -ray eclipse.

The optical photometry reveals rapid flickering associated with an accretion disc, and tantalizing hints of a periodicity close to ~ 20 min, which we investigate using a combination of traditional timing analysis and Gaussian Process Modelling (GPM). The underlying orbital modulation coupled with the recent distance estimate to the system measured by *Gaia* suggests that the primary is a neutron star, but the classification of J0427 as a tMSP in an accreting state still hinges on the observed γ -ray emission from the source, with no other evidence to support the classification as a tMSP over a regular LMXB.

2 OBSERVATIONS

2.1 ULTRACAM

J0427 was observed on 2017 October 14, 2017 October 16, 2017 November 22, and 2019 February 27, using ULTRACAM (Dhillon et al. 2007) mounted on the 3.59-m New Technology Telescope (NTT) at the La Silla Observatory. Simultaneous Super-SDSS g (g_s) and i (i_s) data were obtained with a typical cadence of 10 s, while simultaneous Super-SDSS u (u_s) data were obtained with a cadence of 40 s (2017 October 14), 20 s (2017 October 16), and 10 s (2017 November 22, 2019 February 27), with only 24-ms dead time between individual exposures. The Super-SDSS filters are a set of filters that cover the same wavelength ranges as traditional SDSS filters but with a higher throughput (Dhillon et al. 2016; Dhillon et al. 2018). These observations comprised times on target of 0.61 h and 0.78 h, 6.16 h, 3.02 h, and 1.57 h, respectively, with two runs on the night of 2017 October 14.

The data were reduced using the ULTRACAM pipeline as described in Dhillon et al. (2007). The magnitudes were calibrated using previously determined zero-points in each filter. Our band calibration is good to ~ 0.1 mag in the i_s and g_s bands based on the measured magnitudes of two nearby comparison stars. Unfortunately, there are no measured SDSS u_s magnitudes for any star in the field, but based on the accuracy of the g_s and i_s calibration,

we estimate the maximum band calibration uncertainty in u_s to be ~ 0.1 mag.

Throughout the remainder of the text, any mention of u_s , g_s , or i_s refers to data taken with ULTRACAM.

2.2 HIPPO

Photopolarimetric observations of J0427 were obtained on 2018 October 3 (2.4 h), 2018 October 4 (1.9 h), 2018 October 5 (2.9 h), 2018 October 6 (2.6 h), and 2018 October 7 (2.5 h) using HIPPO (Potter et al. 2010) in its all-Stokes mode. HIPPO was mounted on the 1.9-m telescope of the South African Astronomical Observatory. Data were recorded at the default 1-ms cadence and binned (10-s photometry and 300-s polarimetry) for analysis. The 2018 October 3, 2018 October 4, and 2018 October 5 observations were unfiltered whereas a broad-band OG570 filter was used for the 2018 October 6 and 2018 October 7 observations. Data reduction proceeded as outlined in Potter et al. (2010).

2.3 TESS

J0427 has been observed by CCD 4 of the *Transiting Exoplanet Survey Satellite* (*TESS*) during each Sector of Cycle 1 up until the submission of this paper (S001-S011). *TESS* records full-frame images every 30 min during a Sector, with observations of each Sector lasting for 28 d. The data are taken through a wide filter that covers 6000–10 000 Å ($\lambda_c = 7865$ Å). The *TESS* cutout images around J0427 were downloaded for all available Sectors. Extraction of a calibrated light curve was not possible, as the 21' pixel size of *TESS* means that J0427 is blended with several sources in the images. We constructed custom source and background apertures for each Sector, extracted the source aperture flux and removed background variations and flagged data where the background exceeded 100 electrons $\text{s}^{-1} \text{pixel}^{-1}$, and then subtracted the mean flux value from the source light curve such that the residual light curve showed variation only in the source aperture. Even after this procedure, there were still many outlier points in the light curve. To remove these, we σ -clipped the data, setting $\sigma = 3.5$, removing a further 606 of the 12 545 data points. The resulting light curve over all 11 sectors is shown in Fig. 1, and the amplitude of the variation was $\sim 1.5 \text{ e s}^{-1}$. There are still clear systematics in this light curve, particularly at the start and end points of each Sector.

2.4 XMM-Newton

J0427 was observed by the *XMM-Newton* spacecraft starting 2017 May 2, 16:14:17, and ending 2017 May 3, 13:45:57, Coordinated Universal Time (UTC) for a total observation length of 77.5 ks, covering a total of 2.4 orbital periods. The European Photon Imaging Camera (EPIC) -pn (Strüder et al. 2001), -MOS1, and -MOS2 (Turner et al. 2001) CCDs were all operated in full-frame mode with a medium filter inserted. The Optical Monitor (OM; Mason et al. 2001) was operated in fast mode, with a white filter inserted. While both Reflection Grating Spectrographs (den Herder et al. 2001) were operational, these data will not be discussed as no appreciable signal was detected.

The data were reduced using the Science Analysis Software (SAS) v16.1.0. The PN and MOS data were processed using the SAS commands EPPROC and EMPROC, respectively. Unfortunately, the 77.5-ks exposure suffered from periods of severe high background.

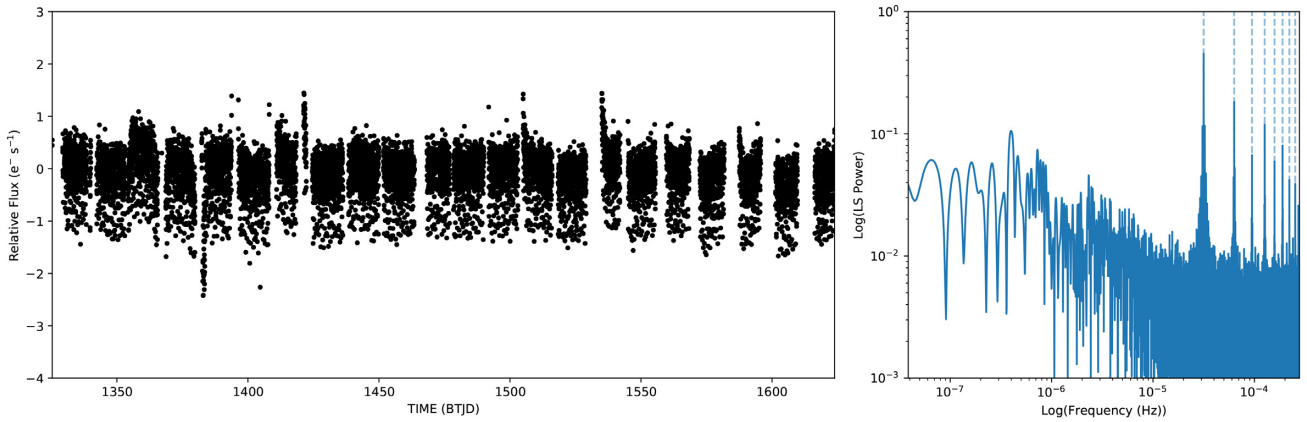


Figure 1. *Right:* A Lomb–Scargle periodogram of the *TESS* data. The dashed lines mark the known orbital frequency and its first eight harmonics. *Left:* The extracted light curve for J0427 from *TESS* Sectors 1–11. The aperture flux has been background subtracted, median subtracted, and 3.5σ clipped. The amplitude of the variation is $\sim 1.5\text{ e}^{-}\text{ s}^{-1}$. Time is given in Barycentred *TESS* Julian Date (BTJD), which is BJD-2457000.0. Gaps in the data are due to gaps in data acquisition between sectors.

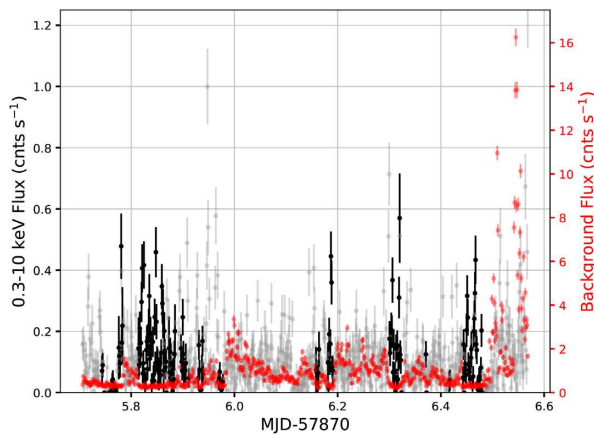


Figure 2. The extracted X-ray light curve of J0427 (black and grey) alongside the high-energy background light curve (red). The grey X-ray data were excluded from spectral analysis due to the high background during these times.

Fig. 2 shows the 0.3–10 keV light curve alongside the high-energy background light curve, which is used to characterize the intensity of soft proton flaring during observations with the EPIC instruments. Any period when this flaring activity is above 0.5 counts s^{-1} (~ 75 percent of the observation duration) had to be discarded for spectral analysis. All of the X-ray data were considered when looking for X-ray eclipses in the X-ray light curve.

2.5 *Fermi* LAT

For the analyses reported below, we selected Pass 8 (Atwood et al. 2013) data from the *Fermi* Large Area Telescope (Atwood et al. 2009), collected between 2008 August 4 and 2019 January 8 with reconstructed energies $0.1 < E < 30\text{ GeV}$, reconstructed positions lying within 2° of J0427, and with an event class of 128.¹ The associated source is modelled with a log parabolic shape, and we

¹In line with the chosen instrument response function of P8R3_SOURCE_V2, see https://fermi.gsfc.nasa.gov/ssc/data/analysis/documentation/Cicerone/Cicerone_LAT_IRFs/IRF_overview.html

use the source list and associated diffuse models to compute the probability (‘weight’, Kerr 2011) that each photon is associated with the FL8Y counterpart or with a background source.

3 PHASED LIGHT CURVE

Fig. 3 shows the three bands of ULTRACAM data, the *TESS* data, the X-ray light curve from the EPIC-pn instrument in the 0.3–10 keV band, the OM light curve, and the *Fermi* LAT light curve (which is based on an analysis of *Fermi* data, which will be discussed in Section 3.1), all phased to the orbital period using the ephemeris given in S16 of

$$T_{\text{mid}}(\text{BJD}) = 2455912.83987(95) + 0.3667200(7) \times E, \quad (1)$$

where T_{mid} is the predicted time of mid eclipse in Barycentric Julian Date and E is the orbit number, with cycle 0 occurring at BJD 2455912.83987. The light curve shows a deep eclipse at phase 0 in each of the data sets and lasts for 0.08 orbits (~ 42 min). Outside of eclipse, the optical and X-ray light curves are dominated by rapid flickering, which occurs on a time-scale of minutes. This variability is harder to detect in the *TESS* data, as these data had a cadence of 30 min. Aside from the eclipse and flickering, the ULTRACAM and *TESS* data show a hint of curvature on the orbital time-scale, which is strongest in the *TESS* and i_s data and is undetectable in the u_s data. The *TESS* data show evidence of a secondary eclipse at phase 0.5, which becomes more obvious after the data have been binned with a bin width of 0.01 in orbital phase. The X-ray eclipse has a similar duration to that of the optical eclipse, and the X-ray light curve is consistent with 0 flux being observed during the eclipse, suggesting that the entire X-ray-emitting region is being eclipsed.

3.1 γ -ray eclipse

S16 reported tentative evidence for a γ -ray eclipse at the same orbital phase as the eclipses observed in the optical and X-ray bands. To verify this claim, we folded the *Fermi* photon timestamps with the J0427 orbital period and set the zero phase to fall on BJD 2457527.69139; this epoch is advanced by 0.25 in phase relative to that of S16, so that the eclipses fall at $\phi = 0$. We modelled the eclipse (or excess) using a top hat model such that within an eclipse of width θ , the relative source rate is α . To enforce an average

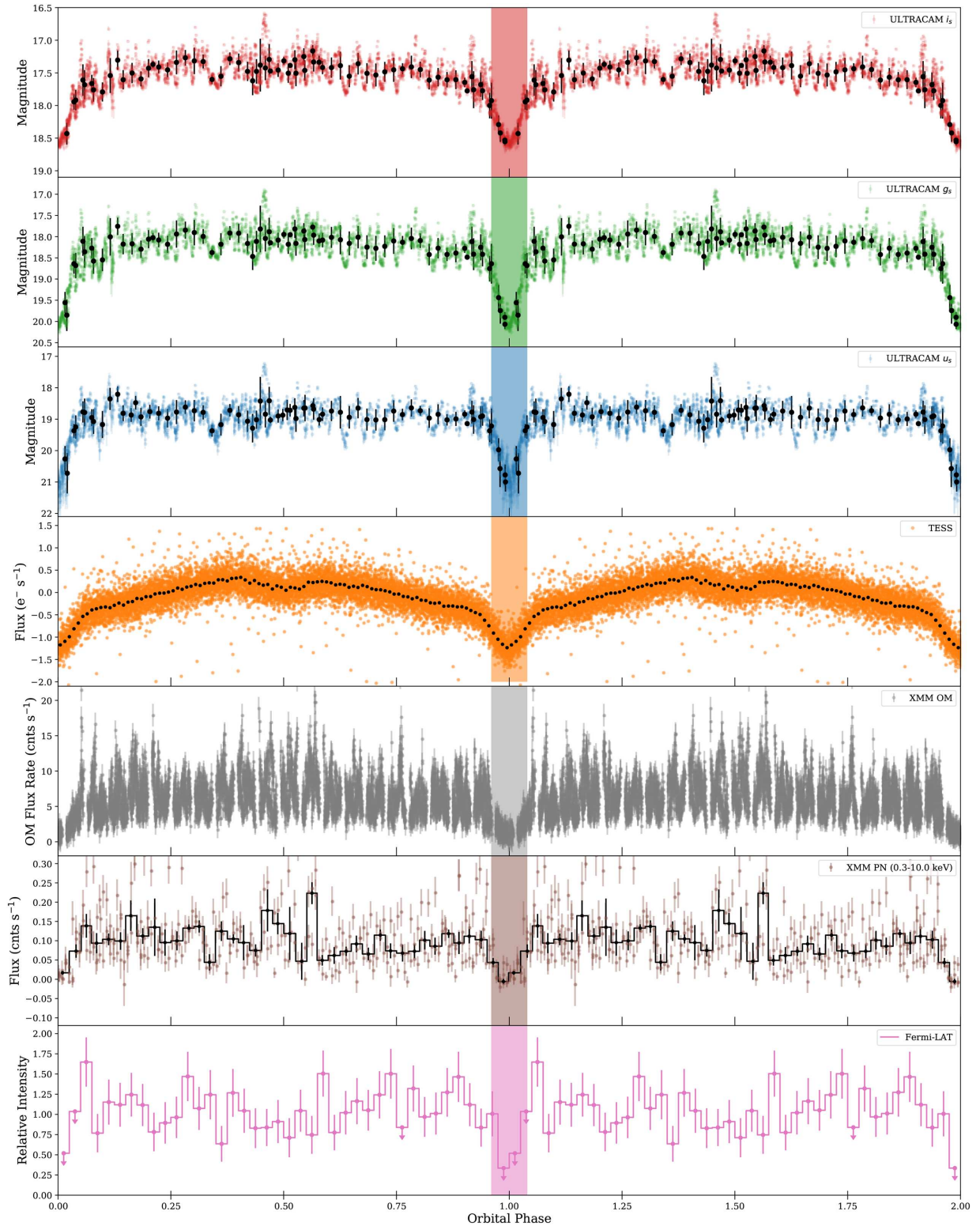


Figure 3. The phased light curve of J0427 in i_s , g_s , u_s bands taken with ULTRACAM (top three plots), the *TESS* data (orange, middle), the *XMM-Newton* OM data (grey, third from bottom), 0.3–10 keV X-ray data (second from bottom, brown), and *Fermi* LAT data (pink, bottom, upper limits marked). Overlap from the three nights of ULTRACAM observations obscures some of the flaring activity around orbital phase 0.6. Orbital phase has been repeated for clarity. The black data points in the ULTRACAM data show the binned light curve, which was used for modelling in Section 3.3, while the black points in the *XMM-Newton* data are the raw data binned with a bin width of 0.025 in orbital phase. The shaded region highlights the eclipse data, which were excluded when performing the timing analysis in Section 4.4.

intensity of unity, the rate outside of the eclipse is thus $(1 - \alpha\theta)/(1 - \theta)$. With this eclipse model, the Poisson likelihood is

$$\log \mathcal{L} = \sum_{i \in \Theta} \log(w_i \alpha + 1 - w_i) + \sum_{i \in \bar{\Theta}} \log\left(w_i \frac{1 - \alpha\theta}{1 - \theta} + 1 - w_i\right) - S \left(\alpha \eta_{\Theta} + \frac{1 - \alpha\theta}{1 - \theta} \eta_{\bar{\Theta}} \right), \quad (2)$$

where Θ indicates the phases of eclipse and $\bar{\Theta}$ the complement, S is the total expected source counts ($S \approx \sum_i w_i$), and η_{Θ} represents the fraction of the instrument exposure falling in the eclipse. We can approximate the eclipse shape as a truncated Fourier series, and Kerr (2019) discusses the efficient evaluation of such likelihoods using Fast Fourier Transforms, allowing us to evaluate the likelihood over a wide range of trial orbital frequencies. We perform this search using a 40-term Fourier series to approximate the eclipse profile and search over eclipse width ($0.01 < \theta < 0.5$), position ($0 \leq \theta_0 < 1$), and amplitude ($\alpha > 0$), taking the maximum value of the likelihood for each trial frequency. Compared to a uniform signal, we find $\delta \log \mathcal{L} = 13.4$ for an eclipse of amplitude $\alpha = 0.01$ and width $\theta = 0.064$ centred at $\theta_0 = 1.000$. Using this shape, but allowing α to vary, we searched 10^5 neighbouring orbital frequencies and found no signals with $\delta \log \mathcal{L} > 8.8$, indicating a lower limit on the chance probability of $\sim 10^{-5}$. Moreover, because there is a single degree of freedom (α), $\delta \log \mathcal{L}$ should follow a χ^2 distribution, in which case the chance probability of observing $\delta \log \mathcal{L} = 13.4$ is 2.2×10^{-7} , indicating that the eclipse has $>5\sigma$ significance. Moreover, the shape and phase are consistent with eclipses observed at lower frequency.

To further characterize the eclipse, we first performed a simple maximum likelihood analysis to determine the relative source flux at 40 orbital phase bins, following the methods of Kerr (2019, submitted), in which the photon weights are used to approximate a full time-domain likelihood analysis. The measurements (with 1σ errors and 95 per cent confidence upper limits) shown in blue in Fig. 4 clearly show the eclipse. To identify any sharp features, we also apply a Bayesian blocks algorithm (Scargle et al. 2013) using 1000 orbital phase bins and the Poisson likelihood. For a wide range of priors on the number of change points, the algorithm finds only two significant intervals, shown as the red levels in Fig. 4, indicating a strong preference for a deep eclipse with sharp edges. To confirm this, we directly fit the unbinned likelihood to find the best-fitting values for ingress, egress, and flux within the eclipse, obtaining 0.963–1.041 and $\alpha = 0.13$. The edges are relatively sharply constrained, with steep decreases in \mathcal{L} indicating that the left edge lies at $\phi \geq 0.962$ and the right edge at $\phi \leq 1.047$, while the flux during eclipse is only poorly determined, $0 \leq \alpha \leq 0.3$. The eclipse is apparently highly symmetric about the compact object superior conjunction, and the egress may be more gradual than the ingress.

To consider a more gradual eclipse, we modelled the eclipse as a Gaussian centred on θ_0 , $f(\phi) = 1 + A \exp[-(\phi - \phi_0)^2/2\sigma^2]$, and found maximum likelihood parameter values of $\theta_0 = 1.001(6)$, $\sigma = 0.023(5)$, and $A = -1.09(15)$. The resulting model is shown as the green trace in Fig. 4. However, the improvement in $\delta \log \mathcal{L} = 12.42$, compared to $\delta \log \mathcal{L} = 15.10$, for the top hat model, suggests that the more rapid eclipse is the preferred model. Note that the likelihood calculation here uses an exact top hat representation, rather than the truncated Fourier series used in the frequency search reported above, yielding a slightly higher $\delta \log \mathcal{L}$.

3.2 Orbital period

In order to try to improve the orbital period given by S16, we scaled the i_s ULTRACAM data to match the amplitude of the variability in the *TESS* data and then computed a Lomb–Scargle periodogram (Lomb 1976; Scargle 1982) of the combined data set. The strongest peak was located at a period of 0.3667 d. We estimated an error on this period by minimizing the χ^2 value of a fit to the data using a SuperSmoother algorithm (Friedman 1984), as done in S16. The resulting best-fitting period was 0.36672 ± 0.00002 d, which is not an improvement on the previous reported period. We also attempted to use GPM (which will be further discussed in Section 4.5) with a periodic kernel to determine an accurate period from the *TESS* data. Such methods have proved to be effective in the past when dealing with data that contain flickering (Littlefair, Burningham & Helling 2017; Angus et al. 2018). However, when performed solely on the *TESS* data, this method constrained the orbital period to be 0.366719(8) d, which is consistent with the previous reported error.

3.3 Orbital modulation

To better constrain the binary system parameters in J0427, we modelled the i_s , g_s , and u_s ULTRACAM data using the eclipsing light curve (ELC) code (Orosz & Hauschildt 2000). Due to the rapid flickering in the light curve, we median binned each night of data with a bin width of 10 min, with the error on each binned point taken to be the standard deviation of the points that make up that bin. This binned light curve is shown as the black points in the top three panels of Fig. 3. The *TESS* light curve was excluded from the modelling as the magnitudes could not be calibrated due to several stars lying within the aperture used for source extraction, while the OM light curve from *XMM-Newton* was excluded as the data were taken using the white filter, which has a very large bandwidth.

There are many tunable parameters within ELC that are used to describe the primary star, accretion disc, and secondary star. The variable parameters were the mass ratio $q = M_2/M_1$ (where M_1 is the primary mass and M_2 is the secondary mass), the system inclination i , the outer radius of the accretion disc R_{out} , the temperature of the disc at the inner radius T_d , the opening angle of the accretion disc β , the effective temperature of the secondary star T_2 , the irradiation luminosity of the primary that is responsible for heating the secondary star L_X , and the apparent radial velocity of the secondary star K_2 . Note that T_2 is the average temperature over the entire surface of the secondary including the irradiated region of the secondary, meaning if irradiation of the secondary is high, then T_2 is likely to be much higher than the night side temperature of the star.

In the following modelling, we assumed that the power-law exponent that controls the temperature profile of the disc (that is, $T(r) \propto T_d \left(\frac{r}{r_{\text{in}}}\right)^{\xi}$ where r_{in} is the inner radius of the accretion disc) was $\xi = -0.425$, larger than what is expected from the typical $\xi = -0.75$ in ‘steady-state’ accretion discs, but in line with an irradiated accretion disc (Hayakawa 1981), which is expected in this system due to the strength of the detected X-ray source. To ensure that this choice of ξ was not biasing our results, we also ran a Markov Chain Monte Carlo (MCMC) as implemented as part of the ELC package (see Tegmark et al. 2004) with ξ free. The only change this made to our final results was slightly higher errors on T_d , T_2 , and R_{out} . During this modelling, ξ quickly converged to -0.4 ± 0.1 , justifying the above assumption. Table 1 lists all of the relevant physical parameters used by ELC to model J0427, and whether or not the parameter was fixed or allowed to vary.

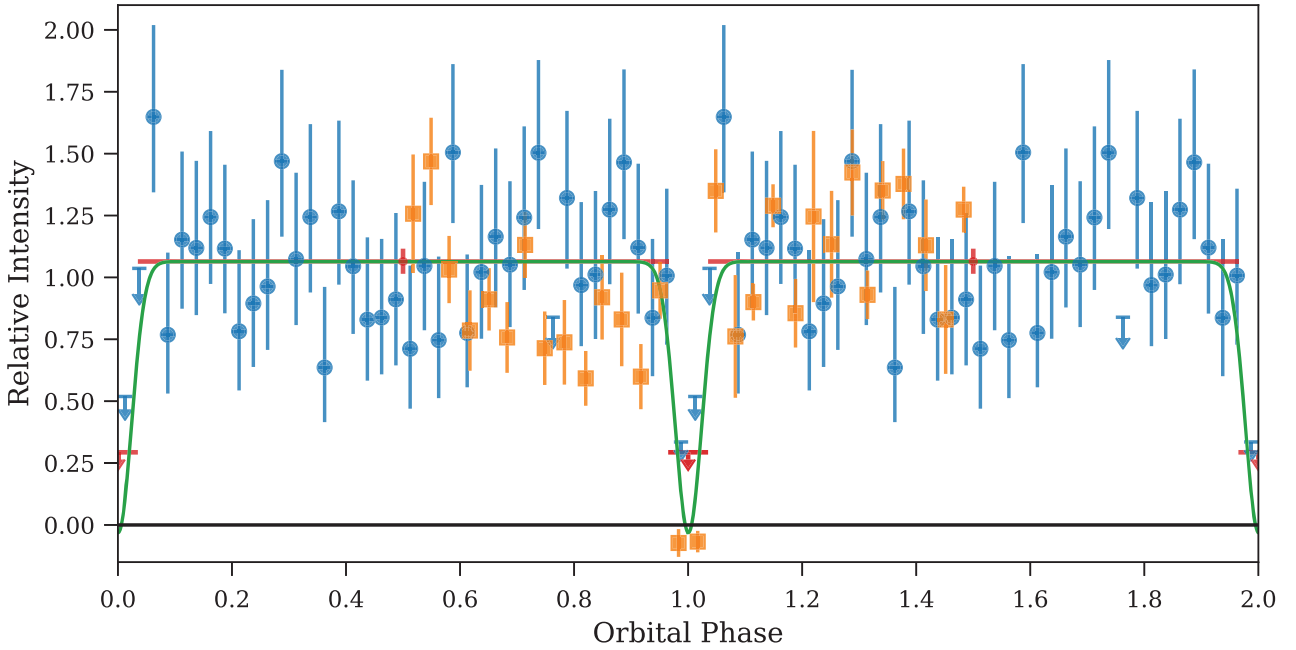


Figure 4. The γ -ray light curve obtained using *Fermi*-LAT data and following the methods described in Kerr (2019, submitted). The 40 blue points give maximum likelihood estimators for the intensity and its uncertainty, or upper limits, while the red markers give the same estimates for the two intervals determined with the Bayesian Blocks algorithm. For these two intervals, the extent on the x -axis indicates the interval boundaries, while the y -axis values give the intensity and uncertainty. The green line represents the maximum likelihood result from fitting a Gaussian eclipse model directly to the photon phases and weights. Finally, for comparison, the orange points show NuSTAR data, folded on the J0427 orbital period as described in Strader et al. (2016), scaled to give similar intensity to the γ -ray data.

Table 1. Best-fitting values from the MCMC analysis of ELC. In the case where a parameter is given, the prior was assumed to be flat with the exception of K_2 , which had a Gaussian prior with a σ equal to the measurement error from S16. If a prior is not given, that means the parameter was fixed to this value.

	Value	Prior	Ref
q	5 ± 2	1.5–10.0	S16
i	$84 \pm 3^\circ$	65° – 90°	
P_{orb}	0.3667200 d	Fixed	S16
R_{out}^a	0.4 ± 0.1	0.2–1.0	
T_{d}	$(3.7 \pm 1.0) \times 10^5$ K	1×10^5 – 6×10^5 K	
β	$2^{+1}_{-0.8}$	0.01° – 8°	
T_2	5300 ± 700 K	2800–6000 K	
$\log_{10} L_X$	35.0 ± 0.3^b	32.9^b – 36^b	S16
K_2	293 ± 5 km s $^{-1}$	283–305 km s $^{-1}$	S16

^a R_{out} is expressed as a fraction of the primary star's effective Roche lobe radius and so must be <1 . ^b Units of $\log_{10}(\text{erg s}^{-1})$.

All three optical bands of data were fit simultaneously. The best-fitting model was found by using an MCMC. We allowed 70 chains to evolve over 8000 steps each, discarded the first 250 steps of each chain as burn-in, and also filtered out models that had a χ^2 , which was more than 100 larger than our best-fitting model. The priors on all parameters were flat with hard edges at minima and maxima values, as given in Table 1.

We also assumed a Gaussian prior on the radial velocity of the secondary star of $K_2 = 293 \pm 4$ km s $^{-1}$, in line with the measured value in S16. This K_2 value may be lower than the actual K_2 of the secondary in the system due to heating effects but is still useful in providing a lower limit on the mass of the companion star.

The final number of samples used for the following analysis was 680 642. The corner plot of the MCMC analysis is shown in Fig. 5, and our best-fitting model is shown alongside each optical band of data in Fig. 6. The corner plot shows that there are several degeneracies between various parameters (q and i , T_2 and L_X , T_2 and T_{d}) and that several of the parameters are not well constrained using our data. Our final fit had a χ^2 of 165.18 for 185 degrees of freedom, suggesting that the error bars on the binned data points were overestimated. The best constrained parameters are $i = 84 \pm 3^\circ$, $T_2 = 5300 \pm 600$ K, and $L_X = (1^{+0.9}_{-0.5}) \times 10^{35}$ erg s $^{-1}$, where the errors have been scaled such that the χ^2_{R} of the best-fitting model was 1.

3.4 Colour information

Fig. 7 shows the u_s – i_s colour versus u_s magnitude for all of the simultaneous u_s and i_s ULTRACAM observations of J0427. The points have been colour coded according to their orbital phase. There are three distinct features in the colour-magnitude diagram:

- (i) A very rapid reddening of the object as the colour moves from the centre to the top right of the plot, which occurs during the eclipse.
- (ii) A rapid, large variation in the colour, which sees J0427 moving from the centre of the plot to the bottom left (the sources of these variations will be discussed in detail in a later section).
- (iii) A slow, small variation in colour due to the orbital motion of the secondary, which sees the colour moving from the centre of the plot towards the upper left between orbital phases 0 and 0.5, and back down towards the bottom right from orbital phase 0.5–1.0.

The gradual reddening of the object from orbital phase 0.0–0.5 and the reverse from phase 0.5–1.0 confirm the proposition made

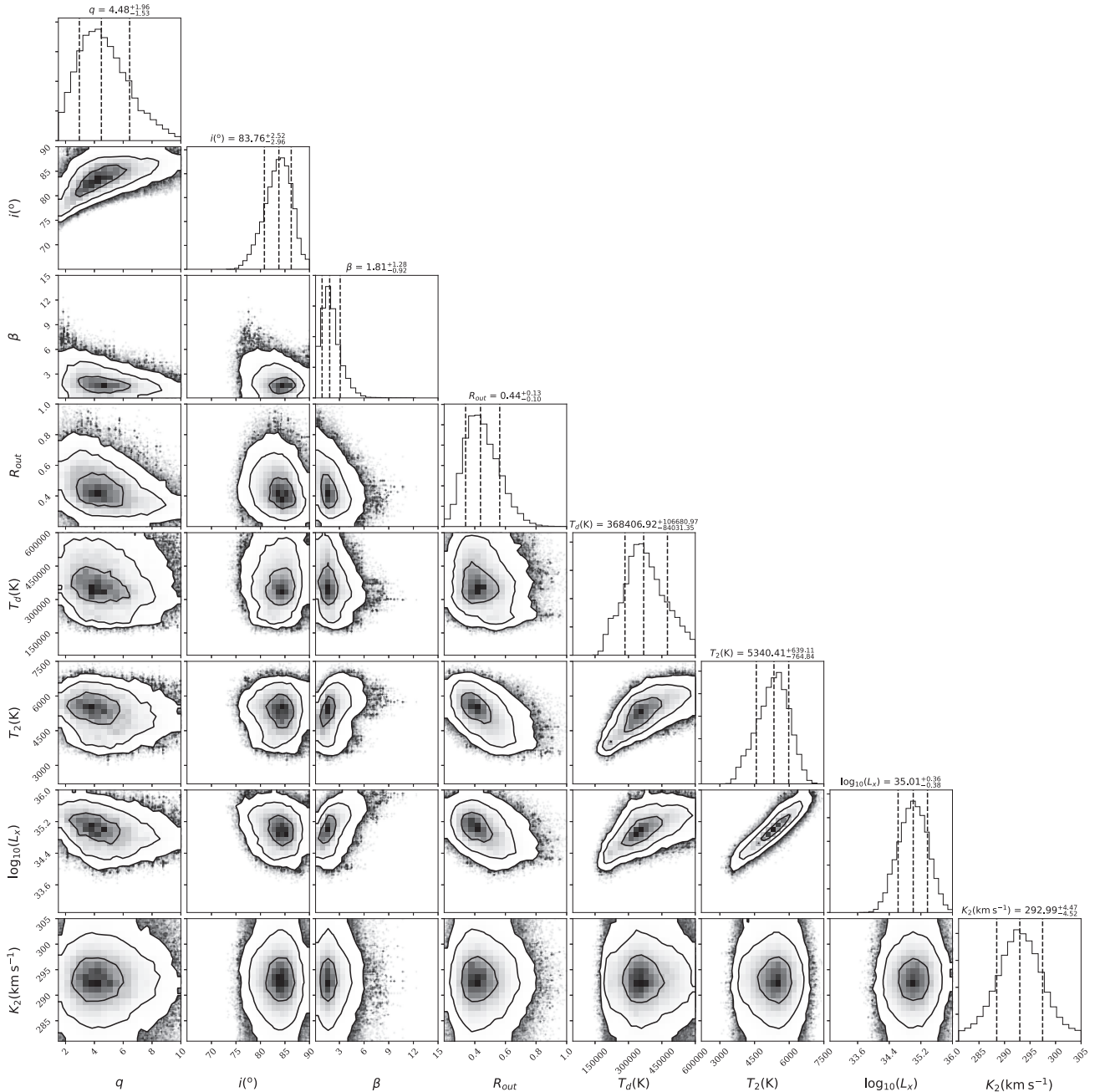


Figure 5. Corner plot from the MCMC analysis of J0427 using ELC. The priors for each parameter are given in Table 1. There are clear correlations between q and i , q and R_{out} , T_{d} and T_2 , T_{d} and L_x , and T_2 and L_x . We could not constrain K_2 better than what was done in S16. Dashed vertical lines mark the median value and 3σ confidence intervals.

at the beginning of this section that the i_s light curve has significant curvature over the orbital period while the u_s light curve is relatively flat and is in line with the modelling discussed in the previous subsection.

3.5 Flux distribution

The ELC model found in Section 3.3 was then subtracted from the i_s , g_s , and u_s ULTRACAM light curves, such that the remaining signal included only noise and short time-scale flickering. We then generated histograms of the residual flux in each band to look for the bimodal distributions, which have been seen in several tMSPs

during their active states (Shahbaz et al. 2015; Britt et al. 2017). The flux distributions had only a single peak with a high flux tail in each band. The same is true of both the *TESS* and *XMM-Newton* OM light curves.

There is a segment of data taken on 2017 October 16 during which the variability of the flux from J0427 decreased for ~ 15 min. The *TESS* and *XMM-Newton* OM data prove that this feature is not an orbital feature, as neither light curves show a drop in the average flux at the same orbital phase that this period of diminished variability was seen in the ULTRACAM light curve. This means that this drop was transient and does not repeat every orbital period.

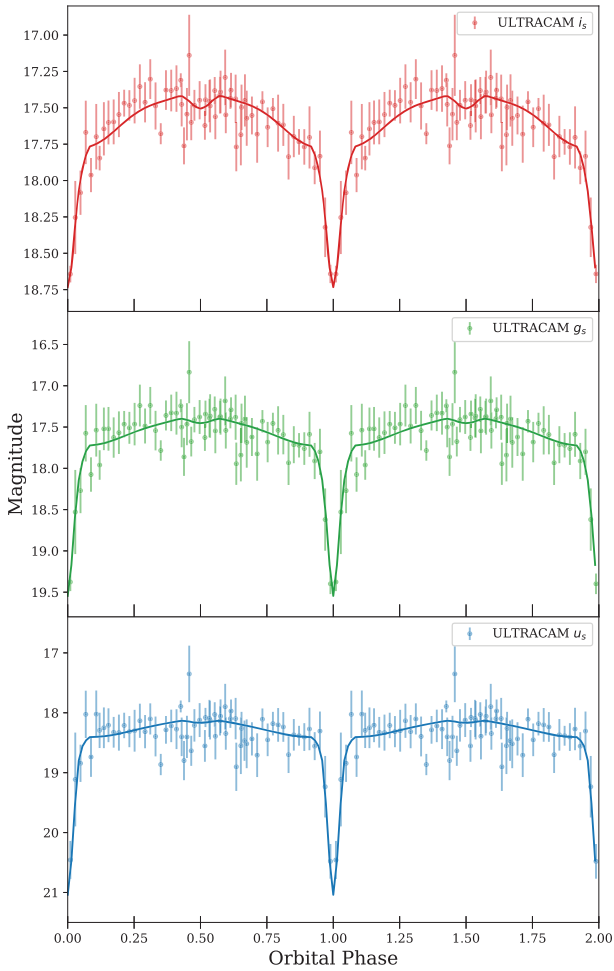


Figure 6. Best-fitting model generated using ELC (solid lines) alongside the 10-min median-binned data in each of the observed optical bands.

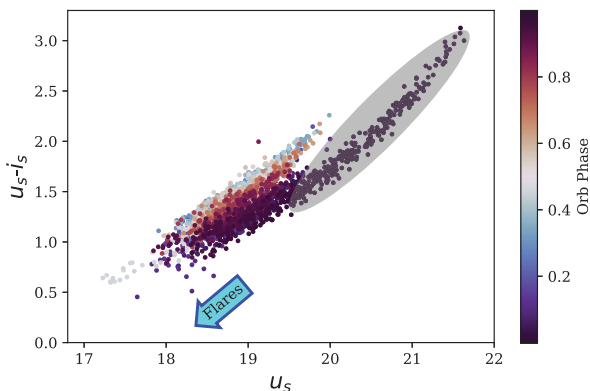


Figure 7. Colour-magnitude diagram for the data of J0427. The grey ellipse highlights data that were taken during eclipse, while the arrow points in the direction of the change in colour of the system due to flares. The colour scale indicates the orbital phase at which a given data point was taken, with deep red/blue corresponding to orbital phase 0.0/1.0 and lighter shades representing data taken close to orbital phase 0.5. The gradual reddening of the colour from phase 0.0–0.5 is from the curvature in the i_s light curve.

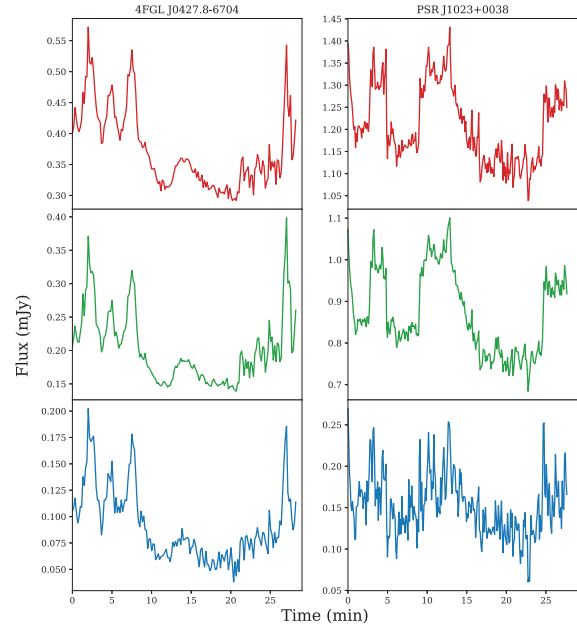


Figure 8. A comparison of the variability detected in J0427 (left) with PSR J1023+0038 (right), observed with ULTRACAM mounted on the NTT. Both data sets show similar behaviour, but the analogy is not perfect, with the high mode in PSR J1023+0038 showing plateaus that are not obvious in J0427.

Fig. 8 shows this segment of data alongside a 29-min segment of the light curve of the tMSP PSR J1023+0038, which was also obtained with ULTRACAM when PSR J1023+0038 was in an accreting state on the night of 2019 March 1, using 10-s exposures. Both light curves show the same amplitude of variability. However, there are still differences in the light curves. In particular, the mode-switching behaviour of PSR J1023+0038 has a very distinctive step shape, with clear plateaus during the high mode, while the features in J0427 more closely resemble flares rather than the bi-model behaviour seen in PSR J1023+0038.

3.6 Photopolarimetry

The photopolarimetric observations were binned to 300-s exposure times for analysis. We did not find any indication of linear polarization above the sky background. However, due to the faintness of J0427 and the moonlit linearly polarized sky, we were able to place only an upper limit of ~ 3 per cent on the linear polarization of J0427. Circular polarization displayed random excursions around zero per cent, consistent with a non-detection with a limit of < 1 per cent.

4 SHORT TIME-SCALE VARIABILITY

While the orbital modulation dominates the long-term optical variability of J0427, there are also strong short-term flares visible in the data. We begin our discussion on this short-term variability by first considering the *TESS* data (due to its long cadence), followed by the *XMM-Newton* OM data, and concluding with the behaviour seen in the highest quality data, the ULTRACAM light curve. The 3σ levels as plotted in the various periodograms in this section were derived as described in Appendix A.

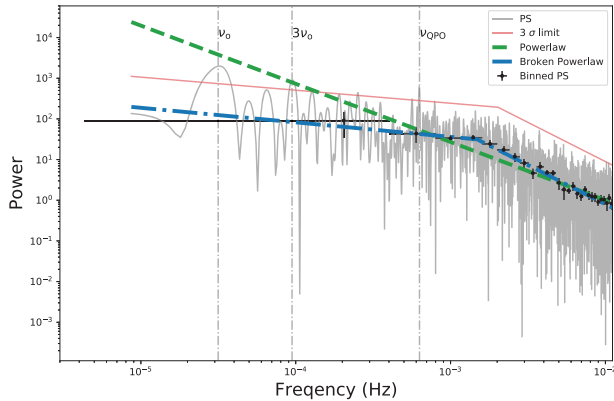


Figure 9. Power spectrum of the data obtained using the OM onboard *XMM-Newton* (grey). The power spectrum was binned (black points) and fit with a power law (green, dashed line) and broken power law (blue, dashed-dotted line) model. The power spectrum was best fit by the broken power-law model, with the break occurring at 1.6×10^{-3} Hz. The red line represents the 3σ level for a detected signal based on simulated light curves. There are three peaks located above this confidence level – one at the orbital frequency (marked as ν_0), one at three times the orbital frequency ($3\nu_0$), and one at 0.63 mHz (ν_{QPO}), which corresponds to a period of 26.5 min.

4.1 TESS

The periodogram of the *TESS* data is shown in the right-hand panel of Fig. 1 up to a frequency of 0.27 mHz (equivalent to a minimum period of 60 min, which is twice the sampling rate for the *TESS* data). The periodogram shows strong power at the orbital frequency and its first eight harmonics. There are a further two potential signals located close to 3×10^{-4} Hz, which are not clearly associated with the orbital period. In order to investigate whether these peaks were real, noise, or related to a beat between the orbital period and the cadence of the data, a function describing the orbital modulation of the light curve was created by fitting the binned *TESS* light curve shown in Fig. 3 using the *NUMPY* interpolate feature. This model light curve was then subtracted from the data and a power spectrum of the residuals taken. This power spectrum showed no strong features, suggesting that these two peaks seen on the far right of Fig. 1 are not intrinsic to the system.

4.2 XMM-Newton OM

We next took the optical light curve obtained using the OM onboard *XMM-Newton* and constructed a power spectrum up to a frequency of 11 mHz (a minimum period of 1.5 min). The power spectrum is shown in Fig. 9.

There are three frequencies where the detected power surpasses the 3σ level – ν_0 (the orbital frequency), $3 \times \nu_0$, and 0.63 mHz. The detection of the first two frequencies is unsurprising, given that the light curve shows eclipses, but the detection of power at 0.63 mHz (equivalent to a period of 26.5 min) is surprising. One possibility is that this is related to the window function of the observations – while the length of a single observation taken with the OM lasts for 20 min, there is also 6 min of dead time between sequential observations, meaning that the OM data have a sampling rate of 26 min. This could be giving rise to the signal at this period. Considering, however, that the 26.5-min period does not show up in our simulated light curves, which have the same window function as the actual data, the period is likely not related to this and is instead intrinsic to the system.

4.3 ULTRACAM

After removing the orbital modulation and masking the eclipse from the original light curve, the remaining data showed dramatic variability typically associated with flickering in an accretion disc. We subjected the data to a variety of time series analysis techniques to look for short-term periodicities. We treated each night of data individually to avoid the heavy aliasing which would arise had we combined all of the observations together.

4.4 Autocorrelation function

The autocorrelation function (ACF) for each night of data was calculated after the orbital modulation had been removed. For the data from 2017 October 16, we excluded all data taken after the eclipse so that this feature would not alter the ACF, and no gaps in the data would be present. The ACFs from each night showed correlations with a time scale of ~ 2 –3 min (see Fig. A1 in Appendix A). The ACFs from 2017 October 14 and 2017 November 22 showed no other strong correlations. The same cannot be said of the data from 2017 October 16. This ACF has not only a short time-scale correlation of about ~ 2 –3 min but also a near sinusoidal correlation with a period of 21 min, which is coherent only for the first 150 min of the observation.

4.4.1 Power spectrum

Lomb-Scargle periodograms of each night of data showed strong power at varying periods between 10 and 30 min, as shown in Fig. 10. However, since the system contains an accretion disc (based on the double peaked optical emission lines reported in S16), we expect the power spectra to be dominated by pink noise. This is correlated noise with a power-law spectrum f^α , with $\alpha = -1$, and is not unusual in systems that are dominated by ‘flickering’ (Lawrence et al. 1987). The presence of pink noise makes the determination of the significance of any peaks in a power spectrum difficult, as the usual metrics such as the False Alarm Probability depend on the noise in the data being uncorrelated ($\alpha = 0.0$). As such, the 3σ level for whether a period was real or a noise peak for each band and each night was found using the method discussed in Appendix A.

The only power spectrum that had a peak detected above the 3σ level was from the data taken on 2017 October 16 in the i_s , and the peak was found to lie at ~ 21 min. While there is a peak in the g_s and u_s light curve around the same period, it is not detected at the 3σ level. This may be due to a combination of the lower temporal sampling and lower S/N of the u_s and the lower S/N of the g_s data when compared to the i_s data.

4.5 Gaussian Process Modelling

We next attempted to investigate the nature of the flickering using GPM methods. A Gaussian Process is a collection of random variables, any finite number of which has a joint Gaussian distribution defined by a certain covariance matrix. While traditionally the covariance matrix is calculated from the data, in GPM the matrix is constructed using covariance kernels that attempt to model the correlations between data points. We tested two different kernels when analysing the optical data presented here. The first kernel was the sum of a Matérn covariance kernel to allow for covariances between data points on a length scale of ℓ_1 and a periodic kernel that allowed for variations on a time-scale equal to the orbital period. The second kernel had a third component to allow for short-term

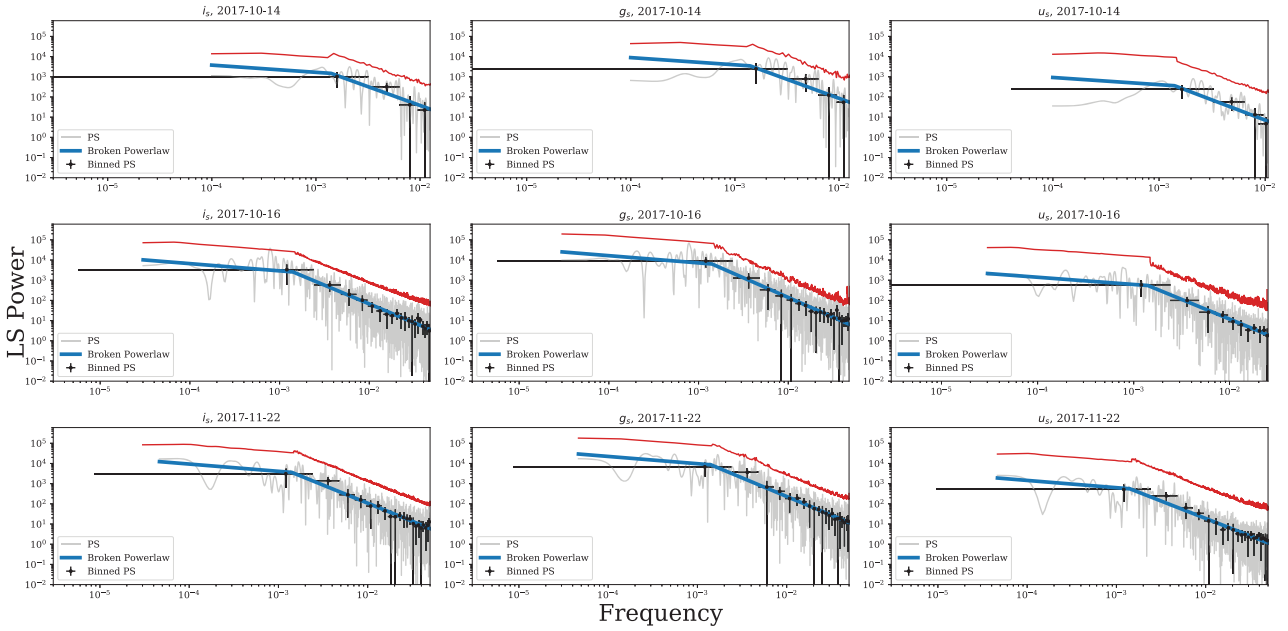


Figure 10. Lomb–Scargle periodograms for each night of data (top to bottom) in each band (left to right). The blue line is the best-fitting broken power law to the data, while the red line marks the 3σ level determined as described in the text. The y-axis is dimensionless following the standard normalization option of the Lomb–Scargle periodogram as implemented in Astropy (Astropy Collaboration et al. 2013).

periodic variations in addition to these two components of the first kernel. A detailed discussion of the kernels used in this analysis is included in Appendix A.

The kernels were implemented using SCIKIT-LEARN (Pedregosa et al. 2011) and the hyperparameters were tuned using an MCMC sampler implemented using EMCEE (Foreman-Mackey et al. 2013). As with our light curve modelling, P_{orb} was fixed to 0.3667200 d. The kernels were initially trained on the combined i_s data from 2017 October 14 and 2017 October 16 after converting the data from magnitude to flux. For both of the kernels, we found that length scale over which data were correlated was 2.6 ± 0.3 min, as suggested by the ACF in Section 4.4. While a solution was found using the second kernel with the short time-scale periodicity, the marginal log likelihood never exceeded the marginal log likelihood of the first kernel. Even when we limited our analysis to just the data taken on 2017 October 16 prior to the eclipse (the same data used when calculating the middle row of panels of Fig. 10), we again find that the simpler first kernel is more likely than the second, suggesting that the periodicity detected using the Lomb–Scargle periodogram is transient in nature.

The best-fitting A_1 , ℓ , and A_2 are given in Fig. 11. Due to the very short time-scale correlation in our kernel of 2.7 min, the model quickly loses the ability to accurately predict fluxes outside of the observed data, limiting the use of this technique.

5 X-RAY SPECTROSCOPY

The extracted X-ray spectra covering 0.3–10 keV from the PN and both MOS1 and MOS2 instruments onboard *XMM-Newton* are shown in Fig. 12. We modelled the X-ray emission using XSPEC v. 12.10.1 (Arnaud 1996). We initially began with a simple absorbed power law (CONST \times TBABS \times POWERLAW, where the CONST component was included to allow for differences between the PN and MOS instruments and TBABS is the Tuebingen-Boulder ISM absorption model; Wilms, Allen & McCray 2000). While this model was able

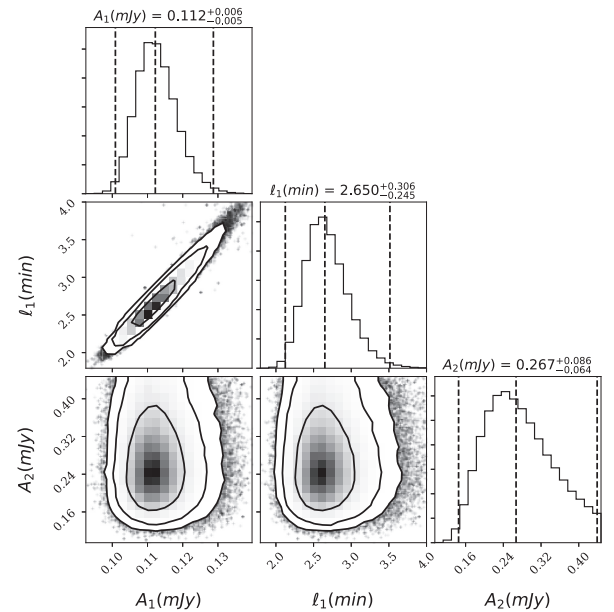


Figure 11. Results of the MCMC analysis of our data using Gaussian Process Modelling. The modelling shows that the data have a short-term correlation of 2.6 min (ℓ) with an amplitude of close to 0.1 mJy (A_1). The orbital modulation has an amplitude of 0.26 mJy (A_2).

to describe the hard X-ray tail of the spectrum (energies >2 keV), it could not fit the spectrum at soft (0.1–2 keV) energies, with a χ^2 value of 756.656 for 260 degrees of freedom. Since this source is edge on, we expect the amount of absorption due to material within the binary system to be high. As such, we next fit a partially absorbed power law to the data to account for the circumstellar absorption. The model (CONST \times TBABS \times PCFABS \times POWERLAW) fits the data well, with a $\chi^2 = 272.928$ for 259 degrees of freedom. The model

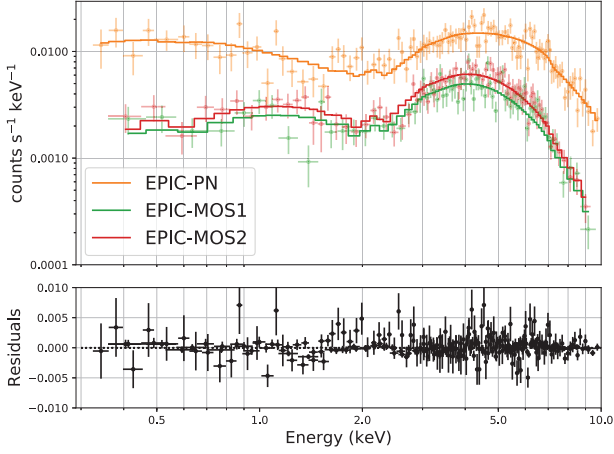


Figure 12. The X-ray spectra from 0.3 to 10 keV obtained using the EPIC-PN, -MOS1, and -MOS2 instruments onboard *XMM-Newton*, alongside the best-fitting partially absorbed power law model.

Table 2. Best-fitting parameters from an absorbed power-law fit to the X-ray spectrum.

Component	Parameter	Value
tabs	n_{H} (cm^{-2})	$<1 \times 10^{19}$
pcfabs	n_{H} (cm^{-2})	$(9 \pm 1) \times 10^{22}$
	CovFrac	0.96 ± 0.01
powerlaw	Γ	1.3 ± 0.1
	norm ^a	$(1.9 \pm 0.8) \times 10^{-4}$

^aphotons $\text{keV}^{-2} \text{cm}^{-2} \text{s}^{-1}$ at 1 keV

is shown alongside the spectra in Fig. 12, and the best-fitting parameters are given in Table 2.

We also tried fitting the spectrum with an additional Gaussian emission component to account for any emission at the 6.4 keV Fe $K\alpha$ emission line. The addition of such a component did not increase the goodness-of-fit by a statistically significant amount.

The best-fitting parameters show that the interstellar absorber accounts for very little absorption in the spectrum, with only an upper limit on the density calculable. Nearly all of the absorption arises due to the high density and covering fraction of the partial absorber, indicative of significant absorption by the accretion disc. This is in line with the high inclination derived from the optical light curve modelling.

We computed the unabsorbed 2–10 keV flux by fitting the spectrum with the XSPEC model CFLUX and using the best-fitting parameters found for the above model. The unabsorbed 2–10 keV flux was found to be $(1.73 \pm 0.08) \times 10^{-12} \text{ erg cm}^{-2} \text{ s}^{-1}$.

6 DISCUSSION

6.1 Component masses

For each model generated by ELC, the software also computes the individual masses using the system inclination, mass ratio, orbital period, and K_2 . The primary and secondary masses for every model computed in our analysis are shown in Fig. 13. The masses are not very well constrained, with $M_1 = 1.43_{-0.19}^{+0.33} M_{\odot}$ and $M_2 = 0.30_{-0.12}^{+0.27} M_{\odot}$ at the 1σ level. We can use the lower bound of $K_2 > 283 \text{ km s}^{-1}$ and the measured P_{orb} to put a lower bound on the primary mass

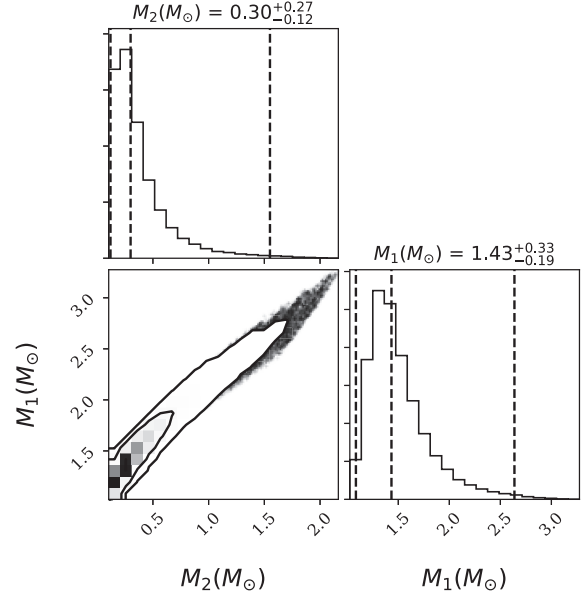


Figure 13. Component masses of system. The upper limit on the primary mass is close to the theoretical limit on the mass of a neutron star. Contours are at the 2σ and 3σ levels.

of $M_1 > 0.86 M_{\odot}$ by using the mass function formula

$$M_1 = \left(\frac{1}{q} + 1 \right)^2 \frac{P_{\text{orb}} K_2^3}{2\pi G \sin i^3}, \quad (3)$$

and letting $q \rightarrow \infty$ (for $q = \frac{M_1}{M_2}$ as defined for ELC) and $i \rightarrow 90^\circ$. From our modelling, the primary mass is less than $2.5 M_{\odot}$ at the 3σ level. However, this upper bound is not entirely reliable, as the observed K_2 may be biased by irradiation of the secondary. Fig. 13 also shows why there is a large error on the mass ratio from our modelling – for a very low-mass secondary ($<0.18 M_{\odot}$), the mass ratio of the system can be as large as 10. If we require that the secondary mass $>0.18 M_{\odot}$, then the mass ratio is more tightly constrained to $q = 3.5 \pm 1.0$.

We note that our constraints on the individual masses are not as tight as those derived by S16. This is because S16 measured the radial velocity feature of the emission lines and assumed that this velocity was equivalent to the velocity of the primary star. This assumes that the accretion disc extends down to the surface of the primary, which is not entirely obvious. Additionally, any brightness asymmetries in the accretion disc would cause an incorrect measurement of K_1 . Due to these two points, we did not include this value in our modelling, meaning the mass ratio was left unconstrained. A direct measurement of K_1 would become possible if the primary were detected as a radio or X-ray pulsar.

6.2 Is J0427 a cataclysmic variable?

The mass of the primary in J0427 has still not been well constrained, and the system could still be a CV (an interacting binary system with a white dwarf primary) with a particularly heavy white dwarf primary. Below, we lay out the arguments that suggest that the primary is not a white dwarf.

First, the optical light curve of the system helps rule out a typical dwarf nova classification. This type of CV exhibits outbursts related to instabilities in their accretion discs, which have a typical amplitude of several magnitudes at optical wavelengths. The lack of

any observed outbursts in J0427 in our data or in the data presented in S16 helps immediately rule out this classification.

The observed parallax of J0427 in the recent *Gaia* second data release is 0.38 ± 0.07 mas (Brown et al. 2018). This implies a distance to J0427 of $1.8 < d < 5.6$ kpc at the 3σ level, estimated using the methods described in Luri et al. (2018) and with a length scale of 1 kpc for the prior. The distance to J0427 combined with the 0.3–10 keV X-ray flux of $2.0_{-0.5}^{+15.9} \times 10^{-12}$ erg cm $^{-2}$ s $^{-1}$ measured here suggests that the 0.3–10 keV X-ray luminosity of the source is $7 \times 10^{32} < L_X < 8 \times 10^{33}$ erg s $^{-1}$. Such a high X-ray luminosity is incompatible with dwarf novae CVs, which typically have X-ray luminosities 10^{29-30} erg s $^{-1}$. However, CVs that have persistently high-mass accretion rates (called nova-likes) and CVs with magnetic white dwarfs have much higher X-ray and optical luminosities than their dwarf nova cousins. In particular, intermediate polars (which are magnetic CVs that harbour accretion discs; IPs) have X-ray luminosities of 10^{32-33} erg s $^{-1}$ (Xu, Wang & Li 2016), which is consistent with the lower limit on the X-ray luminosity of J0427. Additionally, an IP at same distance as J0427 would have a similar apparent magnitude at optical wavelengths as J0427. However, we note that the above comparisons are lower limits, since we have assumed the minimum distance possible to J0427, and it is likely that the X-ray flux from J0427 is much higher than the lower limit implies (as hinted at by the ELC modelling). The optical polarimetry does not help rule out a CV classification, as the upper limit of 1 per cent on circular polarization is higher than the detected circular polarization in most magnetic CVs (Butters et al. 2009).

The most convincing evidence for ruling out a white dwarf primary is the association of J0427 with a GeV γ -ray source, as no CV has ever been observed to produce such high-energy photons in their regular states. The only state in which a system with a white dwarf primary has exhibited γ -ray emission is when a CV undergoes a nova eruption due to thermonuclear burning on its surface (for example V407 Cygni; Abdo et al. 2010), and the γ -rays are produced only during the eruption itself. The confirmation of the persistent γ -ray eclipse in J0427 proves that the γ -rays are coming from close to or directly from the primary in this system and are not due to a nova eruption.

6.3 Is J0427 a transitional MSP?

If J0427 is not a CV, then it is an LMXB containing either an NS or a black hole primary. The detection of radio or γ -ray pulsations from the primary or the detection of an X-ray burst would confirm the existence of an NS primary, while an accurate mass measurement could be used to distinguish between these two primaries. Regarding the first point, J0427 has yet to be detected as a persistent or periodic radio source, and regarding the X-ray flaring, the X-ray light curve shows significant variability (even outside times of high background, as shown in Fig. 2). In particular, there is a single event where the count rate increases by a factor of 5. However, these events are not resolved with the 100-s bin width, which is required to obtain an adequate S/N in the light curve, making the actual duration and shape of the events impossible to determine.

As such, we must rely on the mass constraints given in this paper to determine the nature of the compact object. The maximum mass of the primary star is $2.42 M_{\odot}$ at the 3σ level, which is close to the theoretical upper limit for the mass of an NS. This means the most likely scenario is that the primary is not a black hole but an NS. Given this, the question becomes is the system a regular LMXB with an NS primary, or a tMSP in an accreting state?

tMSPs have a combination of optical features and X-ray features that can be used to distinguish them from regular LMXBs – optical/X-ray flares and a bi-modality in the optical/X-ray flux distribution (see Bogdanov et al. 2015 for an example of X-ray bi-modality and flares, Shahbaz et al. 2015 for an example of optical bi-modality, and Kennedy et al. 2018 for examples of optical flares). The origin of these features is still uncertain, and while there are a multitude of models that attempt to explain the features (Linares 2014; Papitto & Torres 2015; Papitto et al. 2019), most of them agree that the features likely arise from interactions deep within the accretion disc, close to the magnetosphere of the NS.

J0427 shows no such bi-modality in its optical flux distributions (after removal of the orbital modulation, the flux distributions in all three bands were lognormally distributed), or in the X-ray light curve obtained with *XMM-Newton* (with the caveat that a majority of the X-ray light curve must be ignored due to high background). Such a discrepancy is not at odds with the classification of J0427 as a tMSP, as Kennedy et al. (2018) showed that in long-term optical observations of PSR J1023+0038 taken in its accretion states, there were long periods of time when the flux of PSR J1023+0038 did not show a bi-modal distribution.

It may also be that our ability to detect bi-modality is inclination dependent. Since the inner part of the disc is where the bi-modality supposedly originates, and J0427 is an edge-on system, the region where this bi-modality arises may be hidden from us. This allows for the classification of J0427 as a tMSP despite the non-detection of a bi-modal optical and X-ray flux distribution.

Additionally, the derived X-ray flux from the *XMM-Newton* observations and the measured power-law index of $\Gamma = 1.3 \pm 0.1$ are consistent with a tMSP in an accreting state. The distance limits on J0427 combined with the measured 2–10 keV flux provide limits on the X-ray luminosity of J0427 as $7 \times 10^{32} < L_X < 8 \times 10^{33}$ erg s $^{-1}$. The measured X-ray luminosity of PSR J1023+0038 during its accreting state is 3×10^{33} erg s $^{-1}$ (when in the X-ray high mode). If J0427 were to have a similar luminosity, then it would be located at 4 kpc. The next *Gaia* data release should have a more precise parallax for J0427, which will then better constrain the X-ray luminosity.

Finally, typical accreting LMXBs do not have γ -ray counterparts, while the three confirmed tMSPs (PSR J1023+0038, IGR J18245–2452, and PSR J1227–4853) and one of the potential tMSPs (3FGL J1544.6–1125) do. While the definite detection of a γ -ray eclipse in J0427 shown in this paper strongly supports the claim by S16 that J0427 is a tMSP in an accreting state, the conclusive confirmation of J0427 as an accretion-state tMSP requires the detection of millisecond pulsations from the spinning neutron star primary.

6.3.1 Pulsation detection feasibility

While radio pulsations have been detected only from tMSPs in rotation-powered states, optical and X-ray pulsations have been detected from PSR J1023+0038 in its accreting state (Archibald et al. 2015; Jaodand et al. 2016; Ambrosino et al. 2017; Zampieri et al. 2019). Additionally, while γ -ray pulsations have been detected from a large number of nearby MSPs, it remains an open question as to whether or not γ -ray pulsations from a tMSP are also suppressed during accreting states. Of the three confirmed tMSPs, γ -ray pulsations have been detected only from PSR J1227–4853 during its rotation powered state (Johnson et al. 2015), but the low signal-to-noise ratio and unpredictable variations in the orbital

period have prevented the extrapolation of the timing solution back to the pre-transition epoch to check for pulsations in the accreting state.

For J0427 whose pulsation period remains unknown, the detection of γ -ray pulsations would require a multidimensional blind search over several timing parameters. Given sufficiently precise knowledge of the orbital parameters (period, phase, and projected semimajor axis), such searches are capable of discovering binary MSPs (Pletsch et al. 2012). However, for J0427, the current parameter constraints (from the orbital ephemeris of equation 1, and the semimajor axis range of $0.7\text{ s} \lesssim (a \sin i)/c \lesssim 1.6\text{ s}$ inferred from the parameters in Table 1) still leave a prohibitively large volume to search, and even using e.g. the thousands of computers participating in the *Einstein@Home* volunteer computing project (Allen et al. 2013; Clark et al. 2017), a full blind search would take more than a year to complete (L. Nieder, private communication). Given that it is still unclear whether or not a tMSP in an accreting state will even emit detectable γ -ray pulsations, we do not believe that such a search would currently be a good use of computing resources, but we note that this may change in the future should the orbital ephemeris be further refined with additional optical observations.

7 CONCLUSIONS

We have presented further optical, X-ray, and γ -ray observations of J0427. The γ -ray eclipse is now detected with a significance of $>5\sigma$. This confirms that the γ -ray emission is associated with the X-ray and optical source, establishing J0427's membership as one of a rare class of accreting binaries. The high time resolution optical data show rapid flickering on a time-scale of 2.4 min, with hints of an underlying 21-min period. Modelling of the optical light curve has placed tight constraints on the inclination of the system to be $84 \pm 3^\circ$, and we find that there is significant evidence for heating of the secondary star by the primary.

We do not find evidence for bi-modality in the optical or X-ray light curves. This is still consistent with J0427 belonging to the tMSP class of objects, as tMSPs do not always show bi-modality in their optical and X-ray light curves, and our ability to detect bi-modality may be inclination-dependant, with the bi-modality of high-inclination systems such as J0427 difficult to detect due to obscuration of the region associated with this behaviour by the outer parts of the accretion disc. While we have not been able to rule out a white dwarf primary by modelling the optical light curve, it is likely that the primary is too heavy to be a white dwarf, and the now significant detection of a γ -ray eclipse makes any primary other than an NS in a tMSP difficult to explain.

Definitive classification of J0427 as a tMSP requires detection of radio/optical/X-ray pulsations from the primary, or the detection of a state transition. One thing that is beyond debate is that additional optical, X-ray, radio, and γ -ray data should be obtained. In addition to searching for state transitions, further optical photometry can be used to confirm the ~ 21 -min period, and optical spectroscopy would allow the use of Doppler tomography and spectral eclipse mapping to better understand the accretion structures within this system.

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APPENDIX A: TIME SERIES ANALYSIS

A1 Estimating the 3σ values for signal detection in a periodogram

In order to construct accurate confidence levels for peaks in the power spectrum, it is important to know what the underlying shape of the power spectrum is. Typically, power spectra are modelled

as power laws ($P(f) \propto f^\alpha$ where α is the spectral index). A flat spectral index ($\alpha \sim 0$) suggests that the light curve is dominated by white noise, while a steep spectral index ($\alpha \sim -2$) suggests that strong correlated red noise is present in the data. The light curves of systems that contain accretion discs are often dominated by ‘flickering’, which shows up in power spectra as pink noise (a power-law spectrum with $\alpha = -1$; Lawrence et al. 1987). For each of the power spectra presented in this paper, we first binned the power spectrum in question such that the distribution of power within each bin followed a lognormal distribution and then fit both a power law and a broken power law to the binned data.

Once the frequency dependence of the power spectrum was measured, the 3σ level for identifying significant periods present in the power spectrum at each frequency could be estimated. This was done by generating 100 000 light curves that had the same temporal sampling as our data but were generated using a fake power spectrum with either the best-fitting power law or a broken power law from the first step and then creating the light curve using the algorithm described in Timmer & Koenig (1995) and implemented in STINGRAY.² The power spectrum of each of these fake light curves was taken and the power at each frequency recorded. The distribution of powers at each frequency was then fit with a cumulative distribution function assuming that the noise is Gaussian distributed (equation 53 of VanderPlas 2018), and the 3σ level at each frequency was taken to be the central value of the Gaussian plus 3 standard deviations. The threshold line is not the ‘single trial’ threshold but shows the 3-sigma level after accounting for the number of independent frequencies in the power spectrum. In this case, this number was assumed to be the length of the frequency range of the power spectrum up to the Nyquist frequency ($f_{\text{Ny}} = 0.5 t_{\text{samp}}$ where t_{samp} is the sampling rate) divided by a delta frequency such that the power spectrum was Nyquist sampled ($\delta f = 1/T_{\text{obs}}$ where T_{obs} is the length of the observations). The results of this error estimation are plotted as the 3σ levels in each of the power spectra in this paper, and code to reproduce these plots is hosted online.³

A2 Gaussian Process Modelling of the optical light curve

For a pair of data points, (x_i, x_j) , we tested two kernels: one of the form

$$k(x_i, x_j) = (A_1)^2 \exp\left(-\frac{(x_i - x_j)}{\ell_1}\right) + (A_2)^2 \exp\left(-\frac{2}{(\ell_2)^2} \sin^2\left(\frac{\pi(x_i - x_j)}{P_{\text{orb}}}\right)\right), \quad (\text{A1})$$

and another of the form

$$k(x_i, x_j) = (A_1)^2 \exp\left(-\frac{(x_i - x_j)}{\ell_1}\right) + (A_2)^2 \exp\left(-\frac{2}{(\ell_2)^2} \sin^2\left(\frac{\pi(x_i - x_j)}{P_{\text{orb}}}\right)\right) + (A_3)^2 \exp\left(-\frac{2}{(\ell_3)^2} \sin^2\left(\frac{\pi(x_i - x_j)}{P}\right)\right). \quad (\text{A2})$$

²STINGRAY is a PYTHON package for X-ray astronomy and is available at <https://github.com/StingraySoftware/stingray>

³<https://github.com/mkenne15/papers/tree/master/4FGLJ0427>

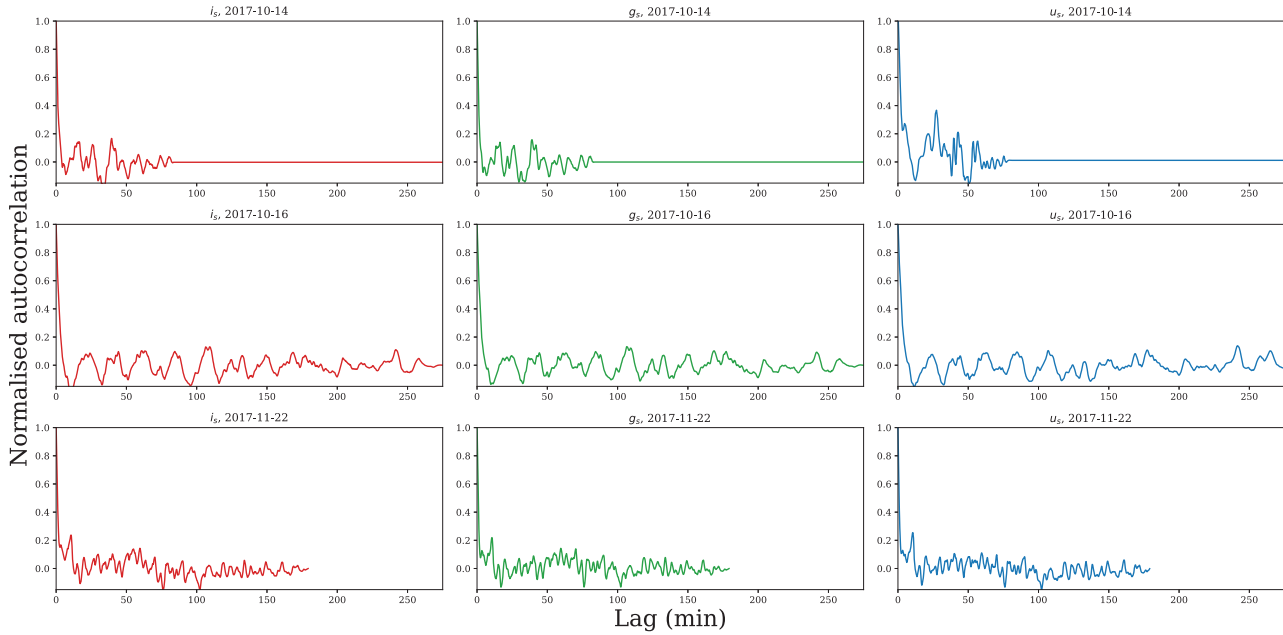


Figure A1. The autocorrelation function for each night of data (top to bottom) in each band (left to right). Each night of data shows correlations on a time-scale of 2–3 min, while the data from 2017 October 16 also show weak periodic correlations with a time-scale of ~ 20 min.

The first term in each kernel is a Matérn covariance function with $\nu = 0.5$ and allows for covariances between data points on a length scale of ℓ_1 (Rasmussen & Williams 2006); the second term in each kernel allows for periodic variations on a time-scale equal to the orbital period, and the third term in the second kernel was to allow for short-term periodic variations. ℓ_2 is defined such that $\ell_2 < 1$ allows for rough periodic variations, while $\ell_2 > 1$ lets the variations be more strictly sinusoidal in their appearance (the same is true of

ℓ_3). We fixed ℓ_2 and ℓ_3 to 1.0 based on the autocorrelation function calculated previously in Section 4.4. In GPM, A_1 , A_2 , ℓ_1 , ℓ_2 , and P are often referred to as hyperparameters, as their physical meanings can, at times, be difficult to understand.

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