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Article:
Gain control from beyond the classical receptive field in primate primary visual cortex

BEN S. WEBB, CHRIS J. TINSLEY, NICK E. BARRACLOUGH, AMANDA PARKER, AND ANDREW M. DERRINGTON
School of Psychology, University of Nottingham, University Park, Nottingham, NG7 2RD, UK

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Abstract

Gain control is a salient feature of information processing throughout the visual system. Heeger (1991, 1992) described a mechanism that could underpin gain control in primary visual cortex (V1). According to this model, a neuron’s response is normalized by dividing its output by the sum of a population of neurons, which are selective for orientations covering a broad range. Gain control in this scheme is manifested as a change in the semisaturation constant (contrast gain) of a V1 neuron. Here we examine how flanking and annular gratings of the same or orthogonal orientation to that preferred by a neuron presented beyond the receptive field modulate gain in V1 neurons in anesthetized marmosets (Callithrix jacchus). To characterize how gain was modulated by surround stimuli, the Michaelis–Menten equation was fitted to response versus contrast functions obtained under each stimulus condition. The modulation of gain by surround stimuli was modelled best as a divisive reduction in response gain. Response gain varied with the orientation of surround stimuli, but was reduced most when the orientation of a large annular grating beyond the classical receptive field matched the preferred orientation of neurons. The strength of surround suppression did not vary significantly with retinal eccentricity or laminar distribution. In the marmoset, as in macaques (Angelucci et al., 2002a, b), gain control over the sort of distances reported here (up to 10 deg) may be mediated by feedback from extrastriate areas.

Keywords: Marmoset, Primary visual cortex, Receptive field, Gain, Context

Introduction

The classical receptive field has long been regarded as the fundamental functional unit in primary visual cortex (V1) (Hubel & Wiesel, 1962, 1968). Numerous physiological studies have shown, however, that descriptions of the classical receptive field may also need to take account of input from beyond the classical receptive field (for reviews see, Allman et al., 1985; Fitzpatrick, 2000; Lamme & Spekreijse, 2000; Wörgötter & Eysel, 2000; Albright & Stoner, 2002). A stimulus beyond the classical receptive field is, by definition, not able to drive a V1 neuron, but typically it can modulate its response (Blakemore & Tobin, 1972; Maffei & Fiorentini, 1976; Nelson & Frost, 1978; Gilbert & Wiesel, 1990; DeAngelis et al., 1994; Li & Li, 1994; Sillito et al., 1995; Levitt & Lund, 1997; Polat et al., 1998; Sugita, 1999; Walker et al., 1999; Palmer & Nafziger, 2002).

V1 neurons are thus able to integrate information over large areas, and may be able to perform much more complex operations than previously thought. Some higher order visual processing—traditionally postulated as an emergent property of extrastriate neurons with large receptive fields—may be carried out as early as V1. Several studies with higher order stimuli have shown that interactions between stimuli inside and outside the receptive field of V1 neurons may form the substrate for contour integration (Kapadia et al., 1995), perceptual grouping (Mizobe et al., 2001), perceptual “pop-out” (Kastner et al., 1997; Nothdurft et al., 1999), and figure-ground segregation (Lamme, 1995; Zipser et al., 1996, but see Rossi et al., 2001). These perceptual phenomena tend to be represented in V1 as a relative increase in neural activity.

Research on the properties of surround interactions has shown that the response of a V1 neuron can be increased or decreased by changing the relative contrast and/or orientation (Toth et al., 1996; Levitt & Lund, 1997; Polat et al., 1998; Chen et al., 2001; Mizobe et al., 2001) or direction of motion (Palmer & Nafziger, 2002) inside and outside the receptive field. However, there is skepticism whether increases in the activity of V1 neurons due to the presence of surround stimuli genuinely originate from beyond the classical receptive field (Walker et al., 2000). Because of the dynamic nature of the receptive field (Kapadia et al., 1999; Sceniak et al., 1999) and underestimation of its size in some studies (Walker et al., 2000), such increases in activity may be explained by surround stimuli encroaching onto and activating the receptive field (Walker et al., 2000; Cavanaugh et al., 2002a, b). Much more robust is the finding that surround interactions in V1 are predom-
stantly suppressive, and maximal when surround stimuli match stimuli on the receptive field (DeAngelis et al., 1994; Walker et al., 2000; Cavanaugh et al., 2002b).

Little attention has been given to the function(s) served by input from beyond the classical receptive field. Gain control, which is fundamental to information processing in V1, is a strong candidate (Albrecht & Hamilton, 1982; Ohzawa et al., 1985; Sclar et al., 1989; Heeger, 1991, 1992; Geisler & Albrecht, 1992; Carandini et al., 1997; Truchard et al., 2000). Heeger (1991, 1992) proposed a mechanism for contrast gain control in V1. The model posits that the range of contrasts over which a V1 neuron responds is reset by dividing its output by the total output of a nearby ensemble of neurons. Contrast gain control scales the semisaturation constant by a factor \( k \); put another way, effective stimulus contrast is changed by \( 1/k \). Moreover, according to this model, gain controls signals are pooled over a broad range of orientations and spatial frequencies (Heeger, 1991, 1992).

Sengpiel et al. (1998) tested whether a range of inhibitory phenomena could be explained in terms of a single divisive gain-control mechanism. Contrary to the predictions of Heeger’s model, they found that surround suppression, cross-orientation suppression, and interocular suppression, in cat V1, were best explained by different inhibitory mechanisms. A response gain model provided the best description of surround suppression, a contrast gain model described cross-orientation suppression best, and a combined response gain and contrast gain model provided the best description of interocular suppression (Sengpiel et al., 1998). However, surround modulation of gain was measured only with annular gratings of the same orientation as that preferred by neurons. It is not clear from this study whether gain-control signals from beyond the classical receptive field are pooled over a range of orientations or activated only by a restricted range of orientations.

In the current experiment, we examine how flanking and annular gratings of the same and orthogonal orientation to that preferred by neurons modulate the gain of V1 neurons in anesthetized marmosets. In the lateral geniculate nucleus (LGN) of the marmoset, we found that large surround stimuli of the same or orthogonal orientation to that on the receptive field reduced response gain in a divisive fashion (Webb et al., 2002). In the LGN, gain control is probably mediated by the feedback projection from V1 (Przybylowski et al., 2000; Webb et al., 2002). Here we find that gain-control signals from beyond the classical receptive field of V1 neurons are also modelled best as a reduction in response gain. We also found that response gain was not the same for all orientations: gain was reduced most when the orientation of surround stimuli matched the preferred orientation of the neuron.

**Materials and methods**

**Animal preparation**

Extracellular recordings were made in four adult marmosets (*Callithrix jacchus*) that weighed between 362–414 g. One of the animals was male and the others were female. All surgical and preparatory procedures were in accordance with the guidelines of the UK Animals (Scientific Procedures) Act of 1986.

Animals were initially anesthetized with Saffan (Alphadalone/Alphaxalone acetate; 1.5 ml/kg i.m.). The lateral tail veins and the trachea were cannulated. In the male the urethra was catheterized. Animals were artificially respired with a \( \text{N}_2\text{O} \) (70%), \( \text{O}_2 \) (30%) mixture. Surgical anesthesia was maintained with a venous infusion of fentanyl citrate (20 \( \text{µg} \cdot \text{kg}^{-1} \cdot \text{h}^{-1} \)) in a saline-glucose solution, at a rate of 1.5 ml/kg/h. Skeletal muscles were paralyzed with vecuronium bromide (0.1 mg·kg⁻¹·h⁻¹). End-expired CO\(_2\) was maintained at between 4 and 5% in the expired air by adjusting the stroke volume of the animal. Body temperature was maintained close to 37.5°C by an electric blanket controlled by a rectal thermistor. An appropriate depth of anesthesia was maintained by continuous monitoring of electrocardiogram and electroencephalogram activity. Supplementary anesthesia (fluothane) was given if necessary.

**Physiological recording**

A craniotomy was made over V1 and a dural flap was reflected to expose the surface of the cortex. Extracellular responses of single neurons were recorded with either glass-insulated tungsten electrodes (Merrill & Ainsworth, 1972) or epoxy-coated tungsten electrodes (FHC Inc., Maine). The signal from the electrode was amplified, band-pass filtered, sampled, and time-stamped with a resolution of 100 \( \mu s \). Single units were isolated by matching incoming spikes to a template constructed from the shape of action potential traces. To prevent respiratory movement of the brain during recording sessions, the craniotomy was filled with agar (3% in saline) and sealed with candle wax.

**Optics**

The pupils were dilated with atropine sulphate and the eyes were protected by gas-permeable contact lenses of zero-added power. The refractive error of each eye was corrected with miniature spectacle lenses that optimized the response of an isolated neuron to a high spatial frequency sine-wave grating. The optic disk and fovea of each eye were plotted on a tangent screen 57 cm in front of the animal, with a reversing ophthalmoscope.

**Visual stimuli**

Stimuli were generated by a Macintosh computer using a Radius 10-bit graphics card and presented initially on a tangent projection screen, subtending approximately 87 deg × 67 deg at a viewing distance of 57 cm. On the tangent projection screen, we searched for cells with a large patch of drifting sinusoidal grating that varied its orientation. Receptive fields were mapped with a drifting gratings at the preferred orientation, and then positioned on the center of a CRT display monitor with a front-surfaced mirror. The CRT display (Sony Model No. GDM 200PST) subtended 15.5 deg × 11.5 deg at a viewing distance of 114 cm, had a mean luminance of approximately 50 cd/m², and a frame rate of 120 Hz. The display nonlinearity was corrected using a lookup table.

Contrast of visual stimuli was specified by Michelson contrast \( \frac{\text{max} - \text{min}}{\text{max} + \text{min}} \). On the CRT display, we used drifting sinusoidal gratings to map the receptive field and obtain tuning curves for each neuron. We mapped receptive fields by measuring the response of the neuron as the length and width and position of a patch of grating were independently changed. The position of a 0.5–2 deg patch of grating that evoked the maximum obtainable response was designated as the center of the receptive field. All stimuli used here were centered on this location. We regularly checked the centering of the receptive field. If it shifted from its original position, it was recentered using the same method.

Spatial-frequency, temporal-frequency, orientation, and size tuning curves were obtained in separate tests by varying a circular...
patch of drifting grating along each of these dimensions. The peak values for each of these measures were used in subsequent tests. We then compared the response of the neuron to an annular patch of drifting grating of different inner diameters and a blank screen of the same mean luminance. The inner diameter of the annular grating that evoked no response from the neuron was designated as the diameter of the summation field.

In the experiment reported here a drifting sinusoidal grating, at the preferred orientation, spatial frequency, and temporal frequency of the neuron, was presented within the classical receptive field for 1000 ms. The grating could have several different contrasts, covering the range 0–1, and was presented alone or surrounded by a drifting grating of the same or orthogonal orientation contained within either (1) a larger annular field that was 10 deg × 10 deg in size, (2) flanks at the preferred orientation that were the length of the receptive field and 10 deg wide, or (3) flanks at the orthogonal orientation that were the width of the receptive field and 10 deg in length. The spatial phase of surround stimuli was the same as the stimulus on the classical receptive field.

The different conditions were presented 60 times (10 repetitions of 6 contrast levels of the grating presented to the classical receptive field), in an interleaved fashion with interstimulus intervals of 500 ms.

**Histology and track tracing**

Microlesions (5–10 μA for 5–10 s, electrode negative) were made at different depths on each penetration. These were used to reconstruct each electrode track and assign cells to layers. At the end of each experiment an overdose of pentobarbitone (Sagatal; 60 mg/kg) was given. Once electrocardiogram, electroencephalogram, and CO2 traces were flat, animals were perfused through the left ventricle, initially with phosphate buffer, and then with 4% formaldehyde. The brain was removed and stored in a 30% sucrose solution until it sank. Sagittal sections were taken every 60 μm with a freezing microtome; sections were mounted and stained with cresyl violet.

**Data analysis**

To quantify the differential modulation of the response versus contrast function by stimuli beyond the classical receptive field, the response of a neuron to each stimulus configuration was compared, by fitting the Michaelis–Menten equation to each cell’s response versus contrast function by minimizing the squared error. The equation is

\[ R = R_{\text{max}} c^n / (c^n + c_{50}^n) + M. \]  

where \( R_{\text{max}} \) is the maximum attainable response, \( c_{50} \) is the contrast at which the response reached half its maximum value, \( n \) indicates the steepness of the curve, and \( M \) is the spontaneous firing rate. We used the Nelder–Mead simplex search method to generate the curve fits. The fraction of variance explained by the curve fits was used as a goodness-of-fit criterion.

Cells were designated as simple or complex by calculating the ratio of the first harmonic (\( F_1 \)) and mean of the response (\( F_0 \)) to an optimal drifting grating (Skottun et al., 1991). \( F_1 \) and \( F_0 \) amplitude were used as the measure of a simple and complex cell’s response, respectively. We calculated an index of direction selectivity with the following equation:

\[ (R_{\text{BD}} - R_{\text{OD}}) / (R_{\text{BD}} + R_{\text{OD}}). \]

where \( R_{\text{BD}} \) is the response to the preferred direction of motion minus the spontaneous activity, and \( R_{\text{OD}} \) is the response to the opposite direction of motion minus the spontaneous activity. Cells were designated as direction selective if the index of direction selectivity was >0.3.

**Results**

The data described here were obtained from 34 simple and 33 complex cells in primary visual cortex (V1) of the marmoset. Neurons were recorded at eccentricities between 1.02 and 9.9 deg. Fig. 1 shows typical responses of a simple cell (left column) and complex cell (right column). The top row of Fig. 1 illustrates that a grating drifting across the receptive field at the preferred orientation, spatial frequency, and temporal frequency evoked a response that peaks at 180 impulses/s from the simple cell (Fig. 1A left) and one that peaks at 120 impulses/s from the complex cell (Fig. 1A right). The presence of an annular grating beyond the classical receptive field of the same orientation as that preferred by the neuron reduced the peak response of the simple cell by approximately 130 impulses/s (Fig. 1B left), and of the complex cell by about 60 impulse/s. When an annular grating was presented alone, it evoked no response from the simple cell (compare Fig. 1C left with Fig. 1D left) and suppressed the spontaneous activity of the complex cell (compare Fig. 1C right with Fig. 1D right).

**Surround modulation of gain**

The primary aim of the study was to examine how flanking and annular stimuli of the same and orthogonal orientation to the receptive field presented beyond the receptive field modulated the gain of responses to an optimal stimulus on the receptive field. To characterize how different surround stimuli modulated gain, the Michaelis–Menten equation was fitted to response versus contrast functions obtained under seven stimulus conditions (Fig. 2A). We estimated values of each of the parameters \( R_{\text{max}}, c_{50}, n \) that were required to produce curves that fit the neuron’s response versus contrast function under the seven stimulus conditions. For each neuron, the seven curves were fit simultaneously and two parameters were constrained to have the same value for all seven curves, while the third parameter and \( M \) were allowed to vary from curve to curve. We compared the fits produced by varying each of the three curve parameters, \( R_{\text{max}}, c_{50}, n \). Allowing \( c_{50} \) to vary explained more variance than allowing \( n \) to vary, but allowing \( R_{\text{max}} \) to vary explained the most variance (see Table 1). The mean fraction of variance explained by allowing \( R_{\text{max}} \) to vary was 91%. More than 90% of the variance was explained in 30 (88%) simple cells and 27 (82%) complex cells. The following analysis is confined to \( R_{\text{max}} \) values obtained from these neurons.

Figs. 2B and 2C are examples of constrained fits to data obtained under seven stimulus conditions from a simple and a complex cell, respectively. In both examples, surround stimuli reduced \( R_{\text{max}} \) to the grating on the classical receptive field by different amounts. \( R_{\text{max}} \) was reduced most when the surround stimulus was a large annular grating of the same orientation as the grating on the classical receptive field. The response was reduced by up to 75% of the \( R_{\text{max}} \) in the simple cell, and by up to 60% in the complex cell. There is no evidence that surround stimulation...
The main effect of surround stimulus condition for simple and complex cells is plotted in Fig. 4. The mean R_max was unaffected by the presence of a surround stimulus, a positive ratio indicates that the R_max was increased by the presence of a surround stimulus, and a negative ratio indicates that it was reduced by the presence of a surround stimulus. Histograms of the R_max ratio for each surround stimulus condition are plotted in Fig. 4. The main effect of surround stimulation was to reduce the R_max ratio. The proportion of neurons in which the reduction in the R_max ratio was not significant (i.e. the reduction was less than 10%) in each stimulus condition depicted in Fig. 4 was as follows: panel A, 30/57, panel B, 33/57, panel C, 20/57, panel D, 40/57, panel E, 39/57, panel F, 33/57. It was increased for a minority of cells, but this increment does not appear related to any particular stimulus configuration. One-sample t-tests revealed that the mean R_max ratio was significantly less than zero in all stimulus conditions except that depicted in panel E of Fig. 4. Surround gratings with the same orientation as the grating on the classical receptive field reduced the mean R_max ratio in complex cells was reduced most by annular gratings of the same orientation vs. cells than simple cells. A 2 (cell type: simple vs. complex) ANOVA revealed there was a main effect of orientation [F(1,169) = 25.53, P < 0.000001] and an interaction between cell type and grating orientation [F(1,169) = 13.04, P < 0.001]. This analysis shows that surround gratings of the same orientation as the grating on the receptive field were more effective than others in modulating the gain of V1 neurons, we calculated a R_max ratio:

$$R_{\text{max cc}} = \frac{(R_{\text{max cc}} - R_{\text{max c}})}{R_{\text{max c}}}$$

(3)

R_{\text{max cc}} is the maximum firing rate obtained during a surround condition and R_{\text{max c}} is the maximum firing rate obtained when only the classical receptive field was stimulated. A ratio of 0 indicates that the R_max was unaffected by the presence of a surround stimulus, a positive ratio indicates that the R_max was increased by the presence of a surround stimulus, and a negative ratio indicates that it was reduced by the presence of a surround stimulus. Histograms of the R_max ratio for each surround stimulus condition are plotted in Fig. 4. The main effect of surround stimulation was to reduce the R_max ratio. The proportion of neurons in which the reduction in the R_max ratio was not significant (i.e. the reduction was less than 10%) in each stimulus condition depicted in Fig. 4 was as follows: panel A, 30/57, panel B, 33/57, panel C, 20/57, panel D, 40/57, panel E, 39/57, panel F, 33/57. It was increased for a minority of cells, but this increment does not appear related to any particular stimulus configuration. One-sample t-tests revealed that the mean R_max ratio was significantly less than zero in all stimulus conditions except that depicted in panel E of Fig. 4. Surround gratings with the same orientation as the grating on the classical receptive field reduced the mean R_max ratio more (panel A, P < 0.001, mean −0.1, SEM ± 0.03; panel B, P < 0.001, mean −0.1, SEM ± 0.03; panel C, P < 0.000001, mean −0.26, SEM ± 0.04) than surround gratings with a different orientation (panel D, P < 0.01, mean −0.08, SEM ± 0.02; panel E, P = 0.125, mean −0.03, SEM ± 0.02; panel F, P < 0.01, mean −0.08, SEM ± 0.03). But, the mean R_max ratio was reduced most by large surround stimuli of the same orientation as that preferred by neurons (panel C, P < 0.000001, mean −0.26, SEM ± 0.04).

The mean R_max ratio and standard error of the mean in each surround stimulus condition for simple and complex cells are plotted in Fig. 5A. The R_max ratio for both simple and complex cells was reduced most by annular gratings of the same orientation as that preferred by neurons (panel C, P < 0.000001, mean −0.26, SEM ± 0.04). The presence of an annular grating beyond the classical receptive field was more effective than others in modulating the gain of V1 neurons, we calculated a R_max ratio:

$$R_{\text{max cc}} = \frac{(R_{\text{max cc}} - R_{\text{max c}})}{R_{\text{max c}}}$$

(3)

R_{\text{max cc}} is the maximum firing rate obtained during a surround condition and R_{\text{max c}} is the maximum firing rate obtained when only the classical receptive field was stimulated. A ratio of 0 indicates that the R_max was unaffected by the presence of a surround stimulus, a positive ratio indicates that the R_max was increased by the presence of a surround stimulus, and a negative ratio indicates that it was reduced by the presence of a surround stimulus. Histograms of the R_max ratio for each surround stimulus condition are plotted in Fig. 4. The main effect of surround stimulation was to reduce the R_max ratio. The proportion of neurons in which the reduction in the R_max ratio was not significant (i.e. the reduction was less than 10%) in each stimulus condition depicted in Fig. 4 was as follows: panel A, 30/57, panel B, 33/57, panel C, 20/57, panel D, 40/57, panel E, 39/57, panel F, 33/57. It was increased for a minority of cells, but this increment does not appear related to any particular stimulus configuration. One-sample t-tests revealed that the mean R_max ratio was significantly less than zero in all stimulus conditions except that depicted in panel E of Fig. 4. Surround gratings with the same orientation as the grating on the classical receptive field reduced the mean R_max ratio more (panel A, P < 0.001, mean −0.1, SEM ± 0.03; panel B, P < 0.001, mean −0.1, SEM ± 0.03; panel C, P < 0.000001, mean −0.26, SEM ± 0.04) than surround gratings with a different orientation (panel D, P < 0.01, mean −0.08, SEM ± 0.02; panel E, P = 0.125, mean −0.03, SEM ± 0.02; panel F, P < 0.01, mean −0.08, SEM ± 0.03). But, the mean R_max ratio was reduced most by large surround stimuli of the same orientation as that preferred by neurons (panel C, P < 0.000001, mean −0.26, SEM ± 0.04).
more than the $R_{\text{max}}$ ratio in simple cells by surround gratings of the same orientation as the grating on the receptive field.

An alternative measure of gain to changes in $R_{\text{max}}$ is the slope of the response versus contrast function, expressed as the increment in firing rate for each 1% increase in contrast. For comparison, we conducted the same analysis as above on the average slope of the response versus contrast function measured over the range of contrasts from 0% to 25%, for each surround stimulus condition. To show how this measure of gain was modulated by surround stimulation, these values were normalized, by subtracting the slope measured in the absence of a surround grating. The mean reduction in gain and standard error of the mean are plotted in Fig. 5B. An ANOVA showed that there was a main effect of grating orientation [$F(1,169) = 22.79, P < 0.00001$] and an interaction between cell type and grating orientation [$F(1,169) = 12.36, P < 0.002$]. As was found with the $R_{\text{max}}$ ratio, surround gratings with the same orientation as the grating on the receptive field were more effective than orthogonal gratings at reducing the gain of V1 neurons. The gain of complex cells was also reduced more than simple cells by gratings of the same orientation as the classical receptive field.

Walker et al. (1999) found that suppression frequently originated from a single asymmetric location beyond the classical receptive field. To test whether there was a locus of surround suppression, we examined whether the strength of suppression originating from the ends of the receptive field and the sides of the receptive field were correlated. We consider only cells for which the $R_{\text{max}}$ ratio was clearly reduced (i.e. by more than 10%) by the presence of a large annular grating of the same orientation as that preferred by the neuron. There was no evidence of a statistically significant correlation between the reductions in the $R_{\text{max}}$ ratio caused by stimulating the ends and sides of the receptive field with gratings of the same orientation as that on the receptive field [Pearson’s $r(38) = 0.08, P = 0.65$]. This suggests that suppression may originate from localized regions beyond the classical receptive field.

### Direction-selective and bi-directional neurons

Our sample consisted of 38 direction-selective neurons, 15 bi-directional neurons, and four neurons that were not selective for orientation or direction of motion. To ensure that the surround effects reported here are not due to this sampling bias, we conducted the same analyses as above on direction-selective and bi-directional cells. The mean $R_{\text{max}}$ ratio and standard error of the mean and mean reduction in gain (as above, measured at 25% contrast) and standard error of the mean, for each surround stimulus condition for direction and bi-directional cells, are plotted in Figs. 6A and 6B, respectively. Separate ANOVAs revealed that there were only main effects of grating orientation on the $R_{\text{max}}$ ratio [$F(1,157) = 10.17, P < 0.01$] and on gain measured at 25% contrast [$F(1,157) = 15.78, P < 0.001$]. The $R_{\text{max}}$ ratio and gain of both direction-selective and bi-directional neurons was reduced most by surround gratings with the same orientation as the grating on the classical receptive field. The important point here, however, is that there were no differences between direction-selective and bi-directional neurons in the extent of modulation from beyond the classical receptive field.

### Laminar distribution and retinal eccentricity

We were interested to know if there was any laminar organization to neurons that are susceptible to modulation from beyond the classical receptive field.
classical receptive field. Ten neurons could not be assigned to layers, so are not considered further here. Fig. 7 shows the $R_{\text{max}}$ ratio for neurons recorded when an annular grating was at the same orientation as the grating on the classical receptive field, plotted against normalized percent depth from the cortical surface. There does not appear to be any laminar organization to neurons that are susceptible to reductions in the $R_{\text{max}}$ ratio. Unfortunately, there were not sufficient neurons in each layer to perform any statistics.

We recorded data from neurons at a range of retinal eccentricities (1.02–9.9 deg). To test whether there were any difference in the strength of surround suppression at different eccentricities, we looked for differences between foveal (1–5 deg) and peripheral (5–9.9 deg) neurons on the $R_{\text{max}}$ ratio. Even though there was a trend towards stronger surround suppression in peripheral neurons ($-0.34, \pm 0.07$) than in foveal neurons ($-0.21, \pm 0.06$), a $t$-test revealed no statistical difference.

**Discussion**

We measured how stimulation beyond the classical receptive field modulated the gain of neurons in primary visual cortex (V1) of the marmoset. Surround stimulation reduced the response gain of V1 neurons in a divisive fashion. Response gain varied with the orientation of the surround stimulus and was reduced most by large surround stimuli of the same orientation as that preferred by neurons. The strength of surround suppression did not vary with laminar distribution or retinal eccentricity.

Below, we compare our results with previous studies on surround interactions and the predictions derived from a model of gain control. We also discuss the anatomical substrates of gain control from beyond the classical receptive field.

**Surround interactions in V1**

Research on surround interactions in V1 has produced contradictory results. The definition of the classical receptive field, or center field, adopted by different research groups and the different methods used to map it, are probably at the heart of many discrepancies in the literature (Fitzpatrick, 2000; Walker et al., 2000). The minimum response field method (Barlow et al., 1967) tends to underestimate the size of receptive fields (Bishop & Henry, 1972; Schiller et al., 1976). It provides a smaller estimate of receptive-
field size than summation field measurements do with spatially extensive stimuli, such as sinusoidal gratings (Walker et al., 2000; Cavanaugh et al., 2002a). A stimulus that is beyond the minimum response field and evokes no excitatory response is not necessarily beyond the summation field of a neuron. Therefore, some reports that stimuli outside the receptive field increase responses evoked from inside the receptive field (e.g. Gilbert & Wiesel, 1990; Kapadia et al., 1995) may simply be caused by surround stimuli encroaching onto and activating relatively insensitive regions of the summation field. When stimulated alone these regions may evoke only a subthreshold response, but when stimulated in conjunction with the minimum response field, they may evoke a suprathreshold response that is greater than stimulating the minimum response field alone. Here we attempted to overcome many of these problems by mapping the summation field of V1 neurons with spatially extensive grating stimuli. We gave particular attention to the centering of stimuli on the classical receptive field and ensuring that surround stimuli did not encroach onto the summation field of V1 neurons (see Materials and methods).

The extraclassical surround in V1 is broadly tuned and less selective than the classical receptive field (DeAngelis et al., 1994; Li & Li, 1994; Cavanaugh et al., 2002b). Suppression of activity in V1 neurons by stimuli in the surround is independent of spatial phase, and is strongest when the parameters of stimuli outside the classical receptive field match the preferences of the neuron (Blakemore & Tobin, 1972; DeAngelis et al., 1994; Li & Li, 1994; Cavanaugh et al., 2002b). Consistent with this work, we found here that responses of marmoset V1 neurons were reduced most when the orientation of surround stimuli matched what neurons preferred on their receptive field. Cavanaugh et al. (2002b) have recently extended this finding and shown that surround suppression is strongest when the parameters of stimuli inside and outside the receptive field match each other, regardless of whether they match the preferences of the neuron.

Stimuli outside the excitatory summation field can, under certain conditions, increase the activity of V1 neurons. Here we use the terms “increase” and “reduce” to mean relative to the response evoked by an optimal stimulus within the summation field of a V1 neuron. An increase in response seems to be mediated by the relative configuration and sign of stimuli within and beyond the summation field. The response of a V1 neuron can be increased when the luminance contrast (Toth et al., 1996; Levitt & Lund, 1997; Polat et al., 1998; Chen et al., 2001; Mizobe et al., 2001), orientation (Sillito et al., 1995; Jones et al., 2002), or direction of motion (Jones et al., 2001; Palmer & Nafziger, 2002) of stimuli within and beyond the summation field are different. Changing the relative luminance contrast and/or orientation of stimuli inside and outside the receptive field can change the sign of the response (Sillito et al., 1995; Toth et al., 1996; Levitt & Lund, 1997; Polat et al., 1998; Chen et al., 2001; Mizobe et al., 2001; Jones et al., 2002). At all luminance contrasts within the summation field, we found that the activity of most V1 neurons was only ever reduced by the presence of a surround stimulus. When stimuli inside and outside the summation field had orthogonal orientations—a configuration sometimes found to increase the response of V1 neurons (Sillito et al., 1995; Cavanaugh et al., 2002b; Jones et al., 2002)—we found that they were simply less effective at reducing the response of V1 neurons than when they were at the same orientation. The activity of a minority of neurons in our sample was increased by
stimulation beyond the classical receptive field. But these small response increments were rare and were not produced systematically by any particular stimulus configuration.

Walker et al. (1999) found that surround suppression frequently originated from a single asymmetric region beyond the classical receptive field. The stimuli we used here were not appropriate to test for such effects. But the lack of a correlation between the strength of suppression originating at the ends and sides of the receptive field that we found here suggests that surround effects in marmoset V1 may originate from localized regions beyond the receptive field. Indeed, we suspect that, as Walker and his colleagues found in cats, surround effects in marmoset V1 originate from asymmetric, symmetric, and broadly distributed locations beyond the classical receptive field.

Gain control

There are several different ways in which surround interactions might modulate the contrast–response relationship of V1 neurons. These can be represented by changes in the parameters of the Michaelis–Menten equation, which is known to provide a good description of the contrast–response relationship of most neurons in V1 (Albrecht & Hamilton, 1982). An increase in the semisaturation constant shifts the contrast–response curve rightwards, reducing contrast sensitivity by a constant proportion (contrast gain control). A reduction in the maximum obtainable response compresses the contrast–response curve downwards, scaling the response at all contrasts (response gain control). An increase in the steepness of the contrast–response curve limits the range of contrasts to which a neuron can increase its response.

Heeger’s contrast normalization model (Heeger, 1991, 1992) predicts that inhibition in V1 can be explained by a single contrast gain-control mechanism. We (results reported here), and others (Sengpiel et al., 1998; Cavanaugh et al., 2002a), have found that a response gain model provides the best description of the effects of surround stimulation on gain (but see, DeAngelis et al., 1994). Other cortical phenomena, such as cross-orientation suppression (Bonds, 1989; Sengpiel et al., 1998) and contrast adaptation (Ohzawa et al., 1985; Sclar et al., 1989), are better described by a contrast gain model. A model that includes both response gain and contrast gain mechanisms provides a better description of interocular suppression (Sengpiel et al., 1998). Taken together, these results suggest that surround suppression has a neural substrate that is distinct from other cortical inhibitory phenomena. Heeger’s model also predicts that gain control signals are pooled over a range of orientations. Contrary to these predictions, we found that surround suppression is described best by a response gain mechanism that is selective for orientation.

Although we presented stimuli in apertures covering different regions of the visual field—one that covered the summation field and one that surrounded it—spatial summation experiments suggest that center and surround mechanisms actually overlap. The center and surround fields of V1 neurons are modelled as overlapping excitatory and inhibitory Gaussian sensitivity functions. Typically, the surround mechanism is more spatially extensive and has a subtractive influence on the center mechanism (DeAngelis et al., 1994; Sceniak et al., 1999; Walker et al., 2000; Sceniak et al., 2001; Levitt & Lund, 2002). One implementation of this model revealed that the summation field of a V1 neuron is dynamic: it
samples more of the visual field at low contrast than at high contrast (Sceniak et al., 1999). Our data, however, are clearly more consistent with a model in which the surround has a divisive influence on the center mechanism (Cavanaugh et al., 2002a; Sceniak et al., 2001). Cavanaugh et al. (2002a) have devised a model that implements a general form of divisive suppression. Center and surround mechanisms are modelled as overlapping Gaussians, but each has its own gain control. Independent gain-control mechanisms in the center and surround enable the divisive influence of the surround to scale responses up and down, depending on the relative strength of each mechanism. The apparent increase in size with contrast occurs because of this scaling of sensitivity (Cavanaugh et al., 2002a).

**Anatomical substrates for surround interactions**

Surround interactions were not localized to any particular cortical layer(s). In each layer from which we obtained data, the strength of signals from the surround field of neurons ranged from negligible to weak to very strong. As others (Sceniak et al., 2001; Cavanaugh et al., 2002a; Levitt & Lund, 2002; Yao & Li, 2002) have found, it seems that surround interactions are a general property of V1, with different neurons being affected to different extents.

What is the circuitry that mediates surround interactions in V1? Surround interactions may be mediated by intrinsic lateral and/or feedback connections in V1 (Rockland & Lund, 1982, 1983; Livingstone & Hubel, 1984; Kennedy & Bullier, 1985; Gilbert & Wiesel, 1989; Malach et al., 1993; Budd, 1999; Lamme & Roelfsema, 2000; Bullier, 2001). Combined anatomical and physiological studies conducted by Angelucci and her colleagues (Angelucci et al., 2002a,b) suggest that feedback connections from extrastriate cortex are the most likely substrate. They compared the spatial extent of feedforward input from the lateral geniculate nucleus (LGN), intrinsic lateral connections, and feedback connections from extrastriate cortex with that of the minimum response field, the summation field, and extraclassical surround field of V1 neurons. They concluded that in V1 LGN input mediates activity in summation fields measured with high contrast stimuli, horizontal connections mediate activity in summation fields measured with low contrast stimuli, and feedback connections mediate interactions between stimuli within and beyond summation fields (Angelucci et al., 2002a,b).

Gain control appears to be a fundamental property of early visual processing. We have found that, in both the LGN (Webb et al., 2002) and V1 of marmosets (results reported here), response gain is reduced in a divisive fashion by input from beyond the classical receptive field. In the LGN, gain control may be mediated by the feedback projection from V1 (Przybyszewski et al., 2000; Webb et al., 2002). In V1, modulation of gain-control signals from beyond the summation field are probably mediated by feedback from extrastriate cortex (Angelucci et al., 2002a,b).

Cortical feedback projections may control information flowing through the visual hierarchy by modulating the gain of neurons at the preceding stage. In the LGN, this mechanism is mediated by an excitatory feedback projection from V1 that influences responses evoked from inside the classical receptive field (Przybyszewski et al., 2000). Inhibition from outside the classical receptive field modulates the excitatory influence of the cortex in the LGN (Webb et al., 2002). In V1, feedback from extrastriate cortex may have a more direct effect on inhibitory influences from outside the summation field, possibly via inhibitory interneurons.

**Conclusion**

Input from beyond the classical receptive field reduced response gain in a divisive fashion. Reductions in response gain were most prominent when the orientation of large stimuli beyond the classical receptive field matched that preferred by neurons. Response gain control in the early visual system may be mediated by the interaction between cortical feedback and inhibitory influences from beyond the classical receptive field.

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